

Mrs Angie Motshekga. Minister of Basic Education



Mr Enver Surty,
Deputy Minister
of Basic Education

These workbooks have been developed for the children of South Africa under the leadership of the Minister of Basic Education, Mrs Angie Motshekga, and the Deputy Minister of Basic Education, Mr Enver Surty.

The Rainbow Workbooks form part of the Department of Basic Education's range of interventions aimed at improving the performance of South African learners in the first six grades. As one of the priorities of the Government's Plan of Action, this project has been made possible by the generous funding of the National Treasury. This has enabled the Department to make these workbooks, in all the official languages, available at no cost.

We hope that teachers will find these workbooks useful in their everyday teaching and in ensuring that their learners cover the curriculum. We have taken care to guide the teacher through each of the activities by the inclusion of icons that indicate what it is that the learner should do.

We sincerely hope that children will enjoy working through the book as they grow and learn, and that you, the teacher, will share their pleasure.

We wish you and your learners every success in using these workbooks

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MATHEMATICS IN ENGLISH
GRADE 6 – BOOK 1
TERMS 1 & 2
ISBN 978-1-4315-0037-6
THIS BOOK MAY NOT BE SOLD.

8th Edition

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MATHEMATICS IN ENGLISH

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Book

Department:

Basic Education

REPUBLIC OF SOUTH AFRICA

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A BILL OF RESPONSIBILITIES

FOR THE YOUTH OF SOUTH AFRICA

Preamble:

I accept the call to responsibility that comes with the many rights and freedoms that I have been privileged to inherit from the sacrifice and suffering of those who came before me. I appreciate that the rights enshrined in the Constitution of the Republic of South Africa are inseparable from my duties and responsibilities to others. Therefore I accept that with every right comes a set of responsibilities,

MY RESPONSIBILITY IN ENSURING THE RIGHT...



South Africa is a diverse nation, and equality does not mean uniformity, or that we are all the same.

Our country's motto: !KE E: /XARRA // KE, meaning "Diverse people unite", calls on all of us to build a common sense of belonging and national pride, celebrating the very diversity which makes us who we are. It also calls on us to extend our friendship and warmth to all nations and all the peoples of the world in our endeavour to build a better world.

TO LIVE IN A SAFE **ENVIRONMENT**

- promote sustainable development, and the conservation and preservation of the natural environment.
- protect animal and plant-life, as well as the responsibility to prevent pollution.
- not to litter, and to ensure that our homes, schools, streets and other public places are kept neat and tidy.
- in the context of climate change, we are also obliged to ensure we do not waste scarce resources like water and electricity.

TO FREEDOM OF RELIGION, BELIEF AND OPINION

- allow others to choose and practise the religion of their choice, and to hold their own beliefs and opinions, without fear or
- respect the beliefs and opinions of others. and their right to express these, even when we may strongly disagree with these beliefs and opinions. That is what it means to be a free democracy.

others to do so.

safety of others.

- express views which do not advocate hatred, or are based on prejudices with regard to race, ethnicity, gender or
- feelings hurt.

TO FAMILY OR TO EDUCATION PARENTAL CARE

- · honour and respect my parents, and to help
- to be kind and loyal to my family, to my brothers and sisters, my grandparents and all my relatives.
- recognise that love means long-term commitment, and the responsibility to establish strong and loving families.

- work hard.
- cooperate respectfully with teachers and
- · adhere to the rules and the Code of Conduct of the school.
- · promote and reflect the culture of learning and teaching in giving effect to this right.
- to eliminate unprofessional behaviour.

TO EQUALITY

- · treat every person equally and fairly.
- not to discriminate unfairly against anyone on the basis of race, gender, sex, pregnancy, marital status, ethnic or social origin, colour, sexual orientation, age, disability, religion, conscience, belief, culture, class, language or birth.

TO OWN PROPERTY

- · respect the property of others.
- · take pride in and protect both private and public property, and not to take what belongs to others.
- · give generously to charity and good causes, where I am able to do so.

TO CITIZENSHIP

obey the laws of our country, ensuring

contribute in every possible way to

TO LIFE

that others do so as well.

TO FREEDOM OF **EXPRESSION**

TO HUMAN DIGNITY

dignity as we all belong to the human

· to be kind, compassionate and sensitive

to every human being, including greeting

them warmly and speaking to them

TO WORK

work hard and do our best in everythin

recognise that living a good and successful life involves hard work, and that anything

 this right must never be used for exploitation by exposing children to child labour.

TO FREEDOM AND

SECURITY OF THE

PERSON

• not hurt, bully or intimidate others or allow

· solve any conflict in a peaceful manner.

• to take action to protect my safety and the

worthwhile only comes with effort

courteously.

we do.

· we must therefore take responsibility to ensure this right is not abused by ourselves or others, to not tell or spread lies, and to ensure others are not insulted or have their

making South Africa a great country.

- not endanger the lives of others by carrying dangerous weapons or by acting recklessly or disobeying our rules and
- · live a healthy life, by exercising, eating correctly, by not smoking, taking alcohol, or taking drugs, or indulging in irr behaviour that may result in my being infected or infecting others with diseases such as HIV and AIDS.

- ensure that I attend school and receive their support.
- ensure that I participate in school activities.
- · create a home environment conducive to studying.

Conclusion: I accept the call of this Bill of Responsibilities, and commit to taking my rightful place as an active, responsible citizen of South Africa. By assuming these responsibilities I will contribute to building the kind of society which will make me proud to be a South African.

> This Bill outlines the responsibilities that flow from each of the rights enshrined in the Constitution of the Republic of South Africa.



South African Interfaith Council







Book 1

- 1 Revision worksheets: RI to RI6
 Key concepts from Grade 5
- 2 worksheets: 1 to 64

Book 2

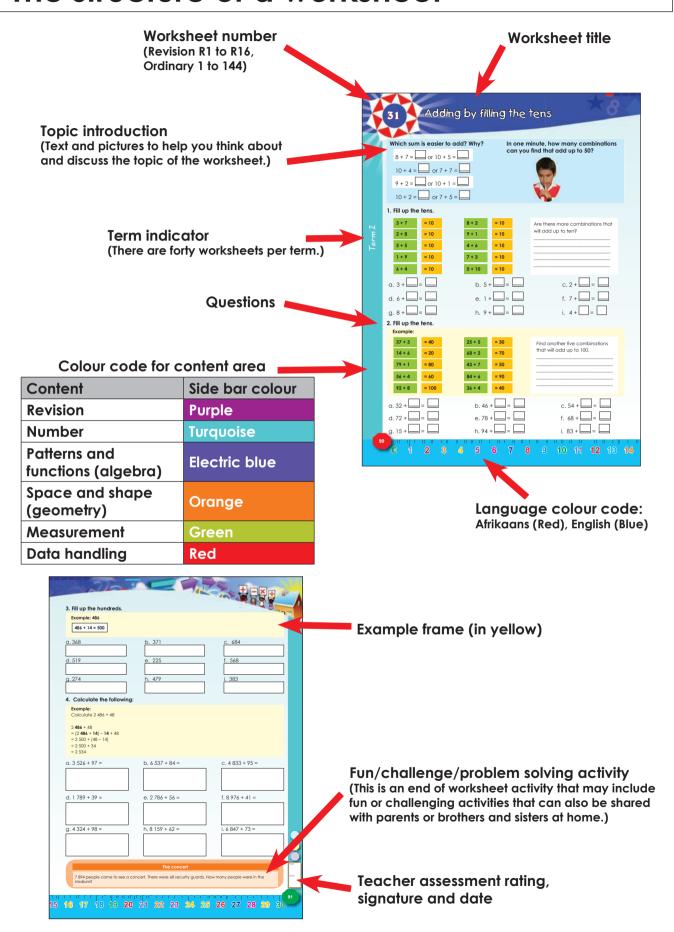
3 Worksheets: 65 to 144

Name:

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The structure of a worksheet













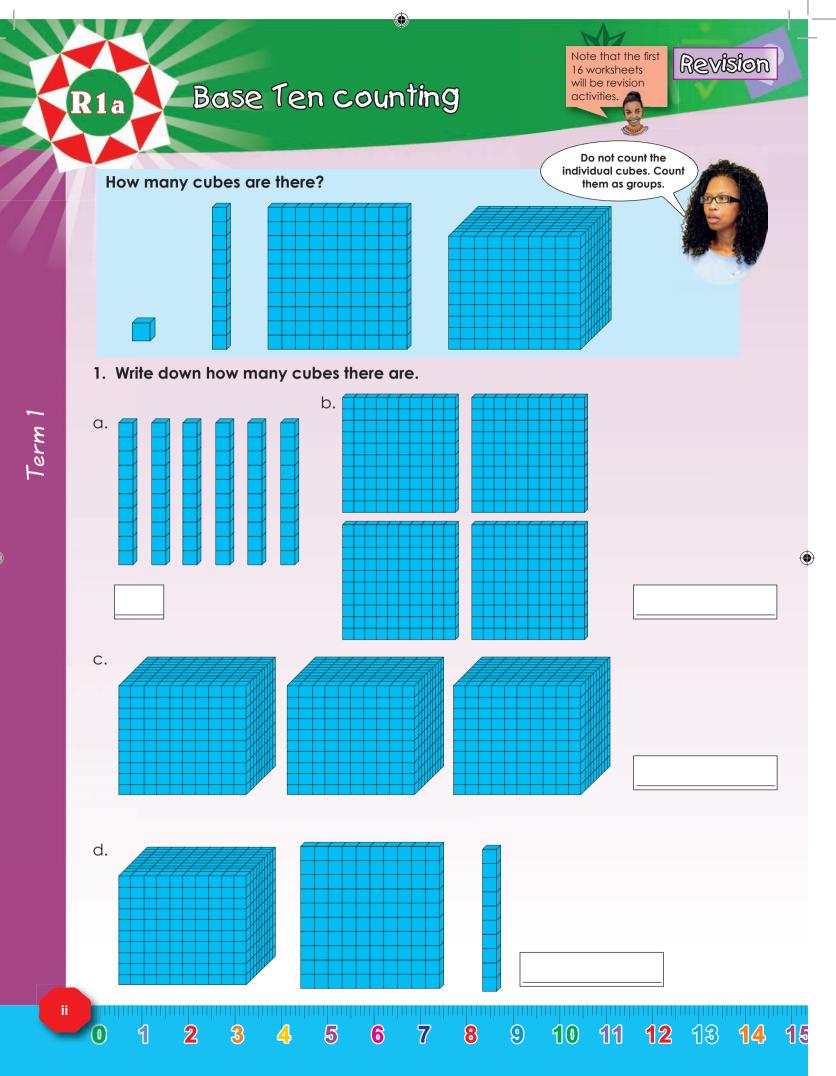


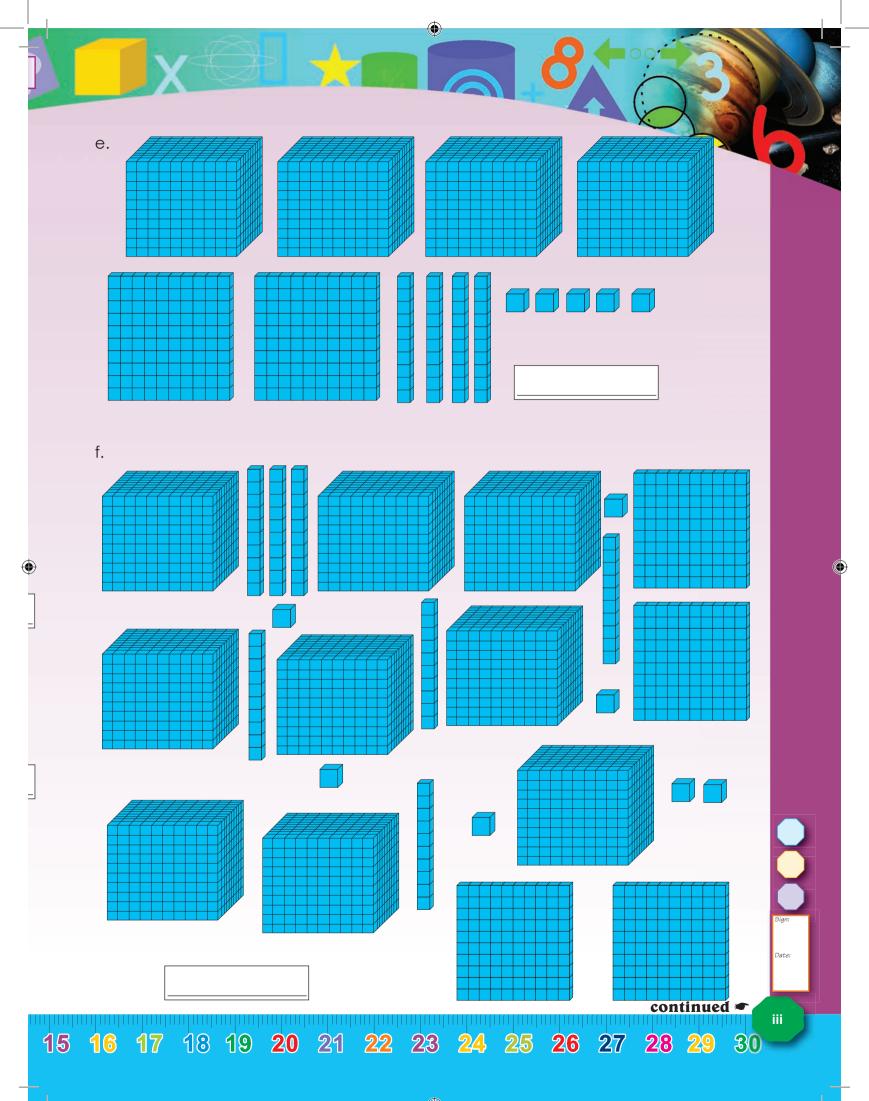
WORKSHEETS R1 to R16

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These bags, crates and trucks are filled with the same number of apples as above. Write down the total number of apples each time.



C.

















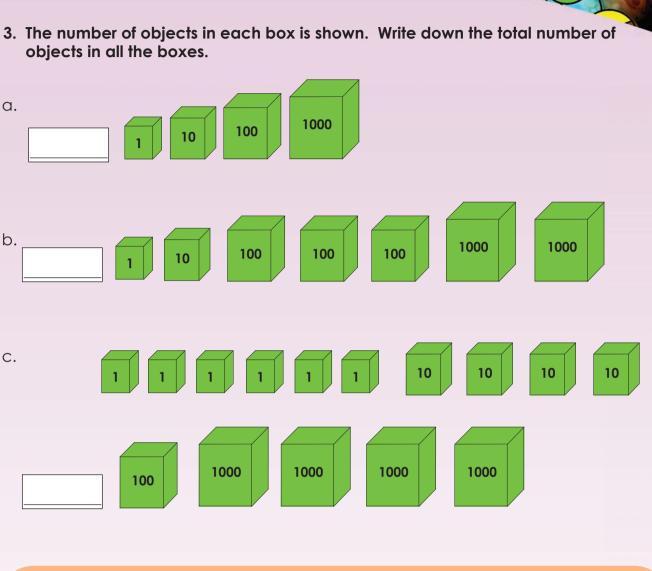


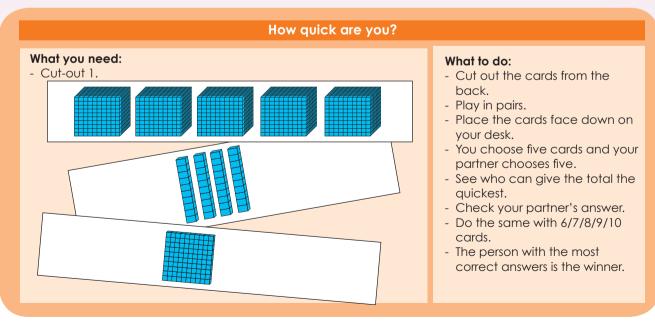






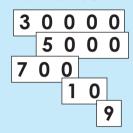


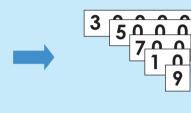






What number will these cards make?





35 719

In words it is

3 0 0 0

Thirty-five thousand seven hundred and nineteen

Use Cut-out 2 to show five different numbers.

1. Complete the following:























2. Write the number in the correct column:

		Ten Thousands	Thousands	Hundreds	Tens	Units
a.	8 756		8	7	5	6
b.	4 089					
C.	63 108					
d.	59 290					
e.	30 100					
f.	48 300					
g.	92 520					
h.	6 100					
i.	81 150					
j.	75 230					

3. Complete the following using the first question to guide you.

a.
$$5931 = 5$$
 thousands + 9 hundreds + 3 tens + 1 unit

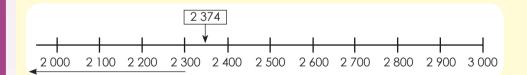
4. Complete the table below. The examples will help you.

		Expanded notation	Words
a.	5 689		
b.	3 089		
c.	40 312	40 000 + 300 + 10 + 2	
d.	70 001		
e.	98 304		Ninety-eight thousand three hundred and four
f.	60 244		
g.	50 025		
h.	32 344		
i.	22 999		
j.	100 304		

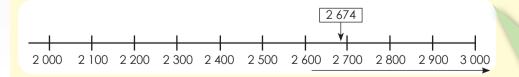
Rounding off to the nearest thousand.

If the **hundreds** digit is a 0, 1, 2, 3 or 4, round off the number to the previous (lower) thousand.

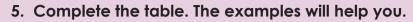
Example: 2 374 rounded off to the nearest thousand is 2 000.



If the **hundreds** digit is a 5, 6, 7, 8 or 9, round off the number to the next (higher) thousand. Example: 2 674 rounded off to the nearest thousand is 3 000.



Looking at this example, can you still remember how to round off to the nearest 10 and 100?



		Round off to the nearest 10	Round off to the nearest 100	Round off to the nearest 1 000
a.	38 764	38 760	38 800	39 000
b.	21 349			
c.	9 999			
d.	10 256			
e.	2 365			
f.	1 023			
g.	58 326			
h.	75 899			
i.	95 100			
j.	4 652			
k.	2 963			
I.	7 456			
m.	98 365			
n.	15 126			
0.	17 023			
p.	14 896			

What is the size of your number?

What you need:

- Cut-out 2
- Cut-out 3: Cut and fold the dice (units to ten thousands).



What to do:

- Play in pairs.
- Each player rolls the ten thousand (orange dice), thousands (purple dice), hundreds (yellow dice), tens (red dice) and units (blue dice) dice.
- Each player makes his or her own 5-digit number with the number (flard) cards.
- The winner is the player with the largest number.
- Do the same activity five times.





Colour the addition words red and the subtraction words blue.



difference

subtract

sum of

plus more than fewer than

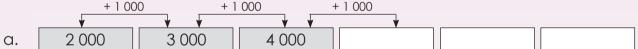
both

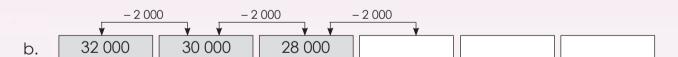
take away

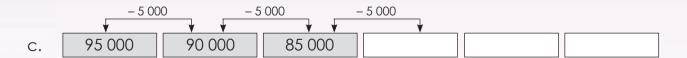
Add more of your own addition and subtraction words.

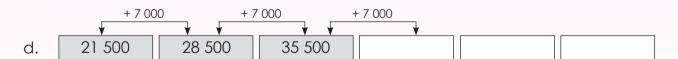
1. Complete the pattern:

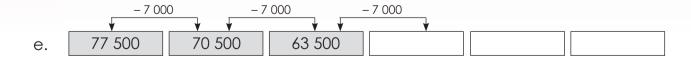
total

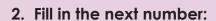












- a. 12 000, 15 000, 18 000,
- b. 99 000, 88 000, 77 000,
- c. 36 500, 42 500, 48 500,
- d. 48 500, 45 500, 42 500,
- e. 91 500, 88 500, 85 500,

3. Complete the table.

		Complete to the next 10	Complete to the next 100	Complete to the next 1 000
a.	348	348 + 2 = 350	348 + = 400	348 + = 1 000
b.	764	764 + = 770	764 + = 800	764 + = 1 000
C.	3 549	3 549 + = 3 550	3 549 + = 3 600	3 549 + = = 4 000
d.	2 176	2 176 + = 2 180	2 176 + = 2 200	2 176 + = 3 000
e.	5 398	5 398 + ==	5 398 + ==	5 398 + ==

Example 1:

$$= 30\ 000 + 2\ 000 + 700 + 80 + 3 + 2\ 000 + 100 + 20 + 9$$

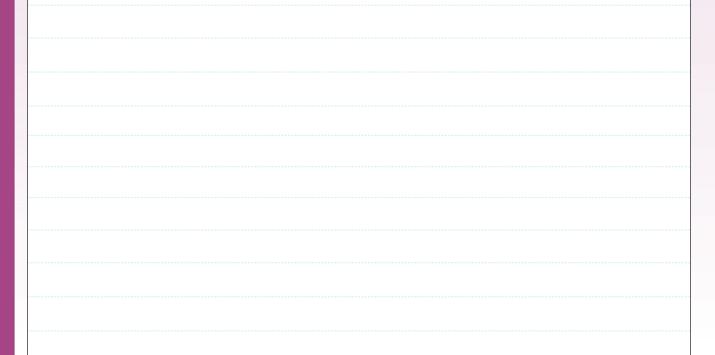
$$= 30\ 000 + 4\ 000 + 800 + 100 + 12$$

$$= 30\ 000 + 4\ 000 + 900 + 10 + 2$$

Example 2:

4. Use both methods above to calculate the following.

Write down the steps in your calculation in the space below.





Example 1:

48 342 - 2 131

$$= 40\ 000 + (8\ 000 - 2\ 000) + (300 - 100) + (40 - 30) + (2 - 1)$$

- $= 40\ 000 + 6\ 000 + 200 + 10 + 1$
- = 46 211

Example 2:

(2 - 1)(40 - 30)(300 - 100) $(8\ 000 - 2\ 000)$ $(40\ 000 - 0)$

5. Choose one of the methods above to calculate the following. Write down the steps in your calculation.

a.
$$98293 - 71 =$$

d.
$$62387 - 93 =$$

e.
$$44764 - 999 =$$

Continue on an extra sheet of paper.

10

What is the size of your number:

18 478 32 121

43 352

51 576

28 375

What you need:

Use the 10s, 100s and 1 000s dice you made in the previous activity.

100

1000

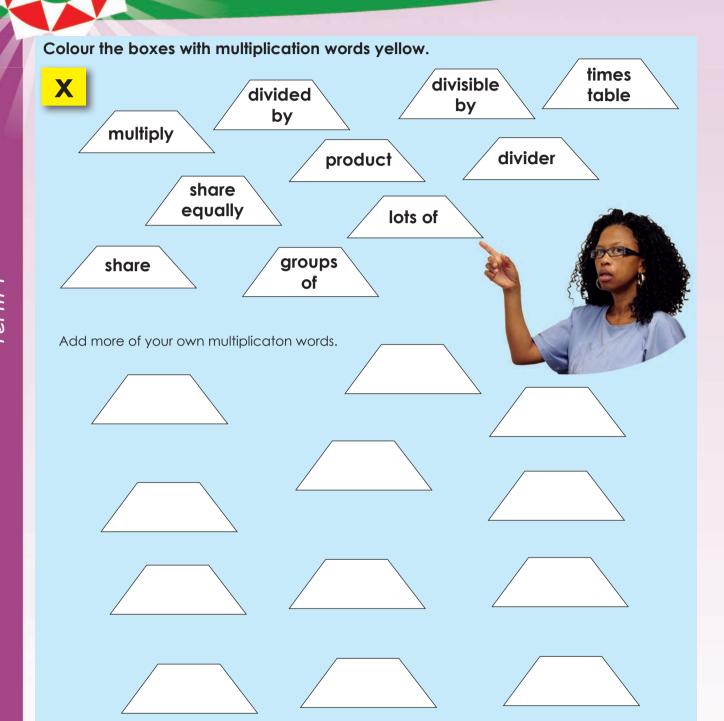
- Piece of paper.

What to do:

- Roll the tens (red) dice.
- Add the number landed onto the first number on the blue card.
- Write your addition sum on a piece of paper.
- Do the same with the next four numbers on the blue card.
- Learners check each other's additon sums.
- The winner is the person with the most correct answers. Repeat the activity with the 100s and 1 000s dice.

Repeat the activity using subtraction.

Multiplication and multiples



Multiples example:

- Some multiples of 7 are 7, 14, 21, 28, 35, 42, 49, 56, 63, 70, ...
- Some multiples of 700 are 700, 1 400, 2 100, 2 800, 3 500, 4 200, 4 900, ...

1. Fill in the missing numbers and then use the multiplication boards to answer the questions. Write the answers in the spaces provided.

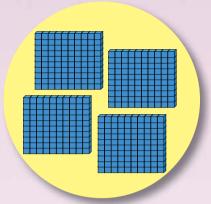
Х	1	2	3	4	5	6	7	8	9	10
1	1	2	3	4	5	6	7	8	9	10
2	2		6	8	10	12	14	16		20
3	3	6	9	12	15		21	24	27	30
4	4	8	12	16	20	24	28	32	36	40
5		10	15	20	25	30	35		45	50
6	6	12	18	24			42	48	54	
7	7	14	21	28	35	42	49	56	63	70
8	8	16	24	32	40	48	56	64		80
9	9	18		36	45	54	63	72	81	90
10	10	20	30	40	50	60	70	80	90	100

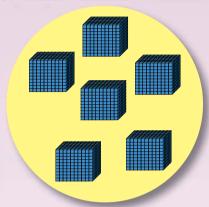
- a. Why are these boards called 'multiplication boards'?
- b. Write down 10 of each:
 - i. Multiples of 8.
 - ii. Multiples of 80.
 - iii. Multiples of 800.
 - iv. Multiples of 50.
 - v. Multiples of 100.

Х	10	20	30	40	50	60	70	80	90	100
100	1000	2000	3000		5000	6000	7000	8000	9000	10000
200	2000	4000	6000	8000	10000	12000		16000	18000	20000
300	3000	6000	9000	12000	15000		21000	24000	27000	30000
400	4000		12000	16000	20000	24000	28000	32000	36000	40000
500	5000	10000	15000	20000	25000	30000	35000	40000		50000
600	6000	12000		24000	30000	36000	42000	48000	54000	60000
700	7000	14000	21000	28000	35000	42000	49000	56000	63000	70000
800	8000	16000	24000	32000	40000	48000	56000		72000	80000
900	9000	18000	27000	36000		54000	63000	72000	81000	
1000		20000	30000	40000	50000	60000	70000	80000	90000	100000

continued 🖝

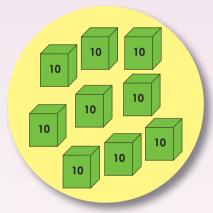
Term 1

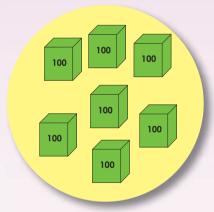


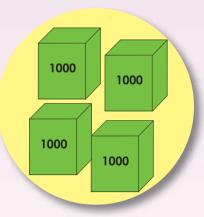


If you cannot remember how many cubes are in each object, go back to Worksheet 1.

d.







Examples:

Example 1:

43 x 26

 $= (40 + 3) \times (20 + 6)$

 $= (40 \times 20) + (40 \times 6) + (3 \times 20) + (3 \times 6)$

800 + 240 + 60 + 18

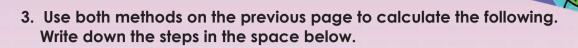
800 + 200 + 40 + 60 + 10 + 8

1000 + 110 + 8

= 1000 + 100 + 10 + 8

= 1118

Example 2:



a.
$$22 \times 24 =$$

b.
$$54 \times 36 =$$

c.
$$3214 \times 2 =$$

d.
$$4378 \times 9 =$$

Continue on an extra sheet of paper.
• •

X

In one minute I can ...

What you need:

- Use the 10s, 100s and 1 000s dice made in the previous activity.
- Piece of paper.



What to do:

- Roll the tens (red) dice and then a 100s dice.
- Multiply the two numbers.
- Write your multiplication sum on a piece of paper.
- Repeat doing this until your teacher says stop.
- Learners check each others' multiplication sums.
- The winner is the person with the most correct answers.
- Repeat the activity with the 100s and 1 000s dice.





wii



Division and factors

Colour the blocks with division words yellow. divisible times divided by table multiply by product share divider equally lots of groups of share Add more of your own division words.

Example of factors:

The factors of 24 are 1, 2, 3, 4, 8, 12 and 24. That means that 24 can be divided by all of those numbers.

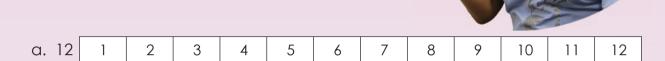
1	2	3	4	5	6	7	8	9	10	11	12
13	14	15	16	17	18	19	20	21	22	23	24

xviii

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 1

1. What are the factors of 12, 15, 16? Colour the correct numbers.

Remember to ask, e.g. can 12 be divided by 2?



															1
h 15	1 1	2	2	1	5	4	7	Q	0	1 1∩	11	12	12	11	15
0. 10)	4	J	0	/	0	/	10	1.1	_	10	14	
												1			

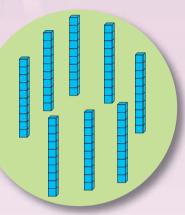
2. Complete the pattern in this table, listing some of the factors for the following four numbers.

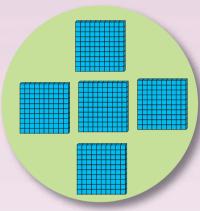
12	120	1 200	12 000
1	10	10, 100	
2	2 and 20		
3	3 and 30		
4	4 and 40		
6	6 and 60		
12	12 and 120		

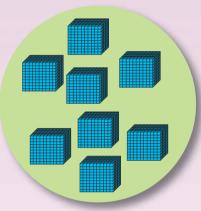
continued 🖝

xix

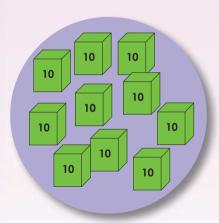
$$a. 80 \div 8 = 10$$

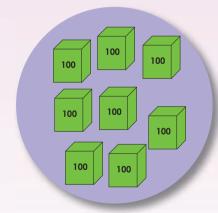


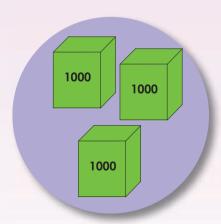




If you cannot remember how many cubes are in each object, go back to Worksheet 1.







Examples:

Example 1:

$$= (90 + 3) \div 3$$

$$= (90 \div 3) + (3 \div 3)$$

$$= 30 + 1$$

= 31

Example 2:

$$950 \div 50$$

$$= (900 + 50) \div 50$$

$$=$$
 (900 ÷ 50) + (50 ÷ 50)

$$= 18 + 1$$

19

Example 3:

$$= (400 + 50) \div 25$$

$$= (400 \div 25) + (50 \div 25)$$

$$= 16 + 2$$

18

10



a.
$$84 \div 4 =$$

b.
$$750 \div 50 =$$

c.
$$650 \div 25 =$$

Continue on an extra sheet of paper.

d.
$$90 \div 6 =$$

e.
$$550 \div 50 =$$

f.
$$850 \div 25 =$$

Continue on an extra sheet of paper.

÷

In one minute I can ...

What you need:

- The dice.
- Ordinary pink dice from Cut-out 3
- Piece of paper.



What to do:

- Roll a 100s dice and then the pink dice (Cut-out 3).
- Divide the bigger number by the smaller number.
- Write down the division sum with its answer.
- Repeat doing this until your teacher says stop.
- Give your division sums to your friend to mark.
- The winner is the person with the most correct division sums.





xxi



With what number can you replace the shape?



What can I replace the with?

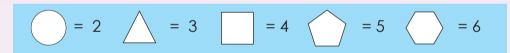
- $4 + \triangle = \triangle + 4$
- 5 x = x 5
- $(4 \times \bigcirc) \times 6 = \bigcirc \times (4 \times 6)$
- $(a + b) \times \bigcirc = a \times \bigcirc + b \times \bigcirc$

1. Replace the place holder with a number.

- e. (2 +) + 6 = 2 + (4 + 6)
- g. $(3 \times 1) \times 2 = 3 \times (4 \times 2)$

- b. + 4 = 4 + 6
- d. 7 x 4 = 4 x
- f. (7 + 8) + 6 = 7 + (+ 6)
- h. $(5 \times 1) \times 6 = 5 \times (\times 6)$

2. Complete the sums by replacing the shape with the number.



a. + 4 = 4 +

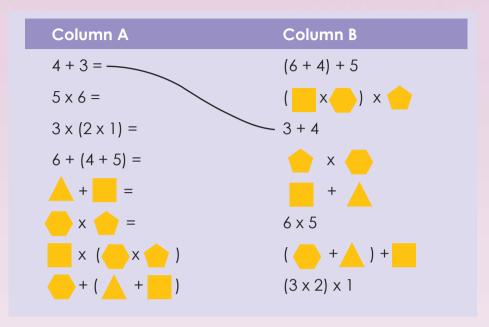
- b. 5 x = x 5
- c. (3+)+4=3+(+4)
- d. $(5 \times) \times 3 = 5 \times (\times 3)$

 $e. \quad 9 + \left\langle \right\rangle = \left\langle \right\rangle + 9$

- f. ($\times 2 \times 4 = \times (2 \times 4)$
- $|h. \bigcirc + \bigcirc = \bigcirc + \bigcirc$
- i. $(\bigcirc + \bigcirc) + \bigcirc = \bigcirc + (\bigcirc + \bigcirc)$

- 0
 - 1
- 2
- 9
- 4
 - }
- 5
- 6
- 7
- 8
- 9
- 10 1
- 1
- **12**
- 13
- 14

3. Match the sum in column A with the correct one in column B.



4. Answer true or false. If it is false change the sum to make it true.

a.
$$6-5=5-6$$

False
$$6 + 5 = 5 + 6$$

b.
$$20 \div 5 = 5 \div 20$$

c.
$$3 \times (2 + 1) = (3 \times 2) + 1$$

d.
$$8 + (5 - 4) = 8 - (5 + 4)$$

e.
$$3 \times 2 \times 4 = 3 \times (2 \times 4)$$

How many sums can you find?

We have found the first two sums for you:

$$4 \times 9 = 9 \times 4$$

$$9 \div 3 = 3$$

How many similar sums can you find?

4	+	=	5	+	4	2	4		3
х	3	9	+	7	х	4	=	7	4
9	6	+	4		5	+	2	=	9
=	8	9	÷	3	=	3	÷	9	0
9	2	+	6		5	=	6		5
х	1	2	+	3	х	5	=	4	+
4	4	=	1	+	4	4	2	=	0
5	+	2	4	=	4	+	3	1	=
2	3	+	8	=	8		3	3	0
1	+	9	х	8	=	8	х	9	5

xxiii

Look at the pictures and answer the questions.







How many sunflowers are in each of the pictures? How many bees?

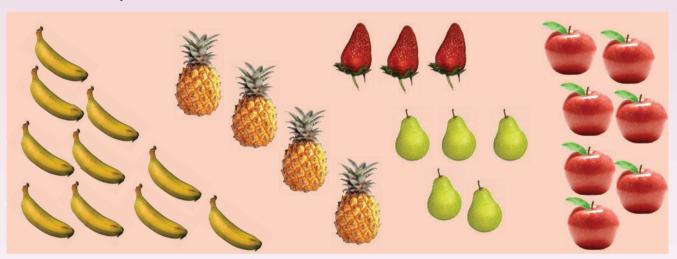




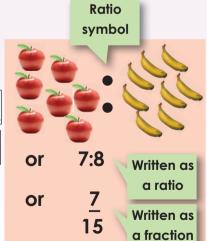


How much will you pay for 4 bunches?

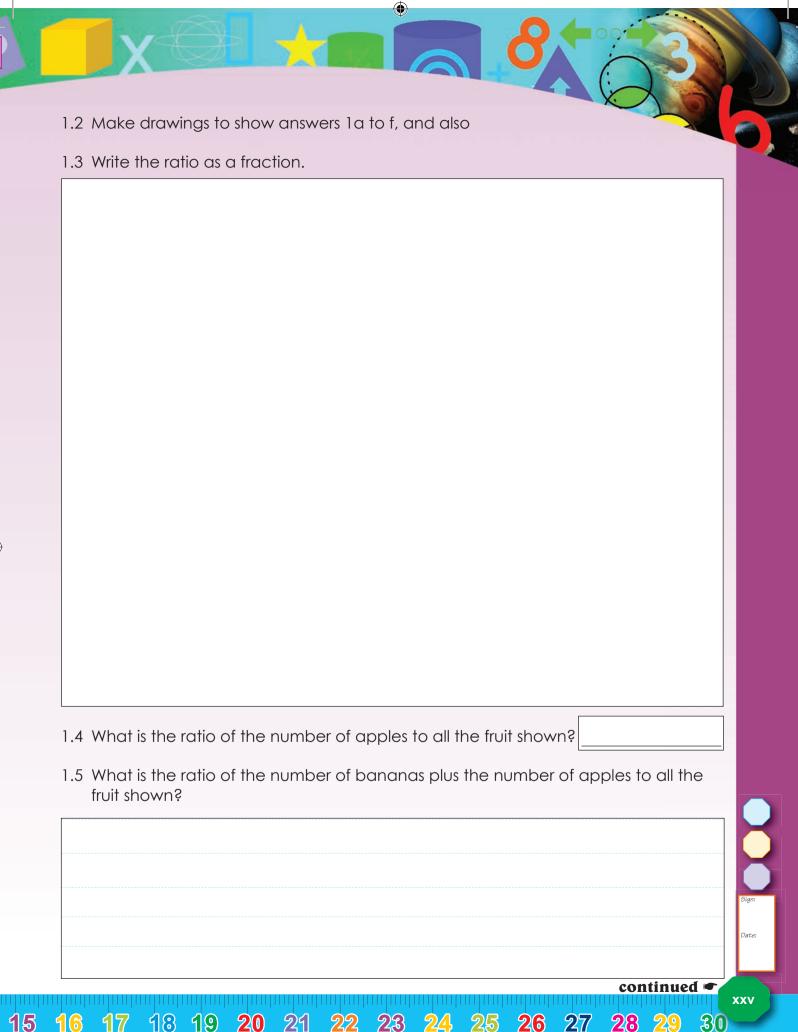
1. A ratio is a comparison between two numbers. Look at the picture below and answer the questions.



- 1.1 The ratio of the number of:
 - a. apples to the number of bananas is
 - b. pineapples to the number of strawberries is
 - c. pears to the number of strawberries is
 - d. bananas to the number of pears is
 - e. apples to the number of pears is
 - f. pears to the number of apples



xxiv



18 19 **20 26 27 28 29**



2. Look at the table and answer the questions about rate.



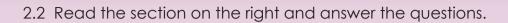
Payment	Speed	Measurement					
R50 per hour	60 kilometres per hour	R45 per kilogram					
11 12 1 10 2 10 3-1 8 4	45 6 7 80 100 120 140						
50 IBHANKI ENGUVONBA YOMZANTSI AFBIKA ABSAGTS 22 C	30 skips per minute	R9,50 per litre					
BANNIGA YA VHUKATI YA AFRIKA TSHIPEMBE	sport IIII	let Cream Milk					

- 2.1 Write each statement above using the 'per' symbol.
 - a. R50 per hour is the same as R50/h.

b. _____

d _____

e. |



- a. How far do I travel to class?
- b. How much money do I earn per month?
- c. How much do I pay for chicken per month?
- d. How much do I pay for milk per month?
- e. How many times do I skip per month?



It takes me 30 minutes to travel to school each day. I work 20 hours part time per month. I love eating chicken and drinking milk. I buy 4 kg of chicken and 20 litres of milk each month. I also exercise by skipping 150 minutes per month.

Shopping exercise



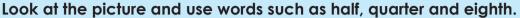
What to do:

- Bring an example or rands/kilogram from your home or from a shop.
- Back in class, compare your prices.
- Do all shops ask the same price?

xxvii

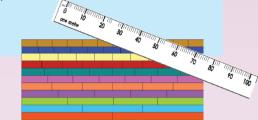
R8a

Fractions





- Look at the picture and discuss it in a group.
- What does it mean when the boy says
 "I will get one quarter of the juice."
- Show this statement by doing the activity practically.



 Cut the fraction board and two rulers from Cut—out 4 to help you to complete the table below, and to answer the other questions.

	mm	cm	mm = cm
One half $(\frac{1}{2})$ of a metre.	500 mm	50 cm	500 mm = 50 cm
Two quarters $(\frac{2}{4})$ of a metre.			
Three sixths ($\frac{3}{6}$) of a metre.			
Four eighths $(\frac{4}{8})$ of a metre.			
Five tenths $(\frac{5}{10})$ of a metre.			
Six twelfths $(\frac{6}{12})$ of a metre.			

Is this true or false?

a.
$$\frac{1}{2} = \frac{2}{4} = \frac{3}{6} = \frac{4}{8} = \frac{5}{10} = \frac{6}{12}$$











True False

True False

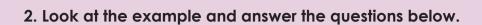
True False

True False

True False

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 19





Example:



If I divide a strip of paper into 10 equal pieces it could look like this.

		_	_	_	_	_	_

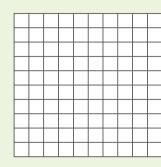
If I colour 2 of the 10 squares, I can say I have coloured 2 out of 10 squares.

I can also write it as:



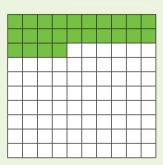


If I divide a piece of paper into 100 equal pieces it could look like this.



If I colour 24 of the 100 squares, I can say I have coloured 24 out of 100 squares. I can also write it as:

 $\frac{24}{100}$ or 0.24



Change these fractions into decimal fractions.

a.
$$\frac{4}{10} = \boxed{0.4}$$

b.
$$\frac{2}{10} =$$

c.
$$\frac{5}{10} =$$

d.
$$\frac{37}{100} = \boxed{ }$$
 e. $\frac{19}{100} = \boxed{ }$

e.
$$\frac{19}{100} =$$

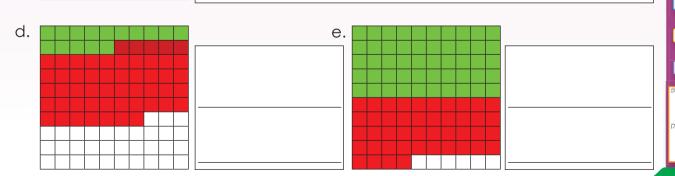
f.
$$\frac{25}{100} =$$

3. Write a plus and minus sum for each of the following, using the green and red shaded squares.

$$\frac{2}{10} + \frac{8}{10} = \frac{10}{10}$$

$$\frac{2}{10} + \frac{8}{10} = \frac{10}{10}$$
 $\frac{10}{10} - \frac{8}{10} = \frac{10}{10}$

b.



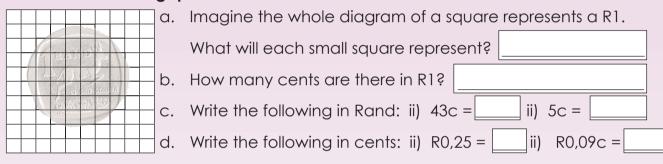
Money and fractions

Look at the picture and discuss it in pairs or groups.

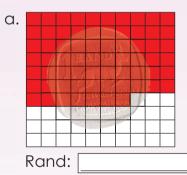


Look at the picture and discuss it in a group. Are they both correct? Explain your answer.

1. Answer the following questions:



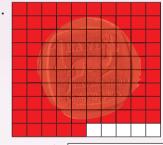
2. Look at the diagrams below that represent R1. What does each red square represent? Write your answer in Rand and cents.



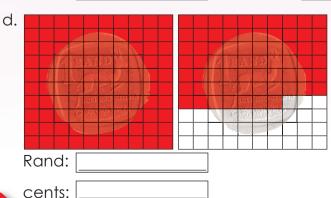
cents:

Rand:

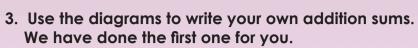
cents:



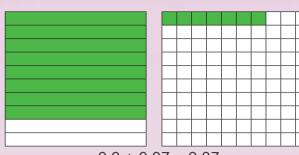
Rand: cents:



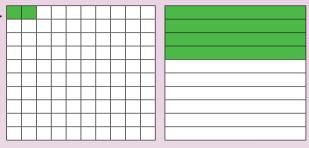
Rand:





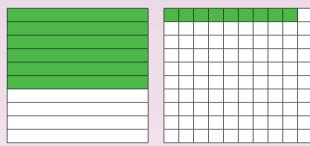


b.

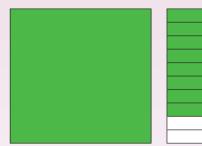


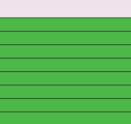
$$0.8 + 0.07 = 0.87$$

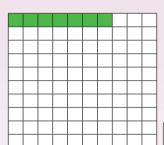
C.



d.







4. Answer the following:

b.
$$0.02 + 0.9 =$$
 c. $1 + 0.4 + 0.05 =$

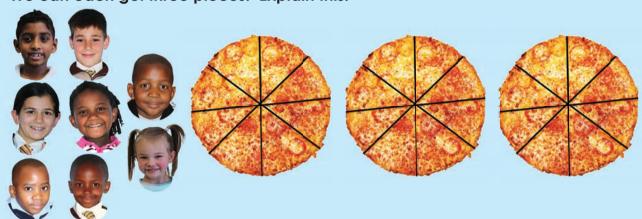
How much money is there?

Look at the money in the piggy bank. How much money is in there? (Give your answers in Rand and cents.

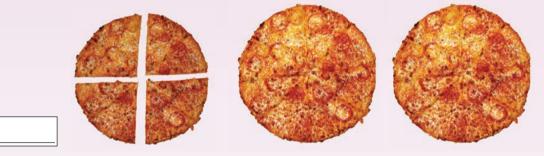




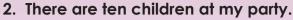




- 1. Some children are going to hold different parties. Make your own drawings to solve the following:
 - a. Party 1: Each child must get one quarter of a pizza. How many children can get slices from 3 pizzas? We have cut the first one for you.



- b. Party 2: Do the same activity but this time each child must get one sixth of a pizza. How many children can get slices from 3 pizzas?
- c. Party 3: This time each child must get one fifth of a pizza. How many children can get slices from 3 pizzas?
- d. Which party would you like to join? Why?
- e. You plan a party. You want to invite 30 children. You want to give them each one fifth of a pizza.
 - How many pizzas do you need?
 - You have one pizza left after the party. How many children did not come?



a. Two cakes are shared equally between ten children. What part of a cake will each child get?





b. At the party they also have 20 cup cakes on two plates. If the cup cakes are shared equally between the 10 children, how many cup cakes will each child get? What fraction of each plate will each learner get?





- c. If you want to give each child one seventh of a cake:
 - How many children can you invite to your party if you have 4 cakes?
 - One whole cake and one seventh of a cake are not eaten. How many children did not eat cake?
 - If 35 children arrived at your party, how many more cakes do you need?

$\overline{}$
- 1
- 1
- 1
- 1
—

Fraction fun at home



- With the help of an adult find as many things you can at home that are divided into equal pieces.
- Name each object and say how many pieces it is divided into.

Sign:

Date:

Date:

xxxiii



school •

clinic

park •

shop •

home



Make use of words such as:

- kilometre - kilometres - metres

1. Write the following in kilometres:

- a. 1 000 m =
- d. 270 m =
- b. 700 m =
 - e. 100 m =
- c. 150 m =
- f. 920 m =

2. Write the following in metres:

- a. 1 km =
- _____ C
- d. 2 km =

b. $0.5 \, \text{km} =$

- e. 1,4 km =
- c. $0,250 \text{ km} = \boxed{}$
- f. 1,25 km =
- 3. Do this practical activity in your class.

Part 1:

- a. How many metres is it from the back of your class to the front?
- b. How many metres is it from the one side to the other side of your class?
- c. If a classroom is 10 m long, how many classrooms can you fit into 1 km?

Part 2:

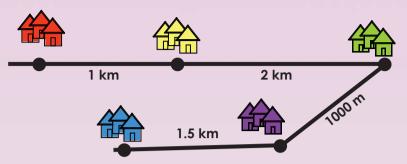
- a. How long is a second?
- Guess how many seconds it will take to walk from the front to the back of the class.
 - Write down your estimate.
 - Measure it with a watch or a stopwatch and write down your answer.
 - What is the difference between your estimate and the measurement?

xxxiv

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 1



4. Look at the picture and complete the table.





Distance from:	Kilometres (km)	Metres (m)	Seconds
The red town to the yellow town.			
The yellow town to the green town.			
The green town to the purple town.			
The purple town to the blue town.			

 A fence was built around this. How long is the fence?
 Write your answer in kilometres and metres.

km
]



Remember road safety and stay with your teacher.

- How long do you think will it will take to walk 1 kilometre?
- Go for a one kilometre walk. Time it.
- How long did it take?
- What is the difference between what you thought it would take and the time it took?

Date:

XXXV

15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

Area and perimeter



How could you measure the area of a rectangle in square centimetres?



Cut out square centimetres and lay them on rectangles.



Cut out the squares and place them on the rectangle as if you are tilling a floor.



24 square cm will cover the whole rectangle.



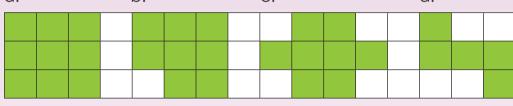
1. Find the area of each shape in square units.

a

b

C

d.



a.____

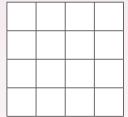
b.

c.___

d.

2. Draw the shape described on the grids below.

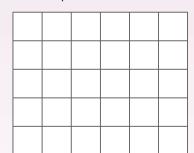
a. A square with an area of 4 square units.



b. A rectangle with 8 square units.



c. A triangle with 9 square units.

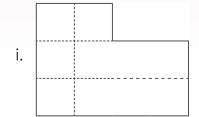


3. Use your ruler to draw the following:

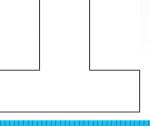
a. One square unit inside the coloured block.



b. Draw dashed lines to find the area. We have started the first one for you.



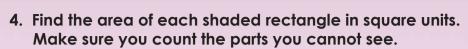
ii.



xxxvi

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 1





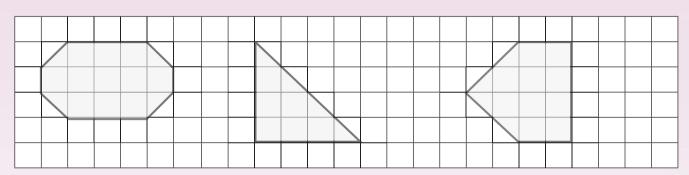








5. What is the area of the following shapes in square units.



6. The distance (perimeter of the shape) of 5a is approximately 9,6 cm. What is the perimeter of 5b and 5c?

Remember to use square units.

Area fun

- What is the area of the floor of your classroom?
- How did you work it out?

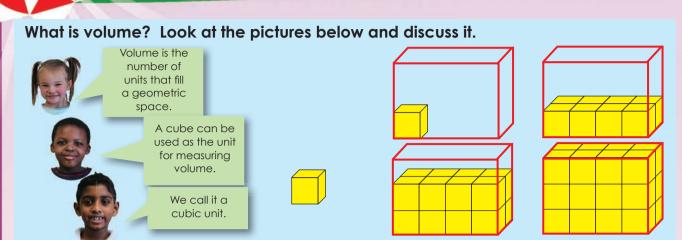




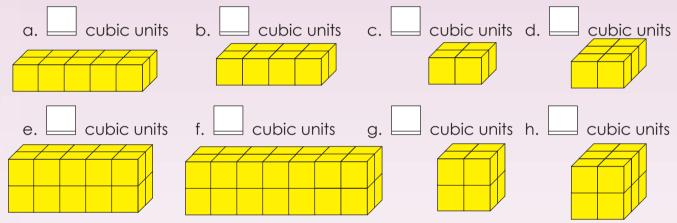
Pate:

cxxvii

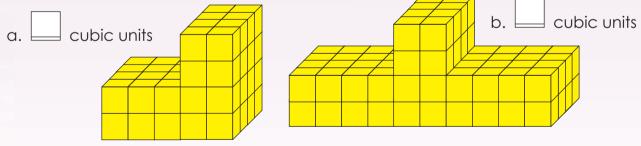
Volume



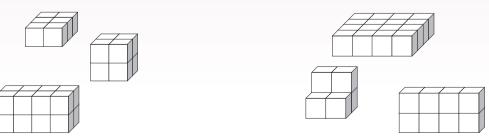
1. Find the volume of each object in cubic units.



2. Count the cubic units in each object. Remember to count the cubic units you cannot see.



3. Match an object on the right that has the same volume as an object on the left.

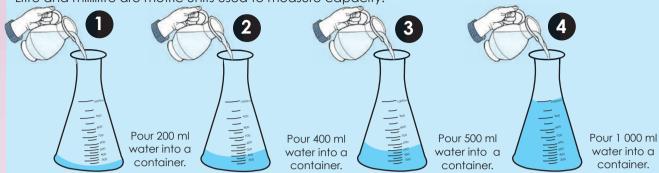


xxxviii

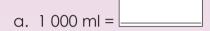
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 18

What is capacity? Look at the pictures below and discuss it. Use words such as:

Litre and millilitre are metric units used to measure capacity.



4. Write the following in litres:



5. Write the following in millilitres:

6. Use the container on the left to estimate whether the object holds more than, less than, or about the same as 1 litre or 1 000 millilitres.









d.





container.





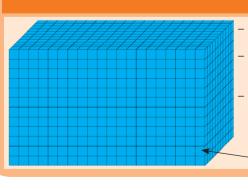






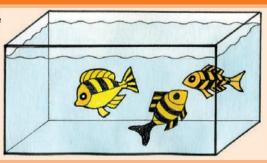


Fun with a small fish tank



What is the volume of the fish tank? What is the capacity in litres of the fish tank? What do you notice?

Each cubic unit represents 10 ml of water.





What is mass? Look at the pictures below and discuss it.



Grams and kilograms are metric units used to measure how heavy objects are.



A paper clip is about 1g.



A book is about 1 kg.

1. Write the following in kilograms:

2. Write the following in grams:

3. Use the object on the left to estimate whether the objects on the right are heavier or lighter than a kilogram or gram.







b.



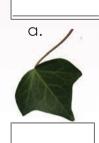


C.



d.





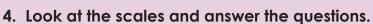




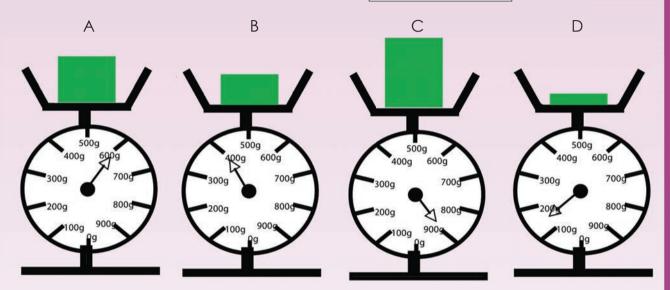








- a. Which objects weigh less than a kilogram?
- b. Which objects weigh between 500 g and 1 000 g?
- c. Which is the heaviest object?
- d. What is the total mass of objects A and B?



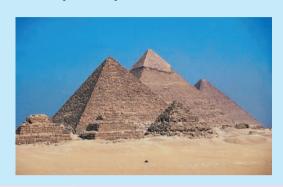
5. Simon weighs 30 kg on a bathroom scale.

How much will he weigh if he picks up one foot and stands on one leg instead of two?



The winning bag

- Gather different objects from around the classroom. Place them in a bag. Fill your bag until you estimate that it weighs about 1 kilogram.
- Weigh the bag and write down the weight.
- The winner is the learner whose bag weighs closest to 1 kilogram.
- You can repeat the activity by filling your bag with other objects.



- 1. Look at the following pictures and identify a:
 - a. sphere
- b. rectangular prism
- c. cylinder
- d. pentagonal pyramid

- e. cube
- f. triangular prism
- g. pentagonal prism
- h. hexagonal prism

















2. Name the 3–D object or 2–D shape:



















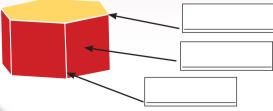


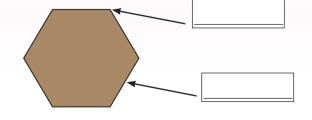






3. Label the parts of these diagrams.





10

4. Choose the correct net to go with the correct prism or pyramid.



prism



a. Triangular b. Rectangular prism



c. Cube



d. Pentagonal prism



e. Hexagonal prism



f. Octagonal prism



g. Tetrahedron/ Triangular pyramid



h. Square pyramid



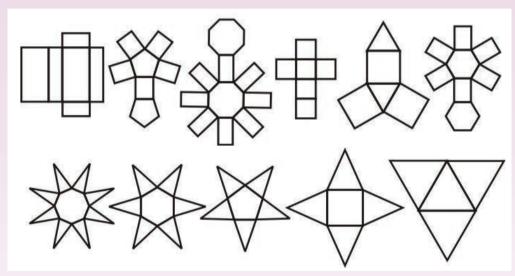
i. Pentagonal pyramid



j. Hexagonal pyramid



k. Octagonal pyramid



5. How are these nets similar or different?

Shape hunt There are road signs everywhere. Go on a field trip in your area. How many different shapes can you find? What do the signs mean?

16 17 18 19 20 21 26 27

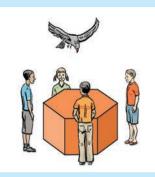


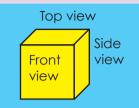




What shapes do they see? Discuss this.





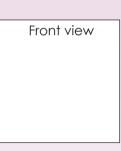


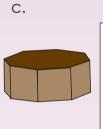
1. Draw the shape you will see from the view indicated.

a.



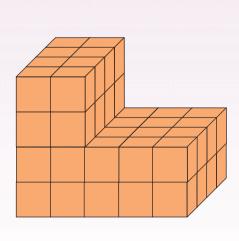


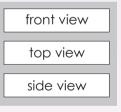




Side view

2. How does this building look from the front, side and top view? Choose the correct answers.

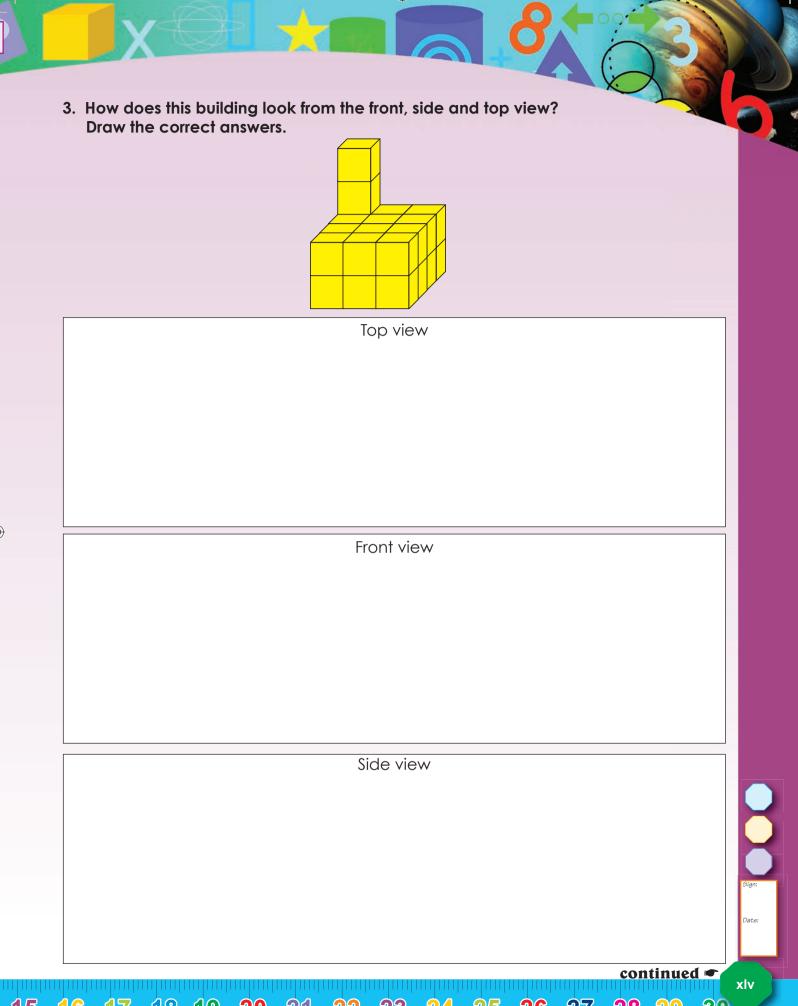




front view top view side view

front view top view side view

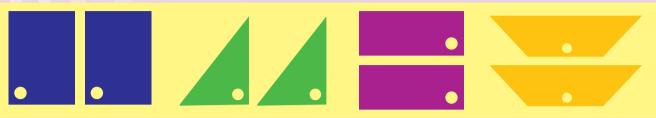
10



15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

Shapes continued

4. These shapes are copied and are placed next to each other.

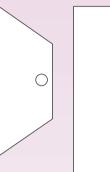


Place a copy next to these shapes and make your own drawing like the sample above.

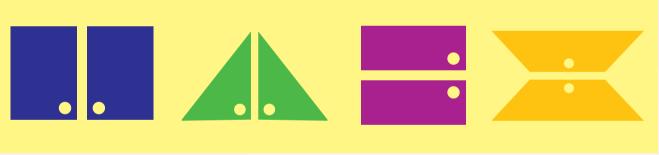
a.



b.

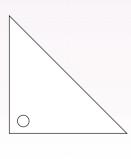


5. The copy of each shape is flipped.



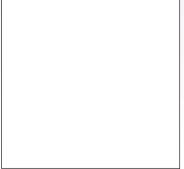
Flip these shapes and make your own drawing.

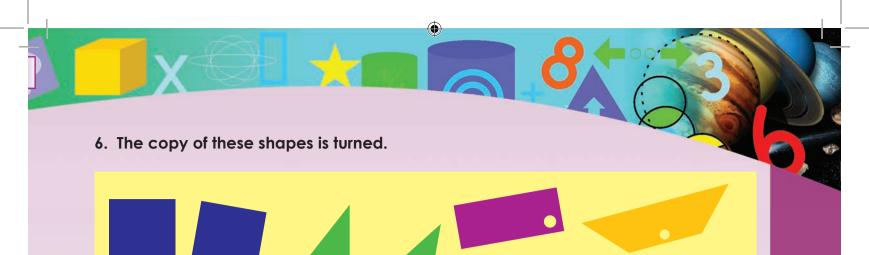
a.



b.

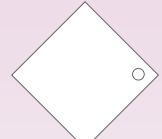




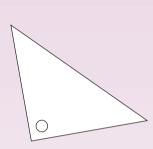


Turn these shapes and make your own drawing.

a.



b.



c.



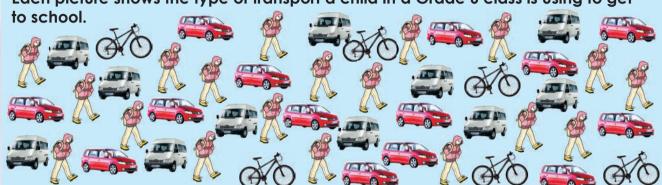
Be an artist!



- Take paper and a pencil.
- Go and sit outside a building. Make a drawing from the side and from the front.
- Show it with to the rest of the class.

Sign:

Date:



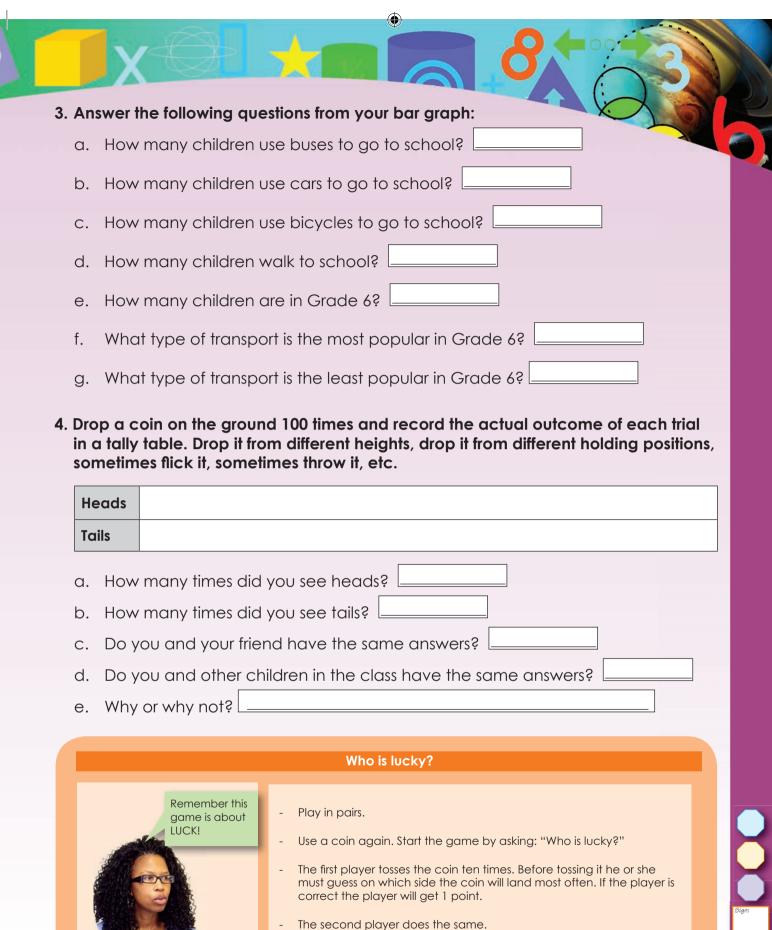
1. Sort the types of transport taken by a Grade 6 class of learners by completing the table.

Number

2. Use the information in the table above to draw a bar graph.



Type of transport



xlix

Do this ten times. The player with the highest score is the winner.



0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 ⁴



PART
2
WORKSHEETS
1 to 64

HSITSNE BOOK

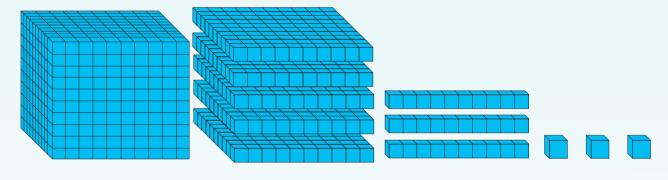
0 0

1 0

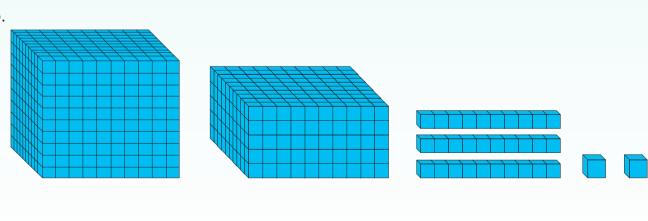
1



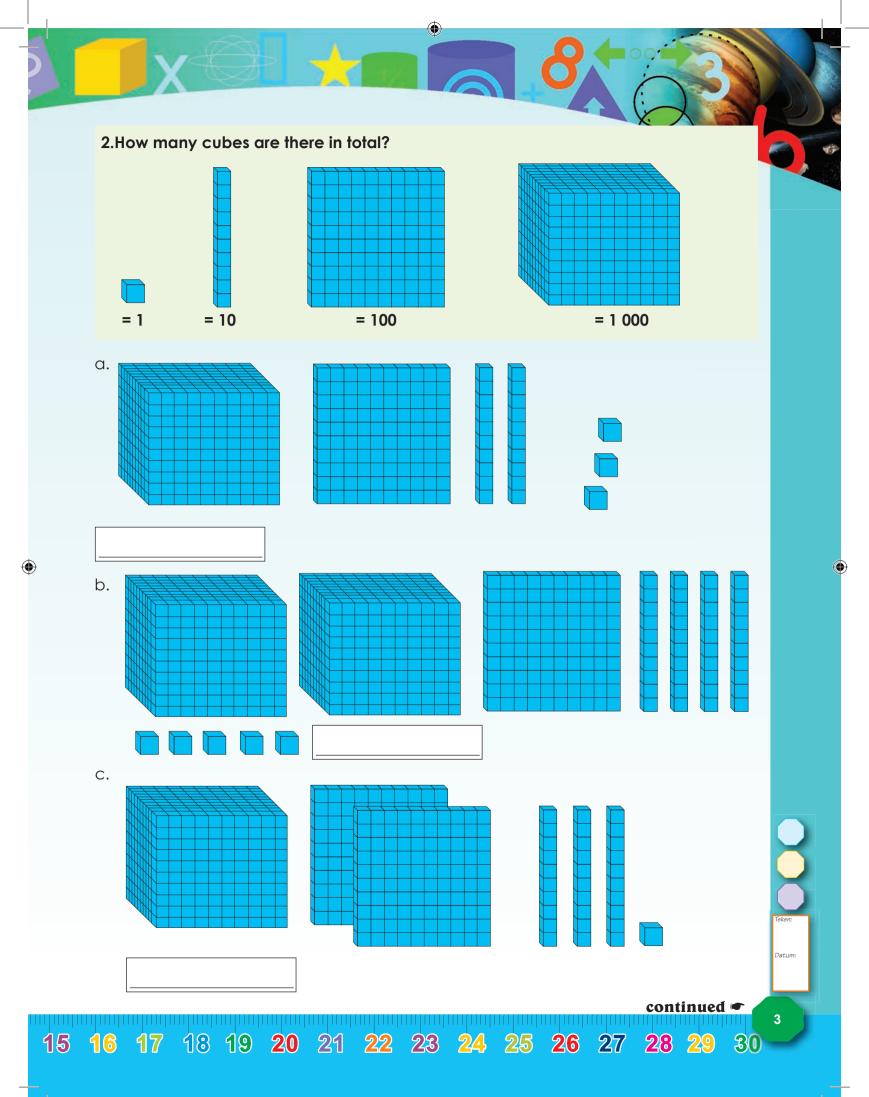
a.



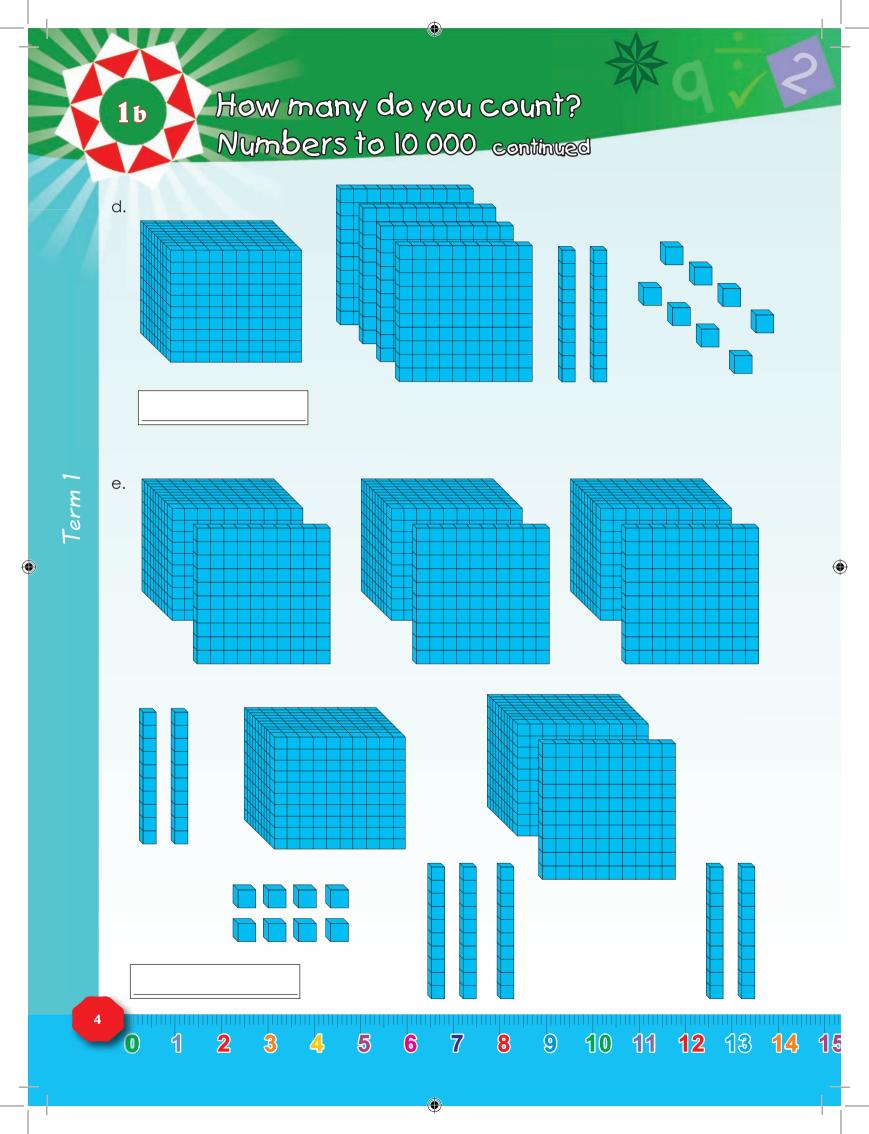
b.

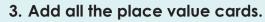


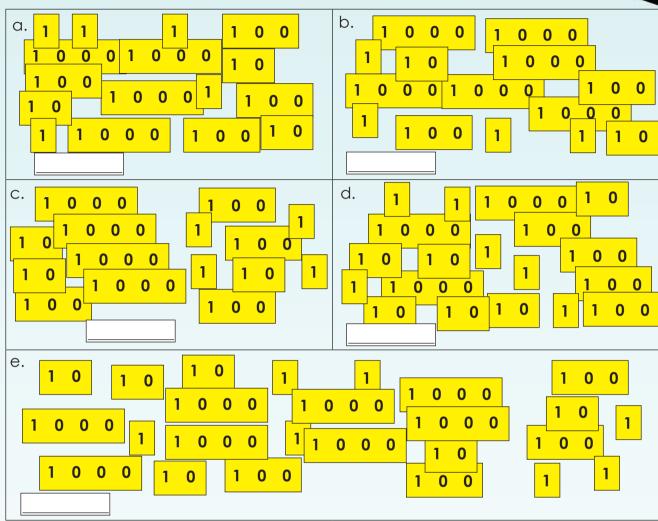
10



)





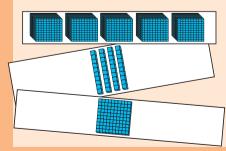


4. Calculate the following:

How quickly can you count?

What you need:

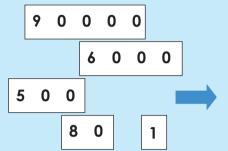
- Cut-out 1.

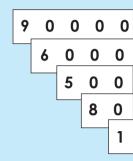


What to do:

- Play in pairs.
- Use the cards from Cut-out 1 from the back of the book.
- Place them face down on your desk.
- You choose five cards and your partner chooses five.
- See who can give the total the quickest.
- Check your partner's answer.
- Do the same with 6 cards each, then 7, 8, 9 and 10 cards.
- The person with the most correct answers is the winner

What number will these cards make?







Use Cut-out 2 to show five different numbers.

1. Complete the following:

2. Complete the following table:

		Ten thousands	Thousands	Hundreds	Tens	Units
a,	92 578	9	2	5	7	8
b.	38 201					
C.	40 002					
d.	31 420					
e.	90 706					

3. Complete the following. Use the first activity to guide you.

4. Complete the table below:

		Expanded notation	Words
a.	98 795		
b.	73 289		
C.	12 009		
d.	32 320		
e.	40 002		

5. What is the value of the underlined digit?

b. <u>4</u>2 983

|--|

d. 12 9<u>7</u>0

e. 42 <u>8</u> 00	

6. What will you do to change the number?

a.	34 589	30 589
b.	28 934	28 034
c.	94 783	94 700
d.	94 783	70 000

Find a large number

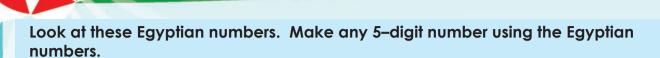
What to do:

- Bring a newspaper to class.
- Find five 5-digit numbers in the newspaper. Write them down.
- Tell the class what each number means.

What you need: A newpaper



More numbers 0 to 100 000



Units



tens



hundreds



thousands



ten thousands



hundred thousands



millions



1. Complete the table below:

Egyptian numbers	Number	Expanded notation

2. Arrange the numbers from the smallest to the biggest.

- a. 34 567, 43 675, 34 765, 34 667, 43 765
- b. 29 876, 29 867, 29 678, 29 687, 28 678
- c. 12 221, 12 212, 12 122, 12 121, 12 101
- d. 90 009, 99 009, 90 909, 90 090, 9 000
- e. 42 444, 44 224, 44 422, 44 424, 42 424

3. Fill in whether the first number is < or > than the second number.

- a. 34 567
- 34 657
- b. 12 001
- 12 002
- c. 43 444
- . _ 00_
- 0. 10 11
- 44 333
- d. 99 999
- 99 990
- e. 76 767 76 776

Can you still remember what < means and what > means?



8

0 1 **2 3 4** 5 6 7 **8** 9 10 11 **12** 13 **14** 1

4. What is the value of the 4 in each of these numbers

- a. 98 432
- b. 74 322
- c. 63 284
- d. 61 994
- e. 49 352

5. Complete the following:

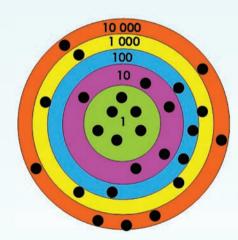
1

4

9

- a. Use each digit once. Make the smallest 5-digit number:
- b. Use each digit once. Make the largest 5-digit number:
- c. You can use a digit twice. Make the smallest 5-digit number:
- d. You can use a digit twice. Make the largest 5-digit number:

6. Complete the following:



You have dropped some stones onto a game board. This was the result. If you add the numbers, what is the total?

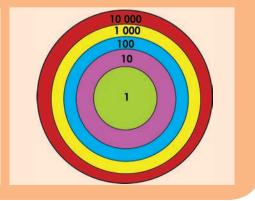
Who can get the largest number?

What you need:

- The game board on the right.
- Ten small stones.

What to do:

- Drop your stones onto the board.
- Write down the number they land on.
- Do this ten times.
- Add the numbers.
- The winner in a group is the person with the biggest number.

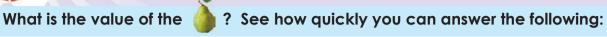


Sign:

9

Properties of numbers





300 + 2 = 6 + 300	=	× 1 = 1 × 1 000 000	<u> </u>
400 x 600 = 600 x	=	250 + 6 = 250 + 0	=
900 + 8 = 80 + 900	=	300 x 8 = 900 x 300	=
x 400 = 400 x 10 000	=	1 x 3 x 🏅 = 3 x 1 x 10	=
0,4 + 0,5 = 0,5 +	=	300 + 40 + 5 = 40 + 5+	<u> </u>

1. Use the properties of number to find the perimeter of each rectangle.

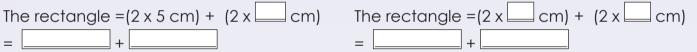
a.

	5 CM	
2 cm		2 cm
	5 cm	

b.

_	12 cm	_
CL		C
	12 cm	

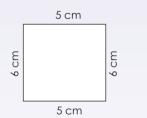
=	+	







d.



The rectangle = $(2 \times 6 \text{ cm}) + (2 \times 10^{-4})$

=	+	

111	c rectangle	_	(2 × 0 Citi)	
=		+		

The rectangle = $(2 \times \text{cm}) + (2 \times \text{cm})$

2. Do the sums.

a.
$$(1 \times 10) + [(2 \times 10) + 4] + 3$$

b.
$$[(2 \times 10) + 8] + (3 \times 10) + 5]$$

3. What is the value of X?

b.
$$800 \times 125 = X \times 800$$

c.
$$(287 + \%) + 245 = 287 + (273 + 245)$$

d.
$$(1.000 \times 0.9) \times 10 = 1.000 \times (\times \times 0.9)$$

e.
$$(50 + 40) \times 0.2 = 50 \times X + 40 \times X$$

f.
$$9999999 + 0 = X$$

h.
$$1000000 - X = 0$$

i.
$$275.508 +$$
× = 275.508

4. If a = 200, b = 40, c = 1200, complete and calculate the sums.

$$b. a \times b = b \times a$$

c.
$$(a + b) + c = a + (b + c)$$

d.
$$(a \times b) \times c = a \times (b \times c)$$

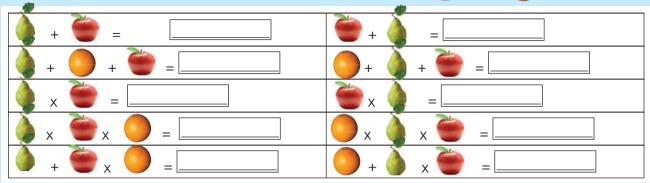
e.
$$(a + b) \times c = a \times c + b \times c$$

Sudoku fun

		7		4	3			9
9						3		
		5		8	9	1		
5	9				8			6
			2		4			
4			9				3	8
		9	6	3		8		
		2						3
1			4	9		5		

How quickly can you answer the following?





1. Say whether the following is true or false.

a.
$$50\ 000 + 4\ 000 = 4\ 000 + 50\ 000$$

b.
$$300 \times 900 = 900 \times 300$$

c.
$$7000 - 6000 = 6000 - 7000$$

d.
$$200 \div 400 = 400 \div 200$$

e.
$$(20 \times 80) \times 10 = 20 \times (80 \times 10)$$

f.
$$a + b = b + a$$

g.
$$a-b=b-a$$

h.
$$a \div b = b \div a$$

i.
$$axb = bxa$$

j.
$$(a + b) \times c = a + (b \times c)$$

2. Choose the correct answer.

a.
$$1\ 000\ 000 + 50\ 000 = a + 1\ 000\ 000$$

i.
$$\alpha = 1 000 000$$

ii.
$$a = 50000$$

c.
$$400 \times 500 = 500 \times$$

b.
$$6789 + 3999 = b + 3999$$

d.
$$175 \times 132 = 132 \times y$$

i.
$$y = 23 100$$

ii.
$$y = 132$$

iii.
$$y = 175$$







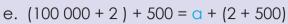






10 11

12



i. $\alpha = 100000$

ii. $\alpha = 2$

iii. a = 500

i. 0

ii. 1

iii. a

i.
$$6 \times 5 + 3 =$$

i. 33

ii. 48

iii. 14

k.
$$7 + 8 \times 10 =$$

i. 150

ii. 87

iii. 25

m.
$$7 + (6 \times 2 + 3)$$

i. 18

ii. 37

iii. 22

f. ($b \times 100$) $\times 200 = 50 \times (100 \times 200)$

i. b = 200

ii. b = 100

iii. **b** = 50

$$h. 0xa =$$

i. 0

ii. 1

iii. a

i.
$$27 \div 3 + 3 =$$

i. 3

ii. 11

iii. 12

$$1.5 + 15 \div 5 =$$

i. 8

ii. 4

iii. 25

n.
$$8 + (6 \div 2 + 1)$$

i. 12

ii. 11

iii. 17



Remember

BODMAS



An equation says that two things are the same, using maths symbols. An equal sign (=) is used.

3. Make four equations of your own.



Sudoku fun

				7		1		
			9					2
3	4				8			
6	7	1					2	
		5		1		9		
	2					6	8	1
			6				4	9
5					9			
		6		8				



Addition and subtraction up to 5-digit numbers

What is the difference between the numbers in each of these rows?

1 000	2 000	3 000	4 000	5 000	6 000	7 000	8 000	9 000	10 000
1 001	2 001	3 001	4 001	5 001	6 001	7 001	8 001	9 001	10 001
1 010	2010	3 010	4 010	5 010	6 010	7 010	8 010	9 010	10 010
1 005	2 005	3 005	4 005	5 005	6 005	7 005	8 005	9 005	10 005
10 400	20 400	30 400	40 400	50 500	60 400	70 400	80 400	90 400	100 400

1. What number comes next?

- a. 1 000, 2 000, 3 000,
- b. 10 000, 20 000, 30 000,
- c. 1 045, 2 045, 3 045,
- d. 30 500, 40 500, 50 500,
- e. 7 999, 8 999, 9 999,
- f. 69 999, 79 999, 89 999,

2. Complete the table. Add to the given number.

Number	Add 10	Add 100	Add 1 000	Add 10 000
42 389				
76 381				
45 002				
45 982				

3. Fill in the missing number.

4. Fill in the missing number.

5. Complete the table.

		Complete to the next 10	Complete to the next 100	Complete to the next 1 000
a.	457	457 + = 460	457 + = 500	457 + = 1 000
b.	685	685 + = 690	685 + = 700	685 + = 1 000
C.	2 857	2 857 + = 2 860	2 857 + = 2 900	2 857 + = 3 000
d.	4 575	4 575 + = 4 580	4 575 + = 4 600	4 575 + = 5 000
e.	8 999	8 999 + = 9 000	8 999+ = 9 000	8 999 + = 9 000

Addition and subtraction up to 5-digit numbers continued

Examples:

Example 1:

42 672 + 31 849

$$= 40\ 000 + 2\ 000 + 600 + 70 + 2 + 30\ 000 + 1\ 000 + 800 + 40 + 9$$
$$= 70\ 000 + 3\ 000 + 1\ 400 + 110 + 11$$

$$= 70\ 000 + 3\ 000 + 1\ 000 + 400 + 100 + 10 + 10 + 1$$

$$= 70\ 000 + 4\ 000 + 500 + 20 + 1$$

$$= 74521$$

Example 2:

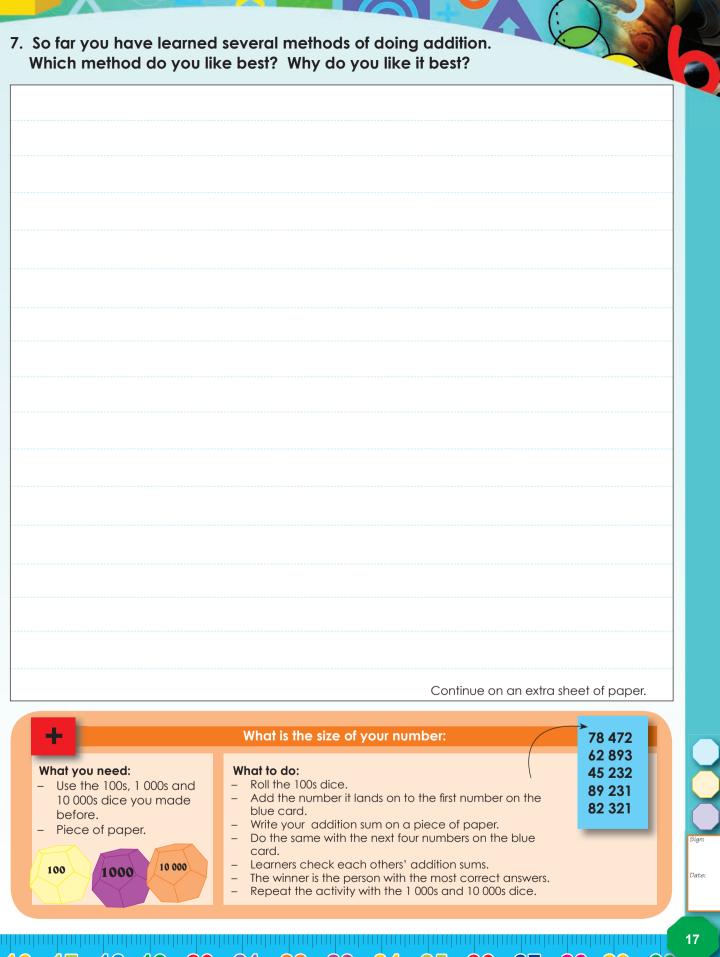
6. Use both methods above to calculate the following.

Continue on an extra sheet of paper.

d.
$$65432 + 24783 =$$

Continue on an extra sheet of paper.

Continue on an extra sheet of paper.



15 16 17 18 19 **20** 21 **22 23 24 25 26 27 28 2**9 30

Subtraction up to 5-digit numbers

What is the difference between the numbers?

1 000	2 000	3 000	4 000	5 000	6 000	7 000	8 000	9 000	10 000
1 005	2 005	3 005	4 005	5 005	6 005	7 005	8 005	9 005	10 005
1 025	2 025	3 025	4 025	5 025	6 025	7 025	8 025	9 025	10 025
10 009	20 009	30 009	40 009	50 009	60 009	70 009	80 009	90 009	100 009
10 700	20 700	30 700	40 700	50 700	60 700	70 700	80 700	90 700	100 700

1. What number comes next?

- a. 3 000, 2 000, 1 000,
- b. 50 000, 40 000, 30 000,
- c. 3 045, 2 045, 1 045,
- d. 80 500, 70 500, 60 500,
- e. 9 999, 8 999, 7 999,
- f. 99 999, 89 999, 79 999,

2. Complete the table. Subtract from the given number.

Number	Subtract 10	Subtract 100	Subtract 1 000	Subtract 10 000
38 982	38 972			
67 463				
28 394				
34 001				
38 291				

3. Fill in the missing number.

4. Say if the following is true or false:

c.
$$4 + (3 + 2) = 4 + (3 - 1)$$

d.
$$(4-2)+1=4-(2+1)$$

e.
$$(5-3)-2=5-(3-2)$$

5. Complete the table. Use subtraction.

		Complete to the previous 10	Complete to the previous 100	Complete up to the previous 1 000.
a.	1 232	1 232 – = 1 230	1 232 – = 1 200	1 232 – = 1 000
b.	2 214	2 214 - = 2 210	2 214 - = 2 200	2 214 - = 2 000
C.	3 457	3 457 – = 3 450	3 457 – = 3 400	3 457 – = 3 000
d.	4 575	4 575 – = 4 570	3 457 – = 3 400	4 575 – = 4 000
e.	8 999	8 999 – =	8 999 – =	8 999 – =

Examples:

This is a problem!

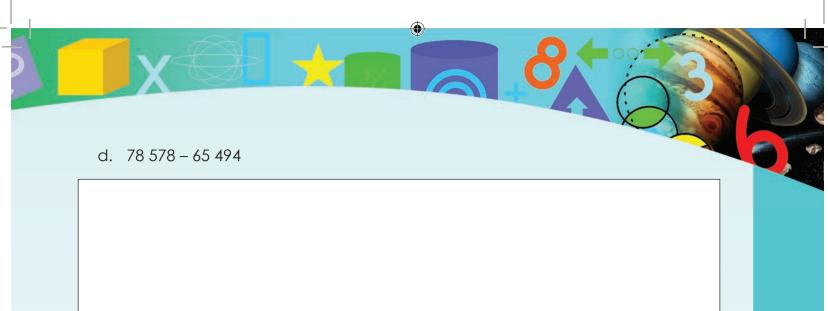
Examples.	This is a		7	/	2	7	_	
Example 1:	problem!		/	6	3	/	Э	
•	problem:	_	5	3	1	9	4	
76 375 – 53 194		_					<u> </u>	
							1	(5 - 4)
$= (70\ 000 - 50\ 000) + (6\ 000 - 3\ 000) + (3\ 000) $	300 - 100) + (70 - 90) + (5 - 4)					8	\cap	(170 – 90)
(70,000 - 50,000) + (7,000 - 2,000) + (7	200 100) + (170 00) + (5 4	١.				O	U	(170 - 70)
$= (70\ 000 - 50\ 000) + (6\ 000 - 3\ 000) + (2\ 000 - 3\ 000) + $	200 - 100) + (170 - 90) + (5 - 4))			1	0	0	(200 - 100)
= 20 000 + 3 000 + 100 + 80 + 1				_				,
- 20 000 + 3 000 + 100 + 60 + 1				3	0	O	0	$(6\ 000 - 3\ 000)$
= 23 181			2	\cap	\cap	\cap	\cap I	70 000 – 50 000)
20 101				0	U	U	_0 (70 000 – 30 000)
			_	-	-	-	_	

6. Use both methods to solve the problem.

Continue on an extra sheet of paper.

Continue on an extra sheet of paper.

Continue on an extra sheet of paper.



Continue on an extra sheet of paper.

e. 45 945 - 32 684

Continue on an extra sheet of paper.

f. 75 321 - 64 290

Continue on an extra sheet of paper.

What is the size of your number? 78 472 62 893 What you need: What to do: 45 232 Use the 10s, 100s, 1000s Roll the 100s dice. 89 231 Subtract the number it lands on from the first number and 10 000s dice you 82 321 on the blue card. Write your subtraction sum on a made before. piece of paper. - Piece of paper. Do the same with the next four numbers on the blue Learners check each others' subtraction sums. 100 The winner is the person with the most correct answers. 10 000 Repeat the activity with the 1 000s and 10 000s dice.

8a

More addition and subtraction up to 5-digit numbers

How fast can you answer these?

- Add 40 000 and 5 000.
- Subtract 15 000 from 100 000.
- 10 000 plus 7 500 is?
- The sum of 75 000 and 25 000 is?
- Take 12 000 from 45 000.
- Decrease 62 000 by 13 000.
- Increase 28 000 by 12 000.
- 63 000 and 15 000 is?



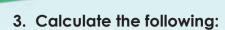
1. Add to or subtract from the given number.

	Add 7 000	Subtract 4 000	Add 50 000	Subtract 20 000
20 000	27 000			
25 000				
47 500				
39 250				
28 825				

2. Answer the following questions:

a.	What is the	e inverse	(opposite	operation)	of subtraction?
----	-------------	-----------	-----------	------------	-----------------

b. What is the inverse (opposite operation) of division?



4. Check your own answers for each of the above calculations, using the inverse operation.



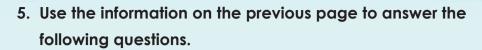
More addition and subtraction up to 5-digit numbers continued

Soccer stadium ticket sales. 4 Category 2 Category 3 **Category 4** Category 1

Categories	Capacity
Category 1	30 000
Category 2	37 500
Category 3	11 250
Category 4	11 250

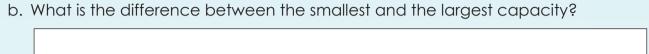
24

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 18









C.	What is the difference between the largest and second largest capacity?

d.	What is the full capacity of the stadium?

f. Categories 1, 3 and 4 were sold out. 24 878 Category 2 tickets were sold. How many more tickets should be sold to sell all the tickets?

g.	Find out which soccer stadium this could be in South Africa.

Coloured numbers



What to do:

Play in pairs.

- The first player tells the second player too add red (or blue or yellow) numbers. The second player takes any two red numbers and adds them. If the player is correct, he or she will get one point.
- The second player tells the first player too subtract (yellow or red or blue) numbers. The first player makes a sum with any two yellow numbers.
- Carry on playing. The first person with a score of 10 is the winner.

Fractional notation



Proper Fraction

A proper fraction is a fraction in which the numerator (the top number) is smaller than the denominator (the bottom number). It is less than one. Examples: $\frac{1}{3}$, $\frac{2}{5}$, $\frac{5}{7}$

Improper Fraction

An improper fraction is a fraction in which the numerator (the top number) is greater than or equal to the denominator (bottom number).

Examples: $\frac{4}{3}$, $\frac{5}{2}$, $\frac{7}{5}$, $\frac{2}{2}$.

Mixed Fraction

A mixed fraction is a whole number and a proper fraction combined into one "mixed number". It is larger than one. It is also called a mixed number.

Common Fraction

A common fraction is a fraction in which the numerator and denominator are both integers, as opposed to fractions. It is also called a vulgar fraction.

1. There are 15 boys and 25 girls in the class of 40 learners.





- a. What fraction of the class is girls?
- b. What fraction of the class is boys?
- c. Write an improper fraction for the whole picture above. \sqsubseteq

2. Look at the diagram and write a common fraction for each colour.

What fraction is red?	What fraction is blue?	What fraction is yellow?

continued 🖝

27

15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30

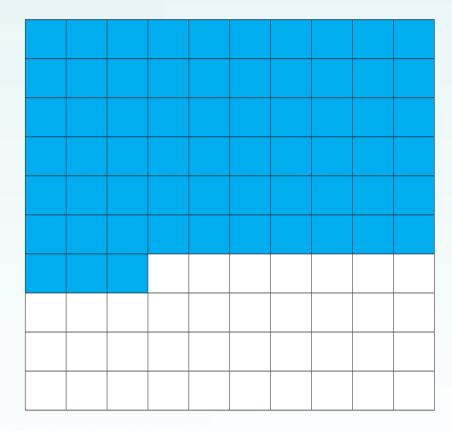


What fraction is blue? Write it as:

a fraction

a decimal fraction

b.



What fraction is blue? Write it as:

a fraction _____

a decimal fraction

4. What parts are shaded? Complete the table.

	Mixed	number		
Shapes	Whole number	Proper fraction number	Improper fraction	
	3	$\frac{1}{2}$	$\frac{1}{2} + \frac{1}{2} + \frac{1}{2} + \frac{1}{2} + \frac{1}{2} + \frac{1}{2} + \frac{1}{2} = \frac{7}{2}$	

Fraction Dominoes

1 1 4

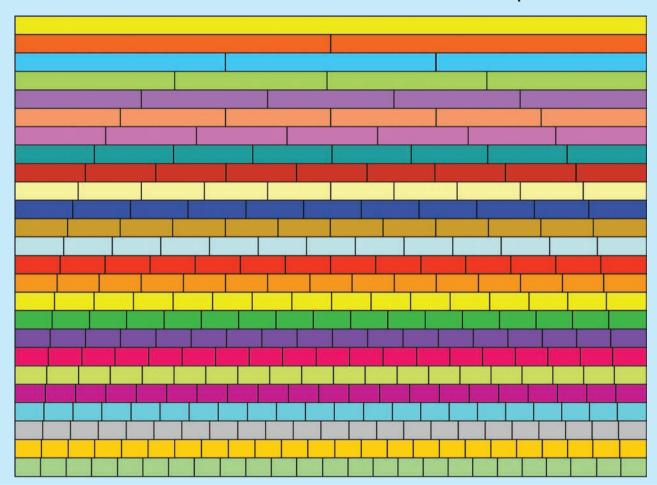
After shuffling the 24 double cards from Cut-out 5, each player draws cards to make up their hand. The number of cards drawn depends on the number of players.

The player with the largest fraction starts to play by placing a card on the table The next player adds a card to an open end of the layout if he or she has a matching card of the same value (as in the game of Dominoes).

A player who cannot make a move must pass. The game ends when one player uses the last domino in his/her hand, or when no more plays can be made. If all players still have cards in their hand, but can no more moves can be made, then the game is said to be "blocked".

500 ml 750 mm of of a litre a metre

Look at the fraction board. Name 20 different fractions that are equal to each other.



1. Complete the sums by using the example and fraction board to guide you.

$$\boxed{\frac{1}{2}} = \frac{1}{4} + \frac{1}{4} = \boxed{\frac{2}{4}}$$

a.
$$\frac{1}{2} = \frac{1}{8} + \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$$

d.
$$\frac{1}{2} = \frac{1}{14} + \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$$

b.
$$\frac{1}{2} = \frac{1}{10} + \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$$

e.
$$\frac{1}{2} = \frac{1}{6} + \underline{} = \underline{}$$

C.
$$\frac{1}{2} = \frac{1}{2} + \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$$



a.
$$\frac{1}{3} = \frac{1}{6} +$$
 =

b.
$$\frac{1}{3} = \frac{1}{9} +$$

C.
$$\frac{1}{3} = \frac{1}{12} +$$

d.
$$\frac{1}{3} = \frac{1}{15} +$$

e.
$$\frac{1}{3} = \frac{1}{18} +$$
____ =

f.
$$\frac{1}{3} = \frac{1}{21} +$$
____ =

g.
$$\frac{1}{3} = \frac{1}{24} +$$
_____=

Make your own sums

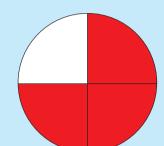
Use the fractions in the circles to write your own sums.

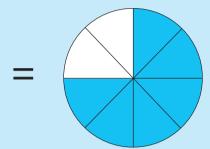
$$\begin{array}{ccc}
\frac{1}{20} & & \\
\frac{1}{5} & \frac{1}{10} & \\
\frac{1}{15} & \frac{1}{25} & \frac{1}{3}
\end{array}$$

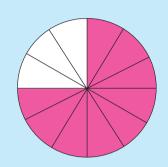
$$\begin{array}{c|c}
\frac{1}{12} \\
\frac{1}{6} & \frac{1}{18} \\
\frac{1}{24} & \end{array}$$

$$\begin{array}{c|c}
\frac{1}{14} \\
\frac{1}{7} & \frac{1}{21} \\
\frac{1}{28} & \end{array}$$

Look at the fraction circles. What do you notice?



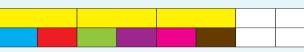




1. Complete the fraction sums using the diagrams above and on the right.

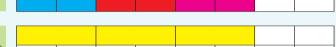
a. $\frac{3}{4} = \frac{1}{3}$

= _



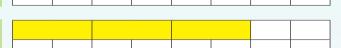
b. $\frac{3}{4} = \frac{2}{9}$





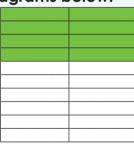
 $\frac{3}{4} = \frac{1}{2} + \frac{3}{12} +$

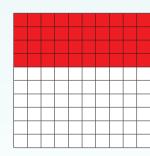




2. Complete the fraction sums using the diagrams below.







Ca. $\frac{2}{5} = \frac{1}{10} + \underline{} = \underline{}$

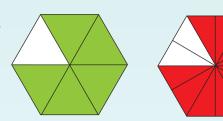
b.
$$\frac{2}{5} = \frac{2}{10} +$$

C. $\frac{2}{5} = \frac{1}{20} +$

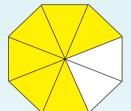
d.
$$\frac{2}{5} = \frac{3}{20} +$$
 = ___

3. Fill in the missing fractions:

a.



b.





4. Complete the fractions to make them equal.

a.
$$\frac{2}{4} = \frac{1}{8}$$

b.
$$\frac{3}{4} = \frac{1}{8}$$

C.
$$\frac{2}{5} = \frac{10}{10}$$

d.
$$\frac{4}{5} = \frac{10}{10}$$

e.
$$\frac{5}{8} = \frac{16}{16}$$

f.
$$\frac{2}{8} = \frac{2}{16}$$

$$9. \quad \frac{6}{8} = \frac{1}{4}$$

h.
$$\frac{4}{8} = \frac{1}{4}$$

i.
$$\frac{2}{10} = \frac{2}{5}$$

j.
$$\frac{4}{10} = \frac{1}{5}$$

$$k. \quad \frac{2}{4} = \frac{1}{2}$$

$$1. \qquad \frac{4}{4} = \boxed{\frac{2}{2}}$$

What is the magic fraction?

Add each column and then each row.

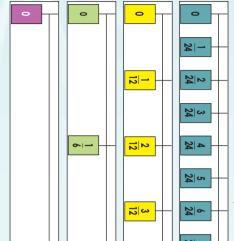
What do you notice?

Why do you think we call this a magic square?

4	3	8
15	15	15
9	<u>5</u>	1
15	15	15
2	7	<u>6</u>
15	15	15

8 20	1 20	<u>6</u> 20
3 20	<u>5</u> 20	7 20
<u>4</u> 20	9 20	<u>2</u> 20

Look at these fractions. What can you say about them?



4 12





















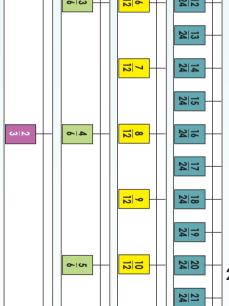
1. Answer the following questions using the fraction lines

Ca.
$$\frac{8}{24} =$$
 = $\frac{1}{3}$

- b. Does that mean that $\frac{8}{24} = \frac{1}{3}$?
- c. Which one is written in the simplest form?

d.
$$\frac{16}{24} =$$
___ = __ = __

- e. Does that mean that $\frac{16}{24} = \frac{2}{3}$? _____
- f. Which one is written in the simplest form?



A fraction has two parts:

numerator

denominator

2. What happens to the numerator and denominator?

$$\frac{1}{3} =$$

$$\frac{2}{3}$$
 =

$$=\frac{8}{24}$$

 $\frac{1}{3} = \frac{2}{6} = \frac{4}{12} = \frac{8}{24}$

b.
$$\frac{2}{3}$$

$$=$$
 $\frac{4}{6}$

$$= \frac{8}{12}$$

$$=\frac{16}{24}$$



a.
$$\frac{1}{2} = \frac{1}{8}$$

b.
$$\frac{3}{4} = \frac{12}{1}$$

C.
$$\frac{2}{5} = \frac{1}{15}$$

d.
$$\frac{5}{7} = \frac{20}{1}$$

e.
$$\frac{5}{6} = \frac{25}{8}$$
 f. $\frac{3}{4} = \frac{18}{8}$ g. $\frac{7}{8} = \frac{35}{8}$

f.
$$\frac{3}{4} = \frac{18}{1}$$

$$9 \cdot \frac{7}{8} = \frac{35}{8}$$

h.
$$\frac{3}{10} = \frac{3}{50}$$

i.
$$\frac{1}{4} = \frac{1}{40}$$

j.
$$\frac{5}{2} = \frac{1}{48}$$
 k. $\frac{3}{5} = \frac{24}{12}$ l. $\frac{1}{3} = \frac{1}{12}$

$$\frac{3}{5} = \frac{24}{5}$$

$$\frac{1}{3} = \frac{1}{12}$$

m.
$$\frac{4}{9} = \frac{1}{36}$$

n.
$$\frac{11}{2} = \frac{33}{2}$$

O.
$$\frac{6}{16} = \frac{1}{32}$$

n.
$$\frac{11}{2} = \frac{33}{2}$$
 o. $\frac{6}{16} = \frac{1}{32}$ p. $\frac{5}{9} = \frac{1}{45}$

4. Fill in the missing numerator or denominator.

a.
$$\frac{5}{6} = \frac{10}{12} = \frac{15}{18} = \boxed{ } = \boxed{ } = \boxed{ }$$

b.
$$\frac{9}{11} = \frac{18}{22} = \frac{27}{33} = \boxed{ } = \boxed{ } = \boxed{ }$$

C.
$$\frac{4}{7} = \frac{8}{14} = \frac{12}{21} = \boxed{ } = \boxed{ } = \boxed{ }$$

d.
$$\frac{3}{4} = \frac{6}{8} = \frac{9}{12} = \boxed{ } = \boxed{ } = \boxed{ }$$

e.
$$\frac{2}{5} = \frac{4}{10} = \frac{6}{15} = \boxed{ } = \boxed{ } = \boxed{ }$$

What is the magic fraction?

Write your magic fraction in the simplest form.

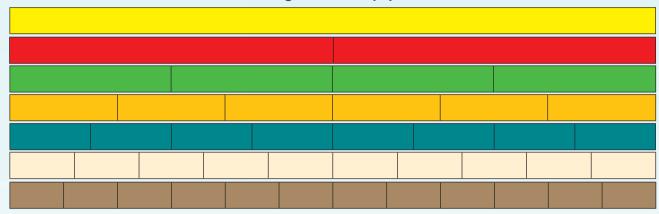
16	3	2	13
40	40	40	40
5	10	11	8
40	40	40	40
9	6	7	12
40	40	40	40
4	15	14	_1_
40	40	40	40

Look at the diagram. Can you make an addition sum?



1 whole

1. Do these calculations. Use the diagram to help you.



a.
$$1 = \frac{1}{2} + \frac{1}{2}$$

b.
$$1 = \frac{1}{4} +$$

c.
$$1 = \frac{1}{16} + \frac{1}{16}$$

d.
$$1 = \frac{1}{8} +$$

e.
$$1 = \frac{1}{10} + \frac{1}{10}$$

f.
$$1 = \frac{1}{12} + \frac{1}{12}$$

g.
$$1 = \frac{3}{4} + \boxed{}$$

h.
$$1 = \frac{5}{8} + \boxed{}$$

i.
$$1 = \frac{7}{10} +$$

j.
$$1 = \frac{7}{12} +$$

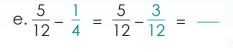
2. Write a different sum for each and calculate the answer.

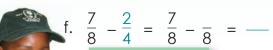
a.
$$\frac{1}{2} + \frac{1}{4} = \frac{2}{4} + \frac{1}{4} = \frac{4}{4}$$

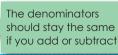
b.
$$\frac{2}{6} + \frac{1}{12} = \frac{1}{12} + \frac{1}{12} = \frac{1}{12}$$

c.
$$\frac{3}{4} + \frac{2}{8} = \frac{1}{8} + \frac{2}{8} = \frac{1}{8}$$

c.
$$\frac{3}{4} + \frac{2}{8} = \frac{10}{8} + \frac{2}{8} = \frac{10}{10} + \frac{3}{10} =$$











Equivalent fractions are fractions that are equal.

If you don't have a fraction board you can form an equivalent fraction by multiplying or dividing the numerator and denominator of a fraction by the same number.

$$\frac{1}{4} \quad \begin{array}{c} \times 8 \\ \times 8 \end{array} = \begin{array}{c} 8 \\ 32 \end{array}$$

$$\frac{8}{32} \stackrel{\div 8}{\div 8} = \frac{1}{4}$$

This means $\frac{1}{4}$ is equivalent to $\frac{8}{32}$.

3. Complete the following using the method above.

d.

a.
$$\frac{2}{3} = \frac{14}{21}$$

b.
$$\frac{5}{6} = \frac{30}{30}$$

C.
$$\frac{20}{36} = \frac{5}{100}$$

d.
$$\frac{16}{20} = \frac{1}{5}$$

e.
$$\frac{7}{15} = \frac{28}{15}$$

f.
$$\frac{24}{56} = \frac{3}{100}$$

4. Add or subtract in the following sums.

Example:

$$\frac{3}{8} \times \frac{2}{\times 2} + \frac{5}{16}$$

$$= \frac{6}{16} + \frac{5}{16}$$

$$= \frac{11}{16}$$

a.
$$\frac{5}{7} + \frac{2}{14}$$

b.
$$\frac{7}{9} + \frac{1}{27}$$

e.
$$\frac{9}{15} - \frac{2}{5}$$

What is the magic fraction?

Add each column and then each row.

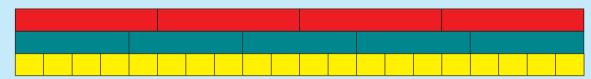
What do you notice?

Why do you think we call this a magic square?

<u>2</u> 5	<u>3</u>	<u>4</u> 5
9 10	1/2	110
1 5	7 10	3 5

More addition and subtraction of fractions

Look at the diagram. What can you say about it?



1. Write an equivalent fraction for the following:

a.
$$\frac{1}{4} = \frac{1}{20}$$

b.
$$\frac{2}{4} = \frac{20}{20}$$

C.
$$\frac{3}{4} = \frac{15}{1}$$

d.
$$\frac{1}{5} = \frac{1}{20}$$

e.
$$\frac{3}{5} = \frac{12}{12}$$

f.
$$\frac{4}{5} = \frac{16}{1}$$

Example:

$$\frac{1}{4} + \frac{1}{5}$$

The multiples of 4 and 5 are:

4, 8, 12, 16, 20 24, 28, 32, 36, 40 44

5, 10, 15, 20 25, 30, 35, 40 45, 50

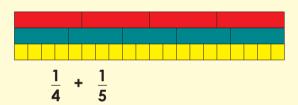
Common multiples of 4 and 5 are: 20, 40 The lowest common multiple is: 20

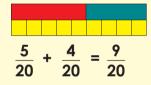
$$\begin{array}{ccc} \frac{1}{4} \times 5 & \frac{1}{5} \times 4 \\ \hline \end{array}$$

$$\frac{1}{5} \times 4$$

$$= \frac{5}{20} + \frac{4}{20}$$

$$= \frac{9}{20}$$







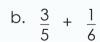
We can write lowest common multiple as LCM.

2. Calculate the following:

a.
$$\frac{2}{3} + \frac{3}{4}$$

Multiples of 3: _____

Multiples of 4:



Multiples of 5:

Multiples of 6: _____

10 11



Multiples of ___: _____ Multiples of ___: _____ LCM:

e.
$$\frac{3}{4} + \frac{1}{3}$$

Multiples of ___: _____ Multiples of ___: ____ LCM: ___

= _____

$$9 \cdot \frac{3}{7} + \frac{1}{8}$$

Multiples of ___: _____ Multiples of ___: ____ LCM: ____

=

d. $\frac{2}{3} + \frac{5}{8}$

Multiples of ___: _____ Multiples of ___: ____ LCM: ____

f. $\frac{4}{5} + \frac{3}{9}$

Multiples of ___: ____ Multiples of ___: ____ LCM: ____

h. $\frac{1}{2} + \frac{5}{11}$

Multiples of ___: ______

Multiples of ___: _____

LCM: ____

3. I had $\frac{1}{10}$ of the cake.

My friend had $\frac{1}{9}$ of the cake.

How much cake did we have?

- [
- 1																												
- 1																												
- 1																												
- 1																												
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Complete the magic fraction square

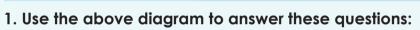
	<u>3</u> 5	
1 5	1 3	
		<u>6</u> 15

Fractions of whole numbers (proportional sharing)

There are 100 sweets in each bag.

- Into how many equal parts is the circle divided?
- Let us count the parts in fractions: $\frac{1}{5}$, $\frac{2}{5}$, $\frac{3}{5}$, $\frac{4}{5}$, $\frac{5}{5}$.
- How many bags of sweets are there?
- How many sweets are there in total? $(5 \times 100 = 500)$
- What is $\frac{1}{5}$ of 500?

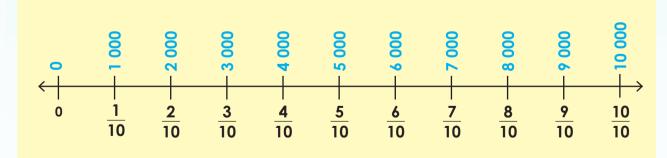
Did you get these answers? The circle is divided into fifths. There are five bags of sweets. There are 500 sweets in total. 1 of the sweets is 100 because $500 \div 5 = 100$.



- a. What is $\frac{2}{5}$ of 500? _____
- b. What is $\frac{3}{5}$ of 500? _____
- c. What is $\frac{4}{5}$ of 500? _____
- d. What is $\frac{5}{5}$ of 500? _____



2. Use the number line below to answer the questions.



- a. Into how many equal parts is the number line divided? _____
- b. What whole number does each interval represent? ______
- c. What is the total of the number line? _____













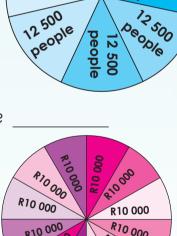




- i) $\frac{2}{10}$ of 10 000 ? _____ ii) $\frac{5}{10}$ of 10 000 ? ____ iv) $\frac{9}{10}$ of 10 000 ? _____

3. Use the fraction circles to answer the following:

- a. The number of oranges taken to market in three months.
- i. How many oranges were transported to the market?
- ii. What is $\frac{1}{3}$ of the oranges? _____
- iii. What is $\frac{2}{3}$ of the oranges?
- b. Total number of people visiting an exhibition for six days.
- i. How many people in total visited the exhibition?
- ii. What is $\frac{1}{7}$ of the people?
- iii. What is $\frac{2}{3}$ of the people?
- iv What is $\frac{5}{2}$ of the people? _____
- v. What is $\frac{7}{7}$ of the people?
- vi. What is $\frac{2}{2}$ of the people?
- c. The total value of the goods they sold in one year.
- i. What is the total value of the goods sold per year?
- ii. What is $\frac{3}{12}$ of the total amount? _____
- iii. What is $\frac{4}{12}$ of the total amount? _____
- iv. What is $\frac{8}{12}$ of the total amount? _____
- v. What is $\frac{10}{12}$ of the total amount? _____



12 500

people

5000

oranges

5000 oranges

5000

oranges

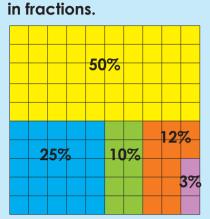
Problem solving

I pack groceries to the value of R800 in my shopping basket. At the till I am told that I will be getting $\frac{3}{4}$ off the total amount. What will I pay?

people

Percentage and fractions











The symbol for percentage



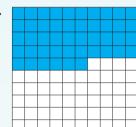
Oh! I have 80 percent for my test.



Yes, it means you have 80 out of 100 for your test.

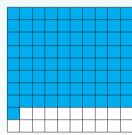
- 1. What fraction of the above square is blue?
- 2. What percentage of the square is blue?

a.





C.

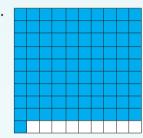


73

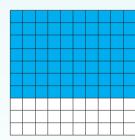
3. Colour in $\overline{100}$. Write your answer as a percentage.



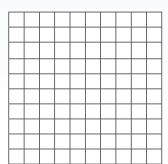
b.



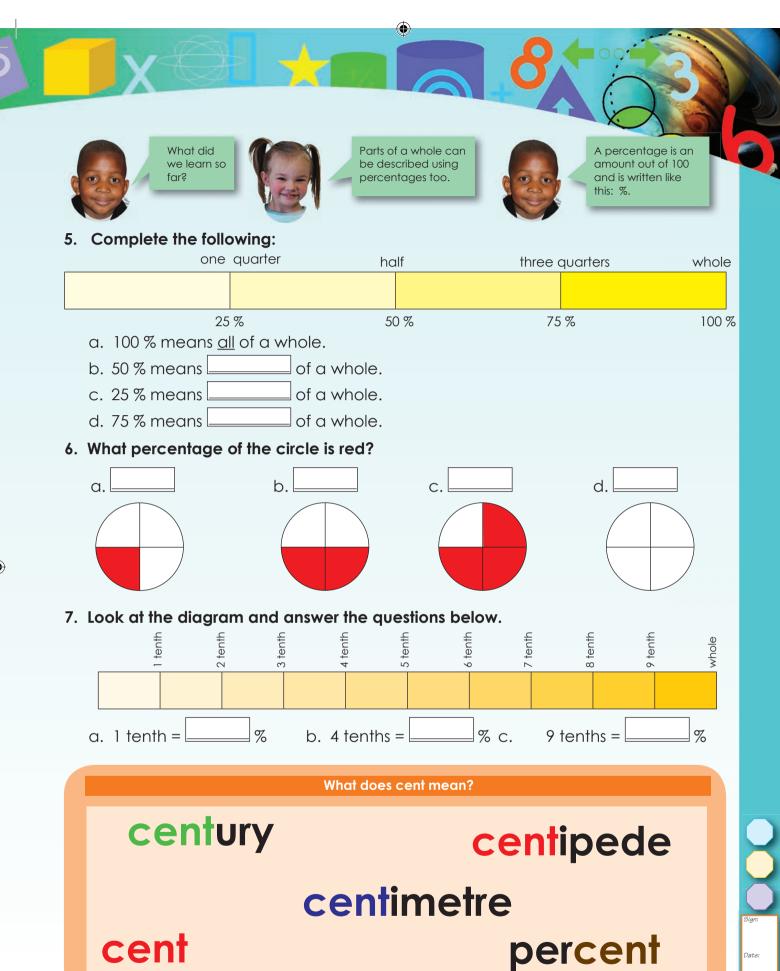
d.



4. Colour in 99 per cent. Write your answer as a fraction.



		П



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Percentages and decimals

Match the fractions, decimal fractions and percentages that stand for the same amount:



1. Complete the table below.

Fraction	Percentage	Decimal fraction
<u>89</u> 100		0,89
	58%	
1/4		
		0,75

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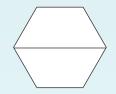
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 18

2. Complete the following:

a. Colour in one half of each shape.



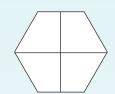




b. Colour in one quarter of each shape.







A **half** can be <u>written...</u>

As a fraction:

As a decimal:

As a percentage:

A **quarter** can be written...

As a fraction:

As a decimal:

As a percentage:

3. Answer the following:

- a. What is 50 % of R1,00?
- b. What is 0,5 of R1,00?
- c. What is $\frac{1}{2}$ of R1,00?
- d. What is 25 % of R1,00?
- e. What is 0.25 of R1.00?
- f. What is $\frac{1}{4}$ of R1,00?

4. Complete the following:

There are 120 children in grade 6.

a. 50 % of the children are boys. How many children are boys?

b. 25 % of the children like strawberry ice cream.

How many children like strawberry ice cream?

c. What percentage of children like other flavoured ice-creams?

How many children like other flavoured ice-creams?

Advertisement search

Go through a newspaper. See how many times can you find the symbol %.

Bring it to class to share with the other children.





What is the time? Give your answer in hours, minutes and seconds.







1. Answer the following questions: How many:

a. minutes are there in an hour?

,	
•	

b. seconds are there in a minut

-22	
CŸ	

c. minutes are there in 6 hours?

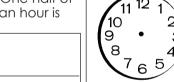
2	
Ÿ	

d. seconds are there in 2 minutes?

2. Complete the table.



a. One half of an hour is



b. One quarter of an hour is



c. One fifth of an hour is

d. One half of a minute is



e. One quarter of a minute is



f. One fifth of a

minute is

Very important to remember!!!

- 0,5 hours = 30 minutes, not 50 minutes. This is because decimals show fractions of tenths, hundredths, thousandths and so on. Minutes are measured in sixtieths of an hour.
- Similarly, $\frac{1}{4}$ hour = 15 minutes, and $\frac{1}{10}$ hour = 6 minutes.

3. This is how long I took to do my maths homework this week. Help me to complete this table.

Maths homework	Hours	Minutes	Seconds	hh:mm:ss	I started my homework at:	l finished it at:
Monday	2	32	5	02:32:05	15:00	
Tuesday				01:18:00	16:30	
Wednesday	1	24	7		15:30	
Thursday	0	55	25		15:45	
Friday				01:05:09	14:50	

continued 🖝

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Time continued



4. I visited my grandmother over the weekend. On Saturday, I arrived at her house at 10:35:02. I left on Sunday at 12:45:00. How long was my visit to my grandmother?

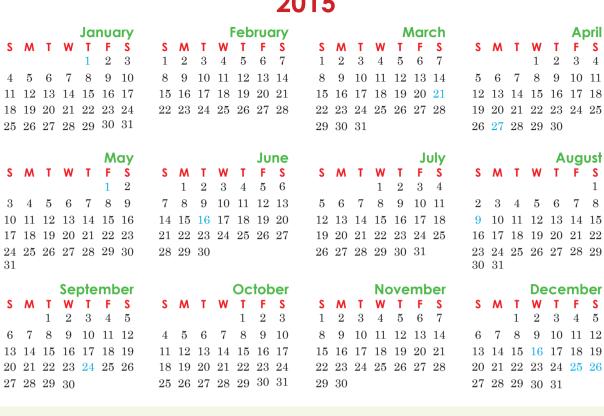
5. Answer the following questions:

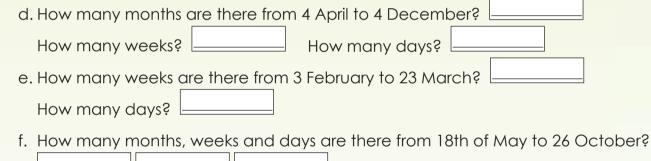
- a. How many days are there in a week?
- b. How many days are there in each month?

Jan	Feb	March	April	May	Jun	Jul	Aug	Sept	Oct	Nov	Dec

c. How many days are there in a year? ______ in a leap year? _____

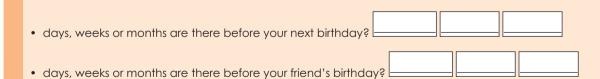
2015





g. How many months, weeks and days where there from 1 January this year until now?

How many:

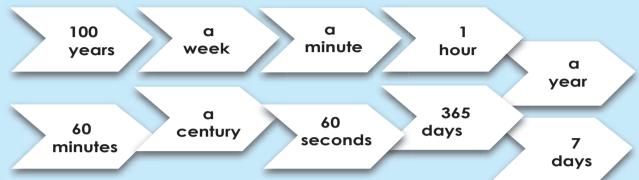


days, weeks or months are there before your mother's birthday?

More time



Match the words about time that have the same meaning, and colour them the same colour.



1. Complete the following:

- a. How many seconds are there in a minute? ____, hour? ____, day? ____
- b. How many minutes are there in an hour? _____, day? _____, week? _____
- c. How many hours are there in a day? ____, week? ____, year? ____
- d. How many days are there in a week? _____, a year? _____, a century? _____
- e. How many years are there in a century? ______, 5 centuries? _____

2. Convert minutes to seconds:

- a. 2 minutes
- b. 55 minutes
- c. 3 $\frac{1}{2}$ minutes
- d. $10\frac{1}{4}$ minutes
- e. $15\frac{1}{5}$ minutes



Why can we say this represents 30 seconds?



Why can we say this represents 15 seconds?

3. Convert hours to minutes.

- a. 2 hours
- b. 48 hours
- c. 20 ½ hours
- d. $30\frac{1}{4}$ hours
- e. $12\frac{1}{5}$ hours



Why can we say this represents 30 minutes?



Why can we say this represents 15 minutes?

4. Convert hours to seconds.

- a. 1 hour
- b. 12 hours
- c. 30 hours
- d. $4\frac{1}{2}$ hours
- e. $20\frac{1}{4}$ minutes



5. Complete the table.

Weeks	1	1,5	2	2,5	3	3,5	4	4,5	5	6,5	7
Days		$10\frac{1}{2}$									
Hours		252									
Minutes											

6. Convert years to weeks and days: Weeks

a. 2 years

b. 5 years

c. 10 years

d. $1\frac{1}{2}$ year

e. $15\frac{1}{2}$ years

	a١



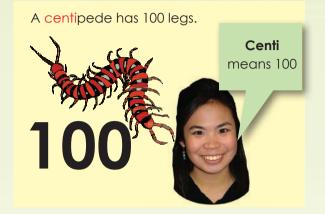
A calendar will help me to see how many weeks and days there are in a year.

More time continued



7. Convert centuries to years:

- a. 2 centuries
- b. 30 centuries
- c. $5\frac{1}{2}$ centuries
- d. $6\frac{1}{4}$ centuries
- e. $8\frac{1}{5}$ centuries

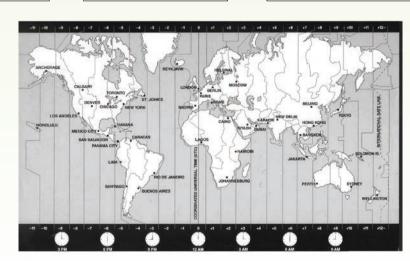


8. Time Zones:

a. What is a time zone?

b. How many time zones are there in the world?

c. Name 6 other countries in the same time zone as South Africa.



d. Explain why we have different time zones in the world.



10. Find out what "daylight saving" is.

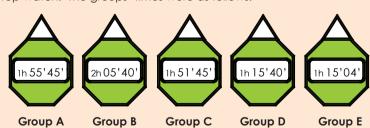
e. Kolkata, India

Some people think that we should have daylight saving in South Africa. What do you think, and why?

Tva	 	h.,	

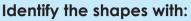


We went on a "treasure hunt". Our teacher gave us a map and some clues. The competition was between 5 groups. The winner is the group that found a treasure first. There were five hidden treasures. Our teacher timed us with a stop watch. The groups' times were as follows.

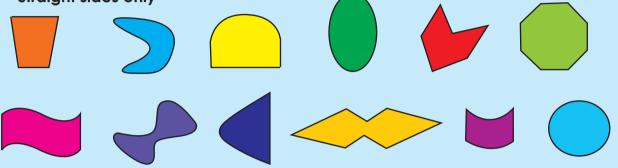


- Which group came first? Which group came last?
- How many seconds did each group take?
- What is the difference in time between groups A and E, A and B, A and C, B and D, A and D, B and E, D and C, B and C.

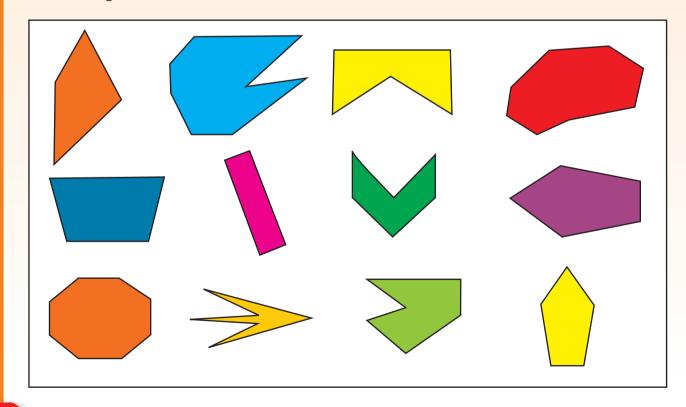
2-D shapes and sides



- Curved sides only
- Curved and straight sides
- Straight sides only



- 1. Identify the following by writing a, b, c or d on the shape.
 - a. Quadrilaterals
 - b. Pentagons
 - c. Hexagons
 - d. Octagons



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0 1 **2 3 4** 5 **6** 7 **8** 9 10 11 **12** 13 **14** 19



- a. A quadrilateral with sides the same length.
- b. Three quadrilaterals with sides that are different lengths.

- c. A pentagon with sides the same length.
- d. Hexagons with sides that are different lengths.

Date:

2-D shapes and sides continued

3. Answer the following:

a. Here are two specific quadrilaterals. Name them.





b. Describe each quadrilateral.

ii.

4. Is a triangle a polygon? Why?



5. Mark the sides and angles of each triangle below, using the following as labels. **Angles** Sides

Right angles (R)

Smaller than right angles (A)

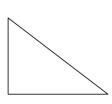
Bigger than right angles (O)

Straight sides (S)

Curved sides (C)

Sides of equal length (/)

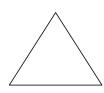
Length of sides



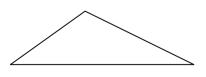
ii.



iii.



iv.

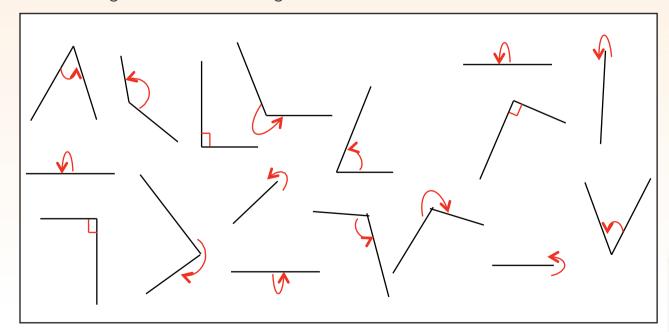


6. Describe and name each angle.

	Description	Name
<u>~</u>		
5		
5		

- 7. Identify the angles by placing the alphabet letters next to them.
 - a. Right angle
- b. Acute angle
- c. Obtuse angle

- d. Reflex angle
- e. Straight line
- f. Revolution



continued 🖝

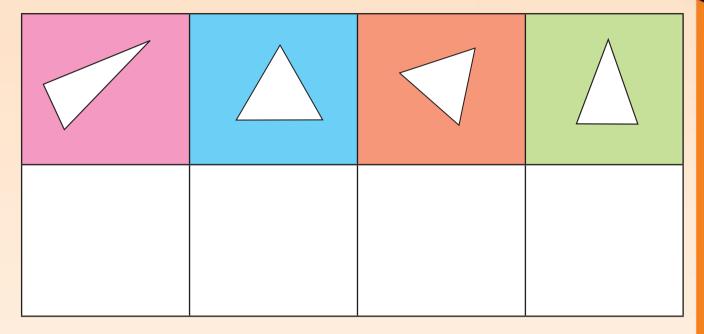
8. Fill in the table below:

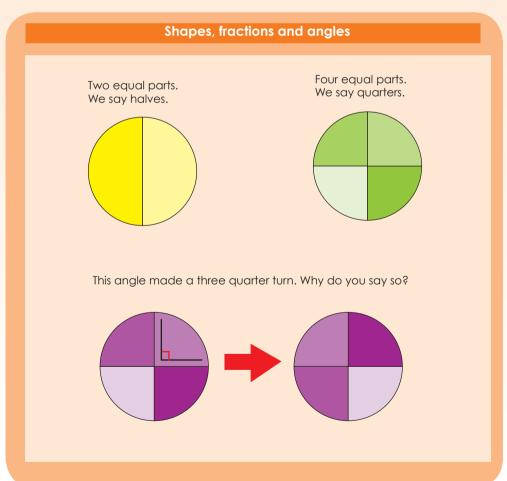
	a.	b.	C.	d.	e.
Sides (straight or curved):	Straight				
Length (equal or different):	Different				
Number of sides:	3				
Right angle?:	Yes				

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0 1 **2 3 4** 5 6 7 **8** 9 10 11 **12** 13 **14** 18

9. Compare and describe the following triangles drawn.





Circles



How to draw a circle. Follow the steps to get your pair of compasses ready to draw a circle.



To draw a circle accurately, use a pair of compasses.



Set the compass to the radius of the circle. (The radius is the distance between the centre and the circumference; it is half the diameter.)



Make sure that the hinge at the top of the compass is tightened so that it does not slip.

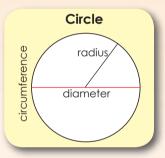


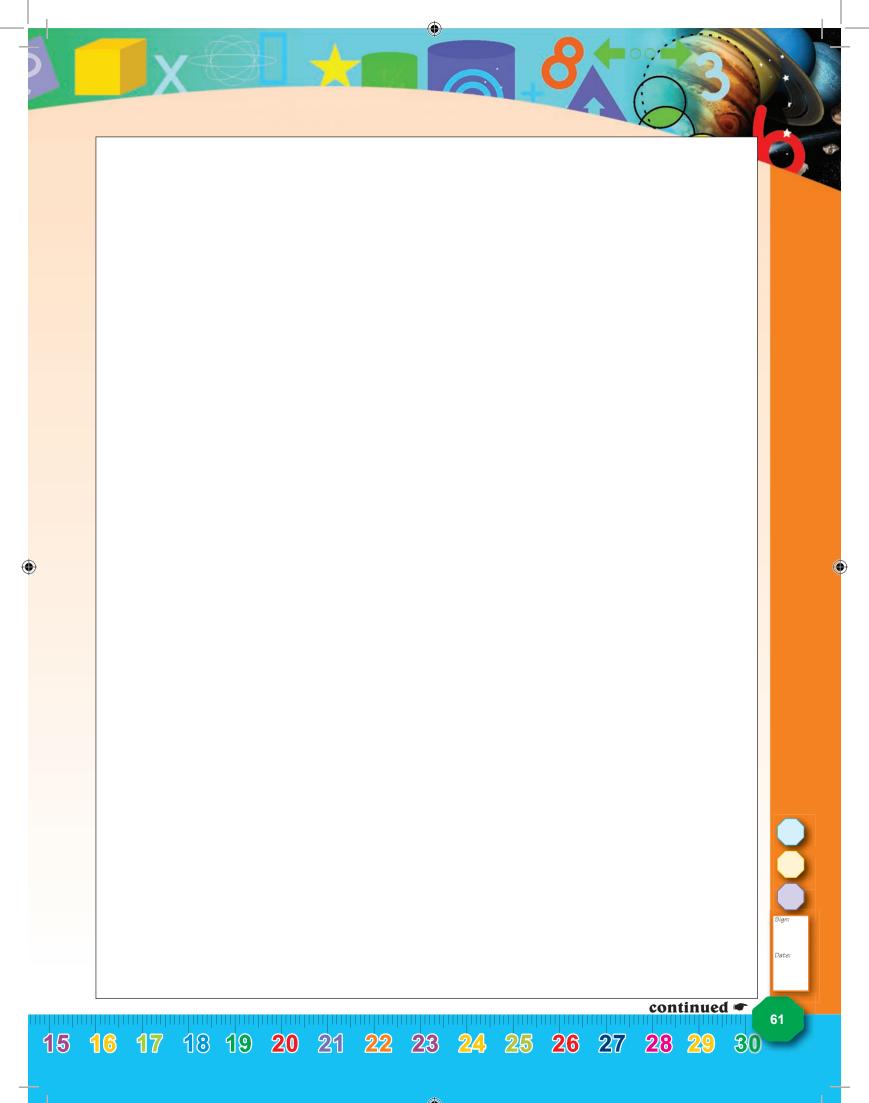
Tighten the holder for the pencil so it does not slip.



1. Use a compass to draw a circle that has a:

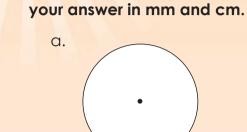
- a. radius of 5 cm.
- b. radius of 4,5 cm.
- c. radius of 10 cm.
- d. diameter of 12 cm.
- e. diameter of 15 cm.



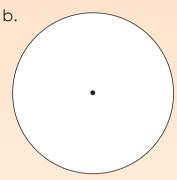


Circles continued





2. Draw a radius for each of the following circles. Measure the radius and give



C.



Radius

lmm

Radius



Radius

cm

cm

d. Draw a diameter for each of the circles above. Measure the diameter and give your answer in mm and cm.

> Diameter mm

> > cm

Diameter mm

cm

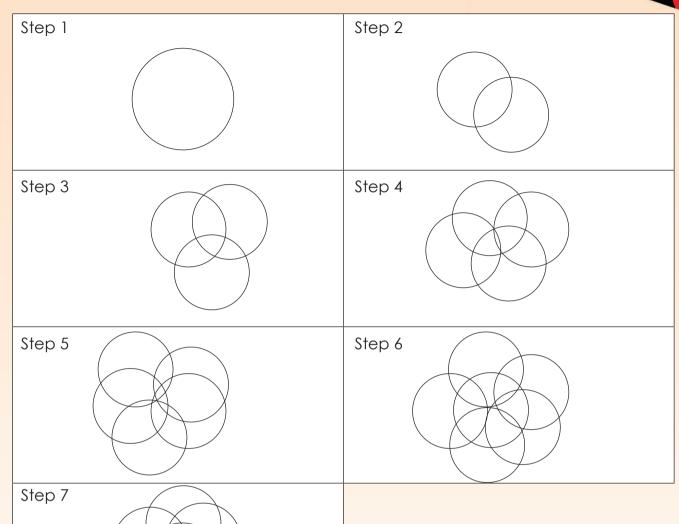
Diameter mm

cm

 \exists (fraction) of the diameter. e. The radius is

ightharpoonup times that of the radius. f. The diameter is b

3. Follow the pictures and draw the pattern with your compass.



Circles everywhere



- Make your own circle design.
- You may only use circles.
- Use different colours.
- Name your design.

63



I collected data about children's favourite colour. As I asked them I made these fally marks on a piece of paper.

Complete the frequency table below:

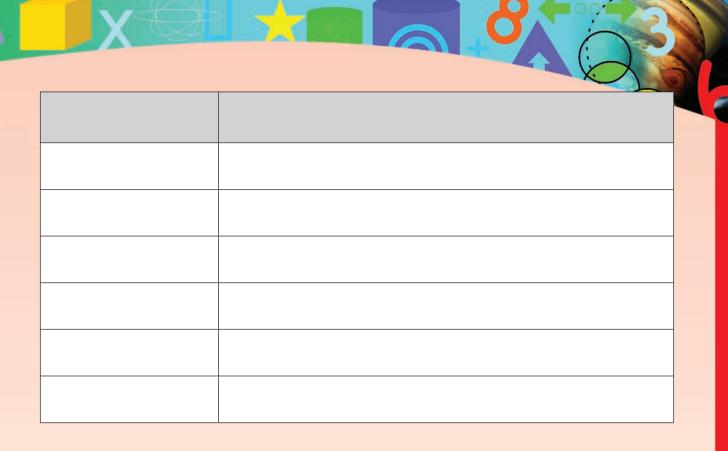
1. Complete the frequency table below using the data above.

Colour	Tally	Frequency
Red		

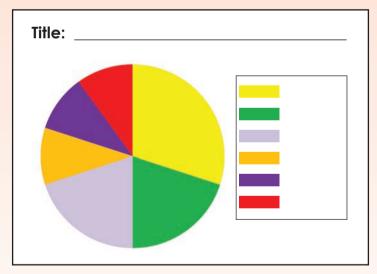
2. You collected information about the favourite type of chocolate in your school. Each person wrote their answer on a small piece of paper. Use this information to complete the frequency table on the next page.

_										
	Tex	Aero	Kit Kat	Kit Kat	Bar one	Aero	Kit Kat	Aero	Lunch bar	Kit Kat
	Kit Kat	Tex	Bar one	Aero	Aero	Tex	Lunch bar	Lunch bar	Tex	Kit Kat
	Kit Kat	Rolo	Aero	Rolo	Rolo	Rolo	Tex	Tex	Aero	Kit Kat
	Tex	Bar one	Rolo	Tex	Rolo	Kit Kat	Kit Kat	Aero	Kit Kat	Kit Kat
	Rolo	Kit Kat	Tex	Kit Kat	Bar one	Aero	Lunch bar	Kit Kat	Aero	Kit Kat
	Bar one	Rolo	Kit Kat	Kit Kat	Aero	Tex	Bar one	Lunch bar	Tex	Aero
	Tex	Kit Kat	Aero	Rolo	Kit Kat	Kit Kat	Aero	Kit Kat	Lunch bar	Tex
	Rolo	Kit Kat	Kit Kat	Bar one	Kit Kat	Lunch bar	Kit Kat	Aero	Bar one	Lunch bar
	Bar one	Aero	Tex	Aero	Tex	Tex	Lunch bar	Kit Kat	Aero	Kit Kat
	Kit Kat	Tex	Aero	Kit Kat	Lunch bar	Tex	Bar one	Tex	Tex	Aero

10



3. Use the information from the frequency table above to label the pie chart below.



Newspaper search ...

Find a table in any newspaper. Write down three or more things you learned from the table.



Mean, median and mode





When
we have a list of
numbers as part of some data,
we often find it useful to work out
the average number.

I kept a
record of last week's
weather. I wonder what the
average temperature was for
that school week.



3	Monday	Tuesday	Wednesday	Thursday	Friday	
l	180	18º	210	230	230	

18 + 18 + 21 + 23 + 20 = 100= 100 ÷ 5 = 20

So we
need to divide
100 by 5 to get the
average, because we
have five days.

This kind of average is called the **mean**. The mean is the sum of all the numbers divided by the number of numbers.

There are two other kinds of average, the **median** and the **mode**.

The **median** is the number that is in the middle after you have put the numbers in order. In the above example 20° C is the median.

The **mode** is the most commonly occurring number in a set of numbers. In the example 18° C is the mode.

1. Work through this set of temperature readings and fill in the missing information.

Here are the temperatures for nine days in April.

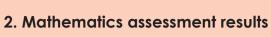
°C 22 21 22 21 20 19 22 23 20

a. Put the temperature in ascending order. We started it for you.

°C 19 20 20			
-------------	--	--	--

- b. What number occurs the most often? _____
- c. What is this kind of average called?
- d. Look at the numbers placed in order above. What is the middle number?
- e. What is this average called?
- f. Calculate the mean of these numbers.
- g. Now that you have the mean, say which temperatures are above and which below the mean. Above:

Below:



Week 1	Week 2	Week 3	Week 4	Week 5
40	50	40	60	40

a. What is the median score? _____ b. What is the mode? _____

3. Language assessment results

Week 1	Week 2	Week 3	Week 4	Week 5	Week 6	Week 7
80	70	60	40	70	70	50

a. What is the mode? _____ b. What is the median score? _____

4. Natural Sciences assessment results

Week 1	Week 2	Week 3	Week 4	Week 5
52	61	60	52	59

- a. What is the median score? ______ b. What is the mode? _____
- 5. Here are the heights of children measured in a class.



135 cm, 145 cm, 125 cm, 135 cm, 145 cm, 145 cm, 125 cm, 120 cm, 120 cm, 130 cm and 115 cm.

a. What is the median score? ______ b. What is the mode? _____

6. Here are the results from goals scored by the netball team during practice sessions.

Day 1	Day 2	Day 3	Day 4	Day 5	Day 6	Day 7
80	70	60	40	70	70	50

- a. What is the median score? _____
- b. What is the mode? _____



Getting mean

Calculate the mean score for questions 2 to 6.

22

Read graphs and interpret bar graphs and pie charts

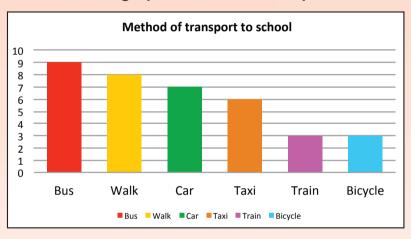


A double bar graph is similar to a regular bar graph, but gives two sets of related information.

Say five things about this double graph.

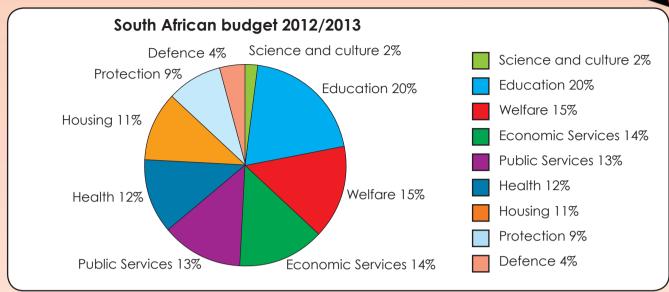
What information could you add to the double bar graph? Why?

1. Look at the bar graph and answer the questions.



- a. What information could you add to this bar graph? _____
- b. How many learners are there in the class? _____
- c. Which method of transport is the most popular?
- d. Which method is the least popular? _____
- e. How many more learners use the bus than the taxi? _____
- f. Why do you think more learners use the bus than the taxi?
- g. Do you think most learners live far from or close to the school?
- h. What percentage of the learners uses public transport? _____

2. What would you do to improve the topic of this pie chart?



3. Answer the following questions on the pie chart.

- a. What is a pie chart?'
- b. Will the sectors always be in percentage? _____
- c. Will it always add up to 100%? _____
- d. What was the biggest expense in the South African budget? _____
- e. What was the smallest expense in the South African budget? _____
- f. Write three sentences on the pie chart.

Waste not want not

We collected some waste in our schools. This was the result for one day: 10 kg paper, 3 kg plastic, 2 kg glass, 3 kg metal and 2 kg organic waste. Show this by drawing a bar graph. Write down five sentences about your graph.

Questionnaires



A common method of collecting data for a survey is to use a questionnaire.

Questionnaires come in many forms and are carried out using a variety of methods.



What does this all mean?

Let us learn more



1. Before starting, we need to come up with a hypothesis.



What is a hypothesis?

A prediction of what you think the survey might show.



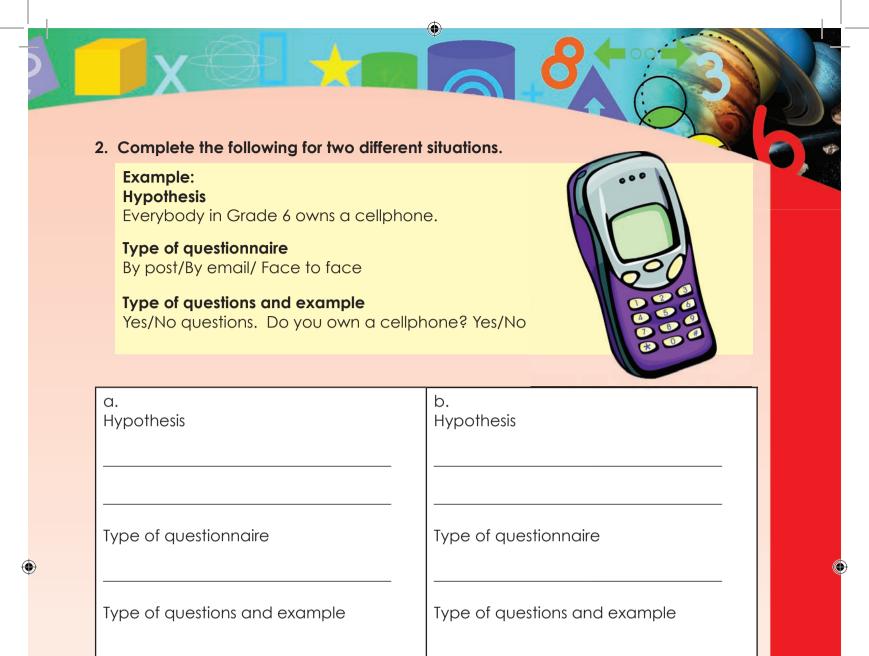
Here are some examples of a questionnaire hypothesis:

- Everybody in Grade 6 owns a cellphone.
- Everybody in Grade 6 understands square division.
- Everybody in Grade 6 likes junk food.
- a. Write down a hypothesis that you think you can use in your questionnaire.
- b. After you have decided on the hypothesis, you need to decide what type of questions you will ask.

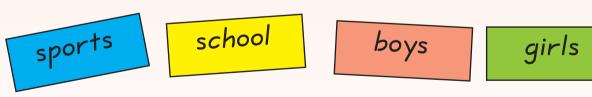
Examples of common question styles

- Yes/No answers
- Tick boxes
- Word responses
- Questions that require a sentence to be written

Give an example of a Yes or No question that links with your hypothesis above.



3. Write a hypothesis using the following words: school, boys and girls.



All about number patterns



a. multiples

Some number sequences show multiples of different numbers: e.g. 5, 10, 15, 20, 25, 30, ...
These numbers are multiples of 5. They can all be divided exactly by 5.

Multiples include large numbers, not just numbers in easy time tables. For example, 240 is a multiple of 6 because it can be divided exactly by 6.

Factors

What is the rule?

Factors are the opposites of multiples.

They are those numbers that will divide exactly into other numbers. e.g. the factors of 15 are 1, 3, 5 and 15. These can be shown as pairs of factors: (1 and 15) and (3 and 5).

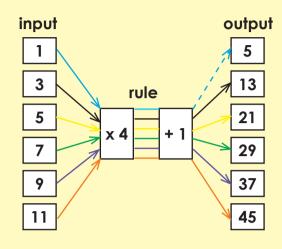
Each pair can be multiplied to make 15.

1. Create a pattern that includes:

b. factors	What is the rule?						
2. Extend the following pattern.							
a. Tip: prime numbers are special numb and 1. 2, 3, 5, 7, 11,,,,	ers that can only be divided by themselves						
b. Rule: multiply by 2 and add 1. 1, 3, 7,	, 15,,						
c. Rule: divide by 2 and add 2. 100, 52,	28,,						
3. Create two of your own number patterns and ask your friend to extend it.							

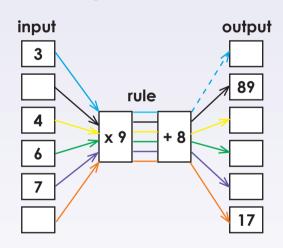
Patterns can be given in input-output flow diagrams or as number sentences.

Example 1: Flow diagram



Example 2: Number sentences

- 4. Complete the flow diagrams, questions and then write all the number sentences for the flow diagram.
 - a. i. Flow diagram



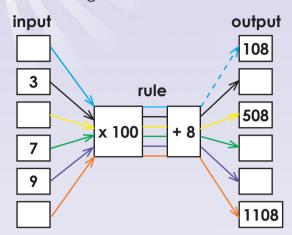
- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?

v. Number sentences

vi. What will the output values be if the rule is + 2 x 7?

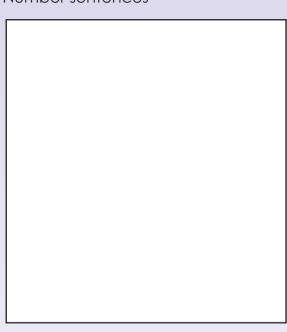
- m -

b. i. Flow diagram



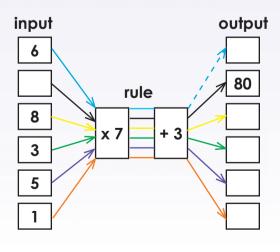
- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?

v. Number sentences

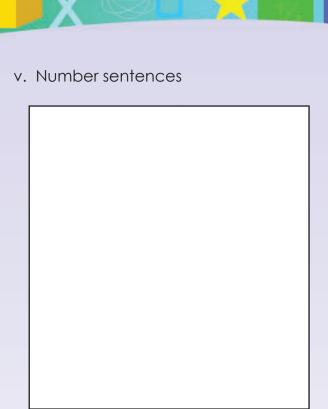


vi. What will the output values be if the rule is $+ 2 \times 7$?

c. i. Flow diagram

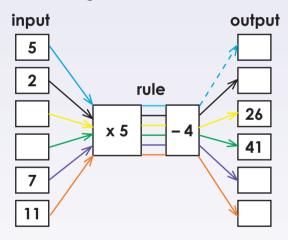


- ii. What are the input values?
- iii. What are the output values?
- iv. What is the rule?



vi. What will the output values be if the rule is + 2 x 7?

d. i. Flow diagram

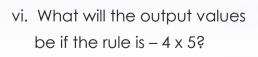


ii. What are the input values?

iii. What are the output values?

iv. What is the rule?

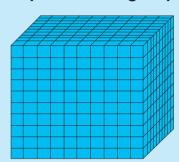
v. Number sentences



Numbers 0 - 200 000



How many of these blocks do you need to give you a total of 200 000 small cubes?



1. Complete the following:

2. Write the right number in the correct column:

		Hundred thousands	Ten thousands	Thousands	Hundreds	Tens	Units
a.	187 432						
b.	174 501						
C.	165 002						
d.	160 005						
e.	100 004						

76

0 1 **2 3 4** 5 **6** 7 **8** 9 10 11 **12** 13 **14** 15



I
I
I
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I

4. Complete the following using the first question to guide you.

a. 145 342 = 1 hundred thousand + 4 ten thousands + 5 thousands + 3 hundreds + 4 tens + 2 units

25b

Numbers 0-200 000 continued

5.	Write the	numbers in	question 4 in	words in you	workbook.
----	-----------	------------	---------------	--------------	-----------

l				
L				
L				
1				
1				

6. Arrange the numbers from the smallest to the biggest.

- a. 113 432, 113 234, 113 324
- b. 122 221, 122 122, 122 212
- c. 110 456, 100 456, 101 456
- d. 189 378, 183 978, 187 938
- e. 404 404, 404 440, 404 044

7. Fill in < or >.

- a. 128 394 _____ 128 349
- c. 199 990 _____ 199 099
- e. 111 101 _____ 111 110
- g. 474 747 _____ 747 474
- i. 505 505 505 505 005

- b. 199 999 99 999
- d. 138 389 _____ 183 839
- f. 101 010 _____ 101 011
- h. 87 878 787 878
- j. 676 767 656 565



- a. 189 2<u>8</u>3
- b. 1<u>2</u>0 005
- c. 134 467
- d. 134 342
- e. 145 999
- f. 199 9<u>9</u>9

9. Complete the following using these digits:

- a. Using each digit once, make the smallest 6-digit number:
- b. Using each digit once, make the largest 6-digit number:
- c. You can use a digit twice. Make the smallest 6-digit number:
- d. You can use a digit twice. Make the largest 6-digit number:

All about numbers



Did you know:

Cardinal number: Tells you how many or how much of something. A class

period is 30 minutes. Ordinal number: Gives order or rank.

He came 3rd in the race.

Nominal number: Names something. TV Channel 15 carries educational programmes.

Which numbers in the newspaper are cardinal numbers?

Which numbers are ordinal numbers?

Which numbers are nominal numbers?

Rounding off



Which statement will you use?



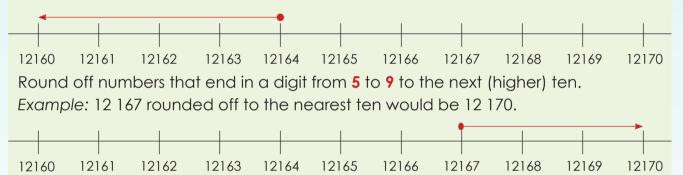


Remember that this is the symbol we use for rounding off:

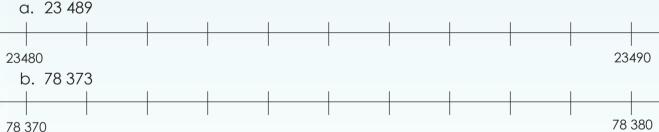


Rounding off to the nearest ten.

Round off the numbers that end in a digit from 1 to 4 to the previous (lower) ten. Example: 12 164 rounded off to the nearest ten would be 12 160.

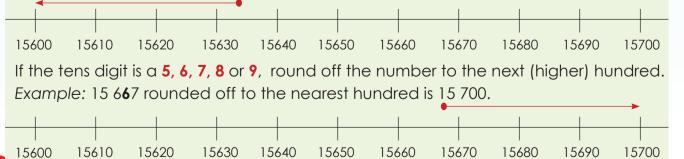


1. Round the following numbers off to the nearest ten using the number lines provided.



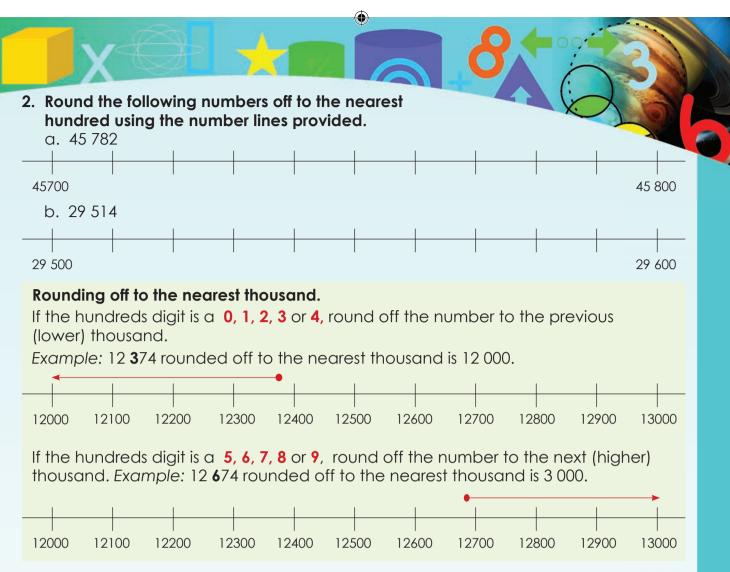
Rounding off to the nearest hundred.

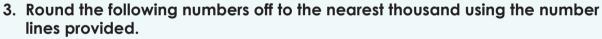
If the tens digit is a 0, 1, 2, 3 or 4, round off the number to the previous (lower) hundred. Example: 15 634 rounded off to the nearest hundred would be 15 600.

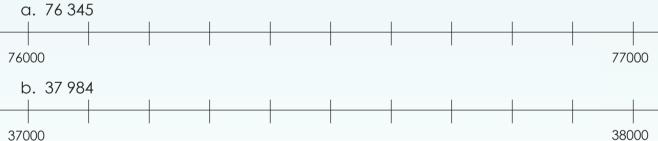


80

0 1 **2 3 4** 5 **6** 7 **8** 9 10 11 **12** 13 **14** 15







Make it simpler

What you need:

- Look at the pictures on the right.

What to do:

- Write two sentences for each picture.
- Use a number in the first sentence. In the second sentence round off the number.



Sign:

81

Rounding off to the nearest five



You want to round off to the nearest 5.

Yes, please show me how!

The main idea is to find the nearest multiple of 5.

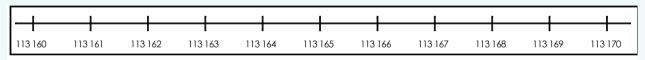
	1	2	3	4	5	6	7	8	9	10
	11	12	13	14	15	16	17	18	19	20
	21	22	23	24	25	26	27	28	29	30
	31	32	33	34	35	36	37	38	39	40
	41	42	43	44	45	46	47	48	49	50
	51	52	53	54	55	56	57	58	59	60
١	61	62	63	64	65	66	67	68	69	70
	71	72	73	74	75	76	77	78	79	80
	81	82	83	84	85	86	87	88	89	90
	91	92	93	94	95	96	97	98	99	100

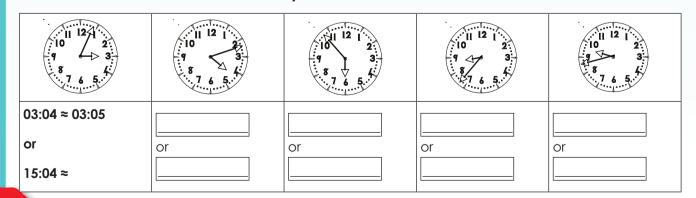


For example, take 27. It lies between 25 and 30; it is 2 away from 25 and 3 away from 30, so 25 is nearer.

1. Round off the following to the nearest five, using the number board above.

2. Round off the following to the nearest five, using the number line below.





4. Look at the table below and round off the numbers to the nearest 50

10	20	30	40	50	60	70	80	90	100
110	120	130	140	150	160	170	180	190	200
210	220	230	240	250	260	270	280	290	300
310	320	330	340	350	360	370	380	390	400
410	420	430	440	450	460	470	480	490	500
510	520	530	540	550	560	570	580	590	600
610	620	630	640	650	660	670	680	690	700
710	720	730	740	750	760	770	780	790	800
810	820	830	840	850	860	870	880	890	900
910	920	930	940	950	960	970	980	990	1 000

5. Round off the following to the nearest fifty millimetres, using the metre stick below.



6. Round the following of to the nearest fifty cents.

How can you round off?

Colour in the correct answer.

Round off 278 to the nearest 5.

250

280

290

200

210

275

270

260

300

900	980	870
800	891	850
850	860	890

Round off 891 to the

nearest 5.

Round off 546 to the nearest 5.

560	545	570
555	550	550
540	585	400

Round off 726 to the nearest 5.

760	700	730
750	720	780
740	800	725
	750	750 720

Which numbers are coloured?

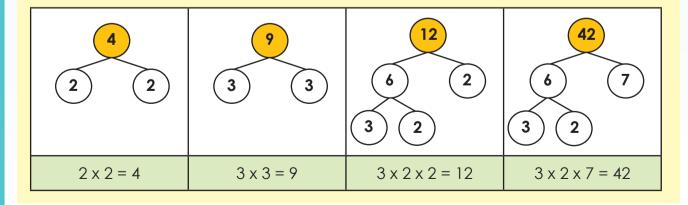
1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

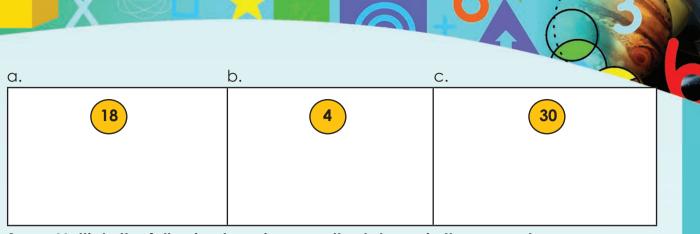
1. What do we call numbers that are not prime numbers?

2. Give the prime factors, using prime factor trees.

Example:

Break the following numbers into the smallest prime factors. We will use prime factor trees to demonstrate this.





3. Multiply the following by using a method shown in the examples.

Example 1:

Using factors to multiply

= 22 974

Calculate 547 x 42

547 x 42 = 547 x 6 x 7
$$\longrightarrow$$
 breaking down 42 into its factors
= 547 x 2 x 3 x 7 \longrightarrow breaking down 6 into its factors
= (547 x 2) x 3 x 7
= (1 094 x 3) x 7
= 3 282 x 7
= (7 x 3 000) + (7 x 200) + (7 x 80) + (7 x 2)
= 21 000 + 1 400 + 560 + 14

Example 2:

Using column method

$$\begin{array}{r} 547 \\ x \quad 42 \\ \hline 1094 \\ 21880 \\ \hline 22974 \end{array}$$

a. 512 x 52

a. 512 x 52









Primes and factors

- Give all the prime factors between 100 and 200. How did you work it out?
- Find out where in everyday life will you use factors.

Multiplication and the distributive property

Revise the distributive property of multiplication.

$$3 \times (4 + 2)$$
= $(3 \times 4) + (3 \times 2)$
= $12 + 6$
= 18

1. Calculate the following using both methods.

a.
$$(2+3) \times (5+1)$$



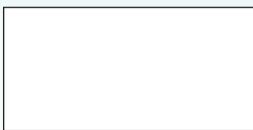
b. $(4+2) \times (6+5)$



c.
$$(6 + 9) \times (7 + 6)$$



d.
$$(5 + 8) \times (9 + 3)$$



e.
$$(3 + 4) \times (8 + 4)$$



f.
$$(7 + 1) \times (2 + 7)$$





Example 1:

Calculate 547 x 45



- = 20 000 + 2 500 + 1 600 + 200 + 280 + 35
- = 20 000 + 2 000 + 1 000 + 500 + 600 + 200 + 200 + 80 + 30 + 5
- = 20 000 + 3 000 + 1 500 + 110 + 5
- = 24 615

Example 2:

20 000 + 2 500 + 1 600 + 200 + 280 + 35 = 20 000 + 2 000 + 1 000 + 500 + 600 + 200 + 200 + 80 + 30 + 5 = 20 000 + 3 000 + 1 500 + 110 + 5 = 24 615

a. $253 \times 41 =$

1		

b. 136 x 47 =



c. $766 \times 38 =$

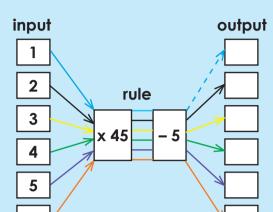


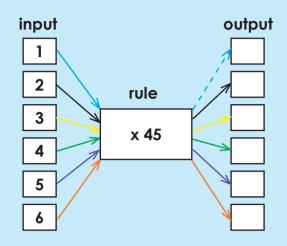
d. $492 \times 25 =$

Boxes of balls

This year a company gave 52 boxes of footballs to children. Each box had 545 balls. How many balls did the company give away?

Calculate the following. Which flow diagram was easier? Why?





1. Complete the following:

a.
$$4 \times 32 = 4 \times (40 - 20)$$

2. Calculate 1a - c

3. Complete the following:

a.
$$14 \times 32 = 14 \times (40 - 1)$$

a.
$$14 \times 32 = 14 \times (40 - \underline{\hspace{1cm}})$$
 b. $15 \times 47 = 5 \times (50 - \underline{\hspace{1cm}})$ c. $13 \times 83 = 3 \times (90 - \underline{\hspace{1cm}})$

c.
$$13 \times 83 = 3 \times (90 - \underline{\hspace{1cm}})$$

4. Calculate 3a-c.

a.
$$14 \times 32$$

= $14 \times (40 - 8)$
= $(10 + 4) \times (40 - 8)$
= $400 - 80 + 160 - 32$
= $320 + 128$
= $300 + 100 + 20 + 20 + 8$
= $400 + 40 + 8$
= 448
b. 15×47
= $15 \times (50 - 6)$
= $13 \times (90 - 6)$

5. Calculate the following.

Example 1:

- $= (500 + 40 + 7) \times (40 + 5)$
- = 20 000 + 2 500 + 1 600 + 200 + 280 + 35
- $= 20\ 000 + 2\ 000 + 1\ 000 + 500 + 600 + 200 + 200 + 80 + 30 + 5$
- $= 20\ 000 + 3\ 000 + 1\ 500 + 110 + 5$
- $= 20\ 000 + 3\ 000 + 1\ 000 + 500 + 100 + 10 + 5$
- $= 20\ 000 + 4\ 000 + 600 + 10 + 5$
- = 24 615

Example 2:

$$547 \times (50 - 5)$$

- $= (500 + 40 + 7) \times (50 5)$
- $= (25\ 000 2\ 500) + (2\ 000 200) + (350 35)$
- = 22500 + 1800 + 315
- $= 20\ 000 + 2\ 000 + 1\ 000 + 500 + 800 + 300 + 10 + 5$
- $= 20\ 000 + 3\ 000 + 1\ 600 + 15$
- = 24 615

a.
$$285 \times 41 =$$



b.
$$285 \times (50 - 9) =$$



c.
$$396 \times 22 =$$



d.
$$396 \times (30 - 8) =$$



Heartbeats ...

A normal, healthy adult heart beats about 78 times per minute.

- How many times will a heart beat in half an hour?
- How many times will a heart beat in one hour?

How will you solve this problem?

A timber grower wants to plant 156 rows each with 216 trees. How many trees does he have to plant?

- What is the question?
- What are the numbers?
- What basic operations (+. -, x, ÷) will you use?
- What will the number sentence be?
- Use the number sentence to work out the answer.



1. Write the following numbers in expanded notation.

Examples:

- 325 = 300 + 20 + 5
- 108 = 100 + 8
- 7 642 = 7 000 + 600 + 40 + 2
- 4 362 = 4 000 + 300 + 60 + 2
- a. 6 186

c. 5 659



e. 8 142



g. 7 231



b. 3 425



d. 2345



f. 9 678



h. 4527

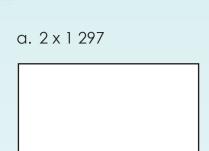


2. Multiply these sums making use of the distributive property.

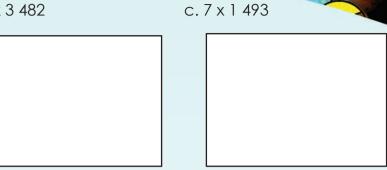
Example:

8 x 4 362

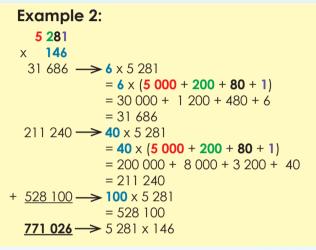
- $= 8 \times (4000 + 300 + 60 + 2)$
- $= 32\ 000 + 2\ 400 + 480 + 16$
- = 34 896

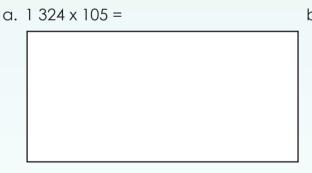


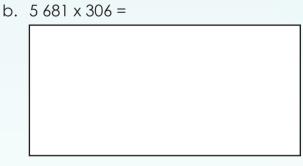


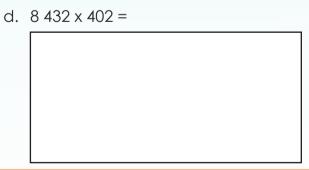


3. Calculate using the vertical column method.









Oranges in crates

A farmer can pack 2 139 oranges into a crate. How many oranges can be packed into 428 crates?

Multiplication and rounding off

If we want to multiply numbers quickly, without getting the exact answer, we can round off and then multiply.

Give the approximate answer by rounding both numbers to

Nearest 10	Nearest 100	Nearest 1 000
45 x 32 =	450 x 320 =	4 500 x 3 200 =

1. Round off the numbers to the nearest 10, 100 and 1 000.

	Nearest 10	Nearest 100	Nearest 1 000
a. 789			
b. 342			
c. 2 062			
d. 3 471			
e. 8 309			

2. Multiply the numbers by rounding off the first number to the nearest 1 000 and the second number to the nearest 100.

Round off to the nearest 1 000.

Example 1: 4 362 x 108 ≈ 4 000 x 100

Round off to the nearest 100.

Not rounded

≈ 400 000

a. 9 051 x 163

b. 2 485 x 327

3. Multiply the numbers by rounding off the first number to the nearest 100.

Round off to the nearest 1 000.

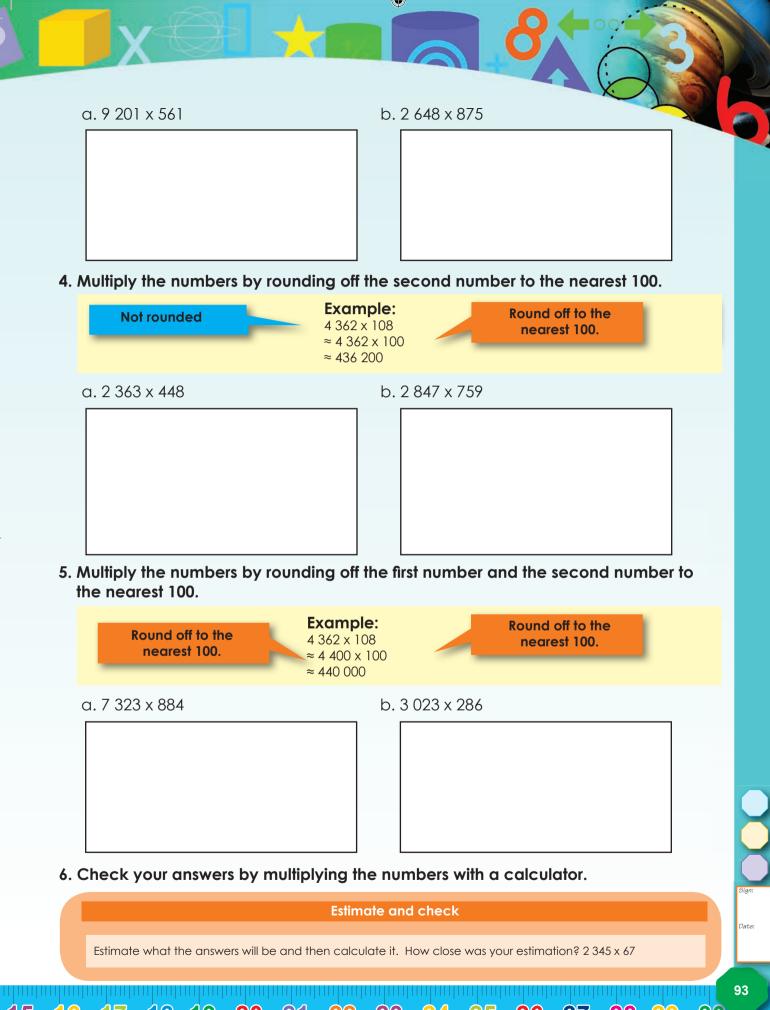
Example: 4 362 x 108

≈ 4 000 x 108 -

 $\approx (4000 \times 100) + (4000 \times 8)$

≈ 400 000 + 32 000

≈ 432 000





Can you remember the names of these objects?





1. Use the following descriptions to explain the similarities and differences between the pictures below. You can use a description more than once.

Two identical ends.

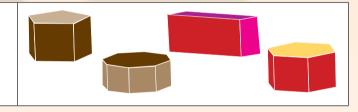
Six identical square faces.

Shapes at the end give the prism its name.

All the faces are flat.

A special prism.







2. Look at the pictures below. Name each 3–D object. Match each net with a 3–D object. What 2–D shape(s) do you see?

3–D object	Name of the 3–D object	Net	Name the 2–D shape(s)

94

0 1 **2 3 4 5 6 7 8** 9 10 11 **12** 13 **14** 18

3. Use the following phrases to describe the similarities and differences between the objects:

The base is a polygon.

Meet at an apex.

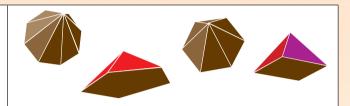
All the faces are the same.

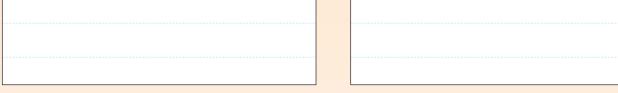
All the faces are flat.

The other faces are triangles.

A special pyramid

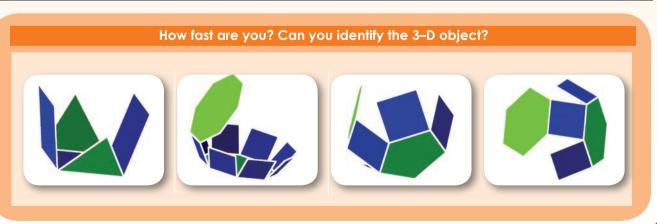






4. Look at the pictures below. Name each 3–D object. Match each net with the 3–D object. What 2–D shapes do you see?

3-D c	object	Name of the 3–D object	Net	Name the 2–D shapes



Describing 3-D objects



Revise: identify the 3-D objects in the pictures and say if they have flat or curved surfaces.





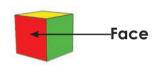




Also revise:

Faces

The individual surfaces of a 3-D object.



Vertex

The point where two or more straight lines meet.



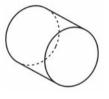
Edge

The line where two surfaces meet.

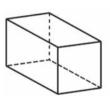


1. Name and describe the surfaces (flat or curved) of the following objects. We included a few challenges for you.

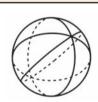
a.



b.



C.



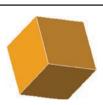
d.



e.



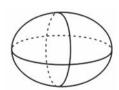
f.



g.

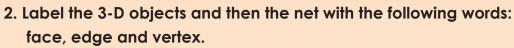


h.



li.

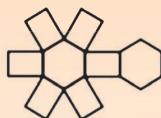




a.



b.



3. Choose the correct net to go with each prism/pyramid.



a. Triangular prism



b. Rectangular prism



c. Cube



d. Pentagonal prism



e. Hexagonal prism



f. Octagonal prism



g. Tetrahedron/ Triangular pyramid



h. Square pyramid



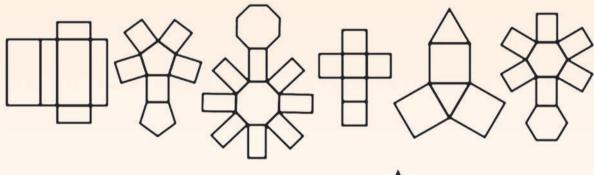
i. Pentagonal pyramid

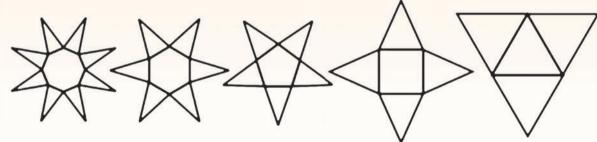


j. Hexagonal pyramid



k. Octagonal pyramid





From net to object

Choose any net. Enlarge it and make the 3-D object.

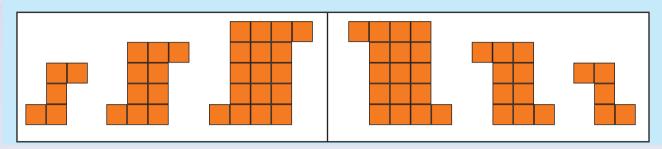
ı

Date

Geometric patterns



Are the patterns getting smaller or larger

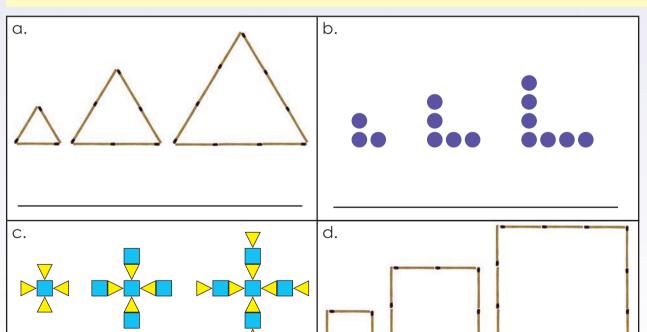


- 1. Describe the pattern using the statements below.
 - The shape keeps its form, but gets larger or smaller in each stage.
 - A shape or part of a shape is added at each stage.

Example:

Patterns in which a shape or part of a shape is added at each stage.



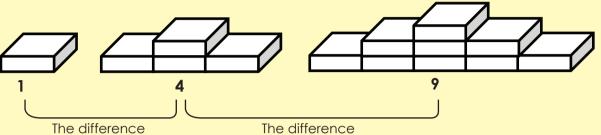




- Patterns with the same difference between the terms.
- Patterns do not have the same difference between terms.

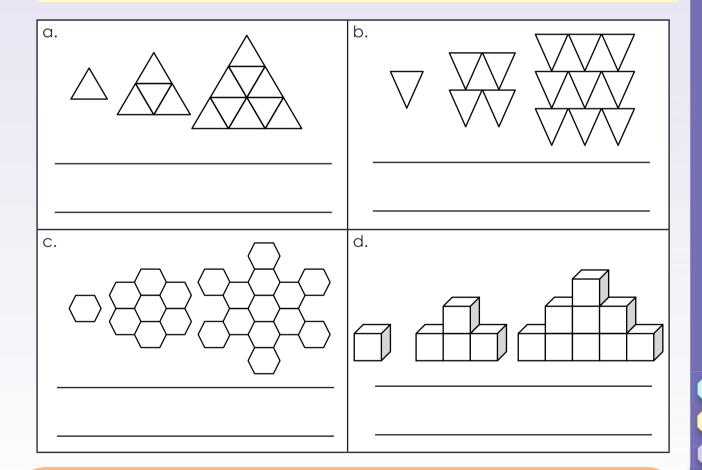
Example:

The pattern does not have the same difference between the terms.



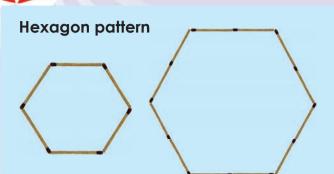
between 1 and 4 is 3.

The difference between 4 and 9 is 5.



Create a pattern

Create a geometric pattern where the pattern does not have the same difference between terms.



Describing the pattern:

"It is a pattern of hexagons."

"Each hexagon is bigger than the one before."

Describing how the pattern was made:

"I added one more match to each side of each hexagon."

"Each hexagon has one more match in each side than the hexagon on the left."

Use this table to predict how many matches are in the 10th pattern.

Pattern	1	2	3	4	5	10
Number of matches	6	12	18	24	30	Ś

1. Describe the following patterns and extend them.

- i. Name the polygon.
- ii. How do you get from the one stage to the next?
- iii. Make use of a table to predict the 10th pattern.

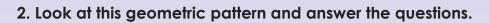
i.
iii.



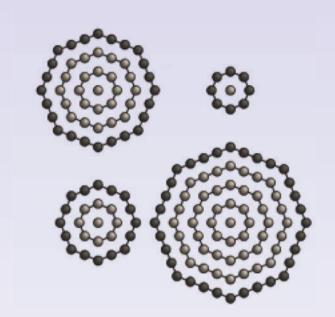
ii.

1 2 3 4 5 10

c. Compare the pattern in 1a and b.



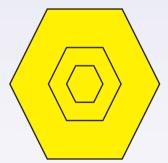
a. Label the patterns by saying which pattern is 1st, 2nd, 3rd and 4th.



- b. Describe the following patterns and extend them.
- i. Name the polygon.
- ii. How do you get from the one stage to the next?
- iii. Make use of a table to predict the 10th pattern.

1	2	3	4	5	10

3. Describe this pattern.



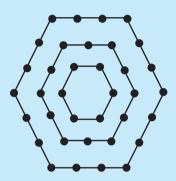
Create a pattern

Create your own geometric pattern using a polygon.

- Name the polygon.
- Explain how you get from the one stage to the next. Make use of a table to predict the 10th pattern.

Geometric patterns and tables

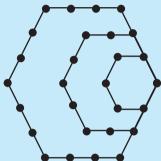
Describe and then compare the patterns by completing the tables below.



Hexagon pattern

Number of matches



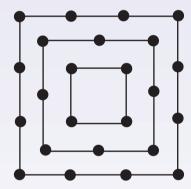


Hexagon pattern	1	2	3	4	5	10
Number of matches						

Compare the two above examples with the introduction activity on the previous worksheet.

- 1. Answer the following questions.
 - a. Make use of the table to predict the 20th pattern.

Square pattern	1	2	3	4	5	20
Number of matches						



b. Compare your answers in the table with the pattern on the multiplication board below.

Х	1	2	3	4	5	6	7	8	9	10
1	1	2	3	4	5	6	7	8	9	10
2	2	4	6	8	10	12	14	16	18	20
3	3	6	9	12	15	18	21	24	27	30
4	4	8	12	16	20	24	28	32	36	40
5	5	10	15	20	25	30	35	40	45	50
6	6	12	18	24	30	36	42	48	54	60
7	7	14	21	28	35	42	49	56	63	70
8	8	16	24	32	40	48	56	64	72	80
9	9	18	27	36	45	54	63	72	81	90
10	10	20	30	40	50	60	70	80	90	100

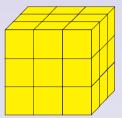
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 1



a. Make use of the table to predict the 10th pattern.







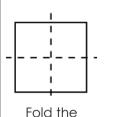
1	2	3	4	5	10

b. Compare your answers in the table with the pattern below.

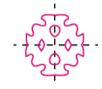
1 x 1 x 1	=	1	=	1
2 x 2 x 2	=	8	=	3 + 5
3 x 3 x 3	=	27	=	7 + 9 + 11
4 × 4 × 4	=	64	=	13 + 15 + 17 + 19
5 x 5 x 5	=	125	=	21 + 23 + 25 + 27 + 29
6 x 6 x 6	=	216	=	31 + 33 + 35 + 37 + 39 + 41
7 x 7 x 7	=	343	=	43 + 45 + 47 + 49 + 51 + 53 + 55
8 x 8 x 8	=	512	=	57 + 59 + 61 + 63 + 65 + 67 + 69 + 71
9 x 9 x 9	=	729	=	73 + 75 + 77 + 79 + 81 + 83 + 85 + 87 + 89
10 x 10 x 10	=	1 000	=	



You could fold the image and have both halves match exactly.



paper



Draw a pattern

Cut and unfold

Here the lion's face looks perfectly symmetrical – but that is because we took a photo of half the face and copied it to the other side.

- Why did we do this?
- Aren't all faces symmetrical?
- Do you think your face is perfectly symmetrical? Why or why not?

The red line down the centre is called the Line of Symmetry



1. How many lines of symmetry do the following shapes have?

a.



b.



C.



d.



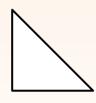
e.





2. Answer the questions.

a. Are these triangles symmetrical? If so, how many lines of symmetry do they have?





ii.



iii.



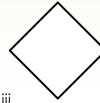
i٧.

b. Are these quadrilaterals symmetrical? If so, how many lines of symmetry do they have?

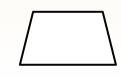




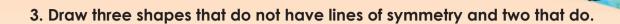
ii.



iii.

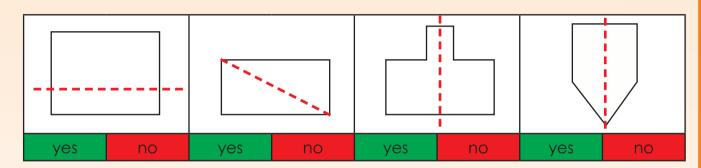


iv.

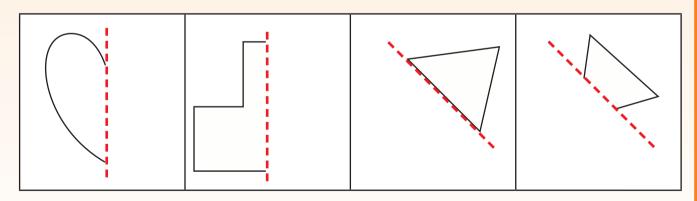




4. Say whether the dotted line on each shape is a line of symmetry.



5. Draw the second half of the symmetrical shape.



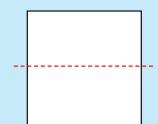
Symmetrical shapes

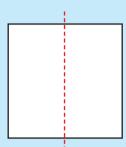
What are the three most common symmetrical objects you use on a daily basis?

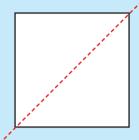
Date:

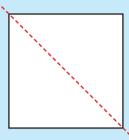
More reflection symmetry

The four common directions of symmetry.

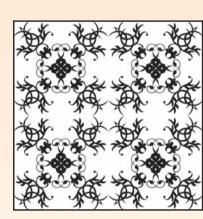


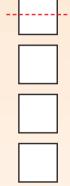


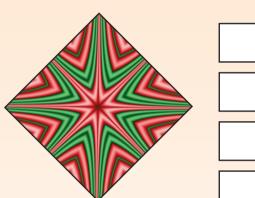




1. Identify four directions of reflective symmetry as possible. Show it on the blocks.







2. How many lines of symmetry does each shape have?

a.







e.



f.



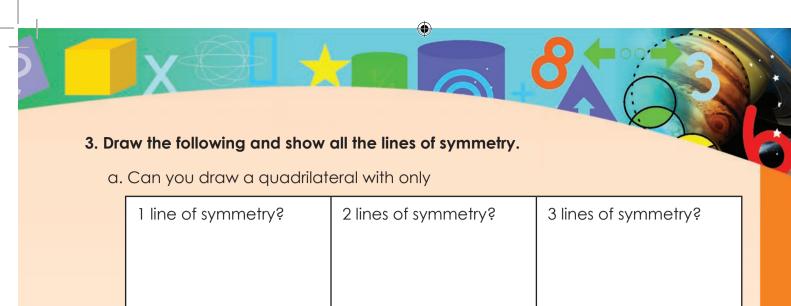
g.



h.

106

0 1 **2 3 4** 5 **6** 7 **8** 9 10 11 **12** 13 **14** 18



b. Can you draw a pentagon with unequal sides, with

1 line of symmetry?	2 lines of symmetry?	3 lines of symmetry?

c. Can you draw a hexagon with unequal sides, with

1 line of symmetry?	2 lines of symmetry?	3 lines of symmetry?

4. How many lines of symmetry do these patterns have?

a.



b.



C.



Dodecagon

How many lines of symmetry will a dodecagon with equal sides have?

40a

Sharing and grouping problems

Can you still remember what you did to groups of numbers to make them equal?

30 000

40 000

50 000

Can you move the numbers to make 3 equal groups?

What operation can you use to determine the total?

Make a drawing of your work.

1. Complete the following:

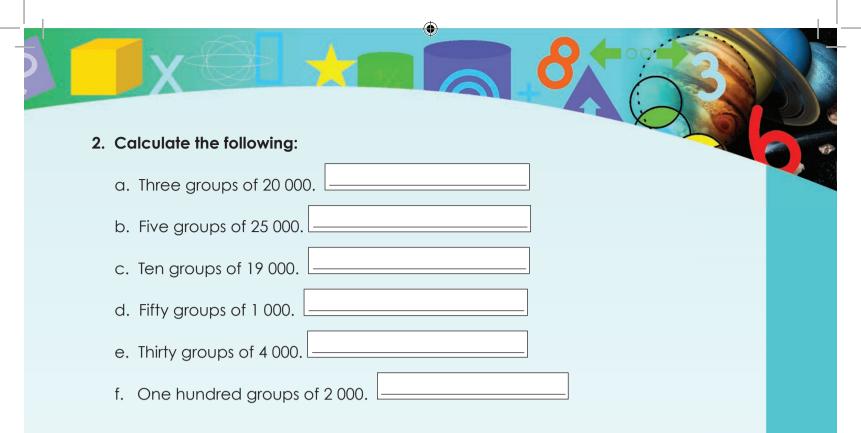
- a. Change the numbers to make them equal.
- b. Write down an addition sum for each.
- c. Write a multiplication sum for each.

•	7 000,	0.000	$\sim \sim \sim \sim$
	/ ()()()	\times $11111111111111111111111111111111111$	91111
١.	/ 000.		. / UUL

- a.
- b.
- C.
 - iii. 20 000, 40 000, 60 000
 - a.
 - b.
 - C.
- v. 10 000, 30 000, 50 000
- a.
- b.
- C.

- ii. 40 000, 50 000, 60 000
- a.
- b.
- C.
- iv. 40 000, 60 000, 80 000
- a.
- b.
- C.
 - vi. 50 000, 70 000, 90 000
- a.
- b.
- C.

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 1



3. Use number lines to show the following:

	Г	
a.	Share 120 000 between 3.	
b.	Share 12 000 between 4.	
С.	Share 150 000 between 5.	
d.	Share 150 000 between 50	
e. :	Share 180 000 between 30.	

Divisibility rules. These divisibility rules will help you with sharing.

A number is divisible by 2 if the last digit is 0, 2, 4, 6 or 8.

f. Share 180 000 between 300.

A number is divisible by 3 if the sum of the digits is divisible by 3.

A number is divisible by 4 if the number formed by the last two digits is divisible by 4.

A number is divisible by 5 if the last digit is either 0 or 5.

A number is divisible by 6 if it is divisible by 2 and it is divisible by 3.

A number is divisible by 8 if the number formed by the last three digits is divisible by 8.

A number is divisible by 9 if the sum of the digits is divisible by 9.

A number is divisible by 10 if the last digit is 0.

continued 🖝

4. Complete the table below.

Number	Can you divide the number by:	Show the sum:	Addition sum	Multiplication sum
186 000	3	186 000 shared by 3 = 62 000	62 000 + 62 000 + 62 000 = 186 000	62 000 x 3 = 186 000
194 255	5			
167 324	4			
151 500	6			
123 147	9			

5. Complete the table below. The first one has been done for you.

is divisible by:	С	ircle	the	corr	ect	nun	nber	(s).
a. 150	2	3	4	5	6	8	9	10
b. 225	2	3	4	5	6	8	9	10
c. 7 168	2	3	4	5	6	8	9	10
d. 9 042	2	3	4	5	6	8	9	10
e. 35 120	2	3	4	5	6	8	9	10

6. Answer true or false using the divisibility rules.

- a. 189 870 is divisible by 2.
- b. 134 955 is divisible by 5.
- c. 134 122 is divisible by 3.
- d. 187 324 is divisible by 4.
- e. 148 986 is divisible by 6.
- f. 173 293 is divisible by 9.



a 2					
(1. Z		l			

How fast can you divide?

Colour in the numbers you can divide by:

242	188	221	243
367	431	369	998
292	219	521	344
521	302	520	218

224	399	907	641
321	532	423	518
531	577	640	261
918	225	999	916

892	252	673	396
225	330	990	875
473	788	221	389
344	344	549	426



Look at the following statements and give an example of each.

kilometres per hour
rand per hour
item per kilogram

rand per year

rand per item

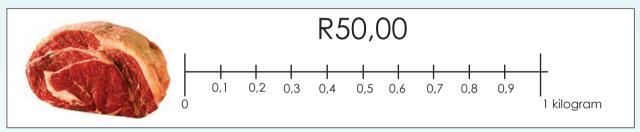
rand per week

rand per kilometre

kilometre per litre

rand per dozen

1. Look at the picture and complete the table.



	Weight	Cost
а	1 kg	R50,00
b	900 g	
С	800 g	
d	700 g	
е	600 g	
f	500 g	
g	400 g	
h	300 g	
I	200 g	
j	100 g	



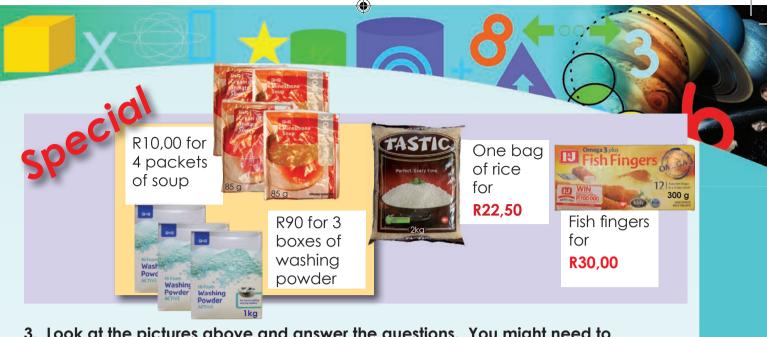
Remember:1 kg = 1 000 g
100 g = 0,1 kg

2. Chicken: R25/kg

- a. How much will it cost me to buy 2 kg?
- b. How much will it cost me to buy 750 g?
- c. How much will it cost me to buy 6,5 kg?



0 1 **2 3 4** 5 **6** 7 **8** 9 10 11 **12** 13 **14** 1



3. Look at the pictures above and answer the questions. You might need to make a drawing to help you to solve the questions.

a. What items are on special?
b.Complete the following:
i. Rice is/kg and/2 kg.
ii. Fish fingers are/300 g and/kg.
iii. R for an 85 g packet of soup.
iv. R/for 1 kg of washing powder.

4. Solve the following problems:

If Dinah is paid R30 to work for $2\frac{1}{2}$ hours at the market, how many hours must she work if she wants to make R100?

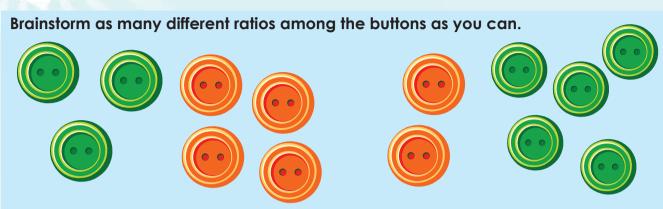
A great challenge

A company used to sell cooldrink in 340 ml cans. One year, the company decided they will not increase the price as they usually did every year. Instead they left the price at R4,50 but made the cans smaller. The cans now only held 300 ml of cooldrink each.

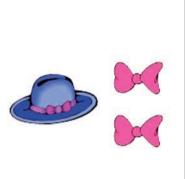
- Explain at least two benefits such an action would have for the company.
- Can you think of any disadvantage of doing this?

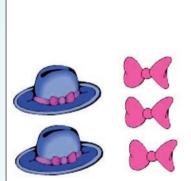


vave:



1. Add something to the second picture so that the ratio is the same for both pictures.

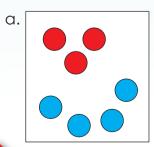


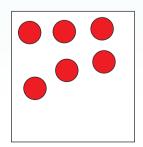


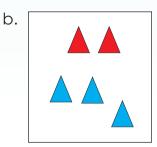
2. Draw a picture to show each ratio.

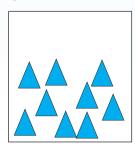
a. Blue caps to red caps 5:8	b. Boys to girls 12:10
c. Juice bottles to water bottles 3:2	d. Dogs to cats 6:5

3. Copy and finish each picture to make equal ratios of red to blue objects.



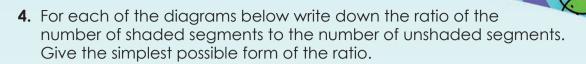


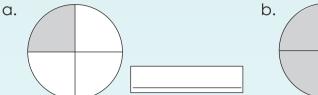


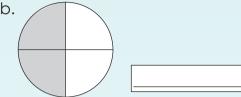


111

0 1 **2 3 4 5 6 7 8** 9 10 11 **12** 13 **14** 18







5. Which of these is better value for money? Why? Show your calculations.

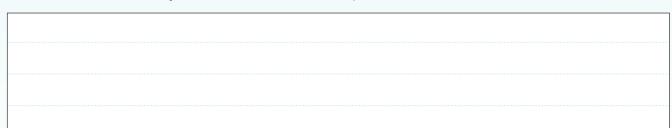
Juice A: Dilute with water 1:6. 1 litre = R13.99



Juice B: Dilute with water 1:4. 2 litres = R18,99



6. I make a sauce which needs 2 spoons of oil for every 3 spoons of lemon juice. 1 spoon = 15 ml. If I want half a litre of sauce, how much oil do I need and how much lemon juice do I need? Show your calculations.



Ratios and mixing

- Find 4 products at home which use ratios. Bring the packaging if you can, otherwise write down what the product is and copy the instructions on it which explain how it must be mixed. For each one, work out how much you will use of each item for 3 different quantities (e.g. If a juice bottle says "mix with water 1:3", then work out how much juice and how much water you will use for 1 litre, 2 litres, 3 litres of the juice).
- Choose your own quantities.

Sign:

Date:

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Factors



Discuss this.

Prime numbers have only two different factors. The one factor is 1. The other factor is the prime number. 2 is a prime number.

1 x 2 = 2 There are only 2 factors: 1 and 2. **Composite numbers** have more than two different factors. The number 21 is a composite.

1 x 21 = 21 3 x 7 = 21 There are 4 factors: 1, 21, 3 and 7.

1. Complete the following:

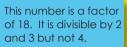
Number	Factors	How many factors?	Prime or composite?
12	1, 2, 3, 4, 6, 12	6	Composite
13			
15			
11			
10			
41			
23			
63			
73			
81			
77			
49			
33			
108			
121			

2. Express each of the following odd numbers as the sum of 3 prime numbers.

- a. 29 **3 + 7 + 19**
- b. 83
- c. 55 ______
- e. 99

3. Guess the number







You must each think of a 1-digit or 2-digit number.





This number is a factor of 72. It is less than 72 and it has two digits. It is divisible by the sum of its digits but not by the product of its digits.





4. Complete the table

Number	Factors	Number of factors
7		
14		
9		
18		
15		
30		
45		
90		

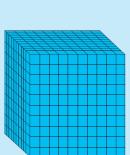


Factor quiz

Which number between 1 and 100 has the most factors?

Grouping and sharing

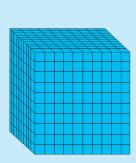
Share the small cubes in this block between **50** children.



Share the small cubes in this block between **30** children.

2. Complete the table below. If you need more space for your

pictures, use a separate sheet of paper to draw them.



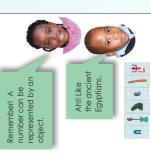
Complete the following:

How many groups do you have?

How many objects are left over that do not fit into a group?

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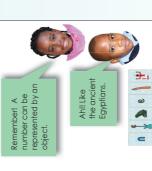
c. Write a division sum showing how you got your groups.

3
•
-
E
4
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in all of the following
-
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You have 229 objects. Divide them into groups of 4.

Term 2

Draw a picture of your groups.



Division sum A picture objects are left over that do not fit into a group? How many How many groups do you have? Divide 10 000 objects into Divide 100 000 Divide 500 000 Divide 1 000 objects into objects into objects into 5 groups. 7 groups. 8 groups. 6 groups.

(

continued •

18 19

42

21 20

58 27

30

29

4 **69 N**

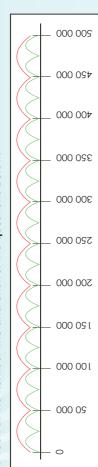
9 B

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3. Look at the number line and answer the questions below.



200 000

420 000

000 007

320 000

300 000

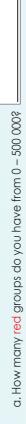
250 000

200 000

120 000

000 001

20 000



b. How many objects are left over that do not fit into a group?

c. Write this as a division sum.

a. How many groups do you have?



Term 2

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g. Write a multiplication sum for the green groups.

Number system

How many groups can you make that will give a total of 800 000? Remember all the groups must be the same size.

30

28 29

27

56

25

24

23

24

20

10

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Quick recall:

10 ÷ 2	4÷1	20 ÷ 5	2÷1	18÷2	35 ÷ 5
45÷5	3÷1	16 ÷ 4	5÷1	12÷4	28÷4
20 ÷ 2	6 ÷ 3	4÷2	45÷3	25÷5	30÷3
28÷2	12÷3	20 ÷ 4	15÷5	21÷3	10÷5
36 ÷ 4	40 ÷ 4	22 ÷ 2	18÷3	8÷2	39÷3

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if the sum of the digits is divisible by 9. if the last digit is either 0 or 5. <u>.</u>

Term 2

- if the number formed by the last two digits is divisible by 4. Ċ
 - if the last digit is 0, 2, 4, 6 or 8. $\dot{\circ}$
- if it is divisible by 2 and it is divisible by 3. if the last digit is 0.

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- if the number formed by the last three digits is divisible by 8. တ်
- if the sum of the digits is divisible by 3.

2. Estimate and then calculate the following:

- Share 880 between 80. ö
- Divide 900 by 100. ġ
- How many groups of 8 can be made from 480? ċ
- How many lengths of 100 m can you cut from 1 km? ਰਂ
- Is 840 divisible by 40? How do you know? ψ
- Write down two numbers with a quotient of 60.
- Share 2 700 between 90. တ်
- Divide 3 200 by 80. :
- How many groups of 700 can be made from 3 500?
- Write down two numbers with a quotient of 25.

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- a. I have R249,50. Tickets cost R10,00 each How many can I buy?
- b. There are 940 people. There are 9 seats in a row.

How many rows are there?

- c. I have 880 sweets. One packet holds 8 sweets.
- - d. How many metres are there in 4 kilometres? How many packets can I fill?
- e. What is one quarter of 1 000?
- f. How many 8s are there in 1 000?
 - g. What is half of 1 000?
- h. What is a fifth of 1 000?

i. Make up your own division word sum.

4. Share each of the following between 5, 6, 50, 60, 500 and 600. Write down any remainders.

(1)

a. 3 000 b. 1 500 c. 1 800 d. 6 000 e. 9 000 f. 8 000 g. 6 500 h. 1 200		2	9	50	09	200	009
b. 1500 c. 1800 d. 6000 e. 9000 f. 8000 g. 6500 h. 1200	a. 3000						
C. 1800 d. 6000 e. 9000 f. 8000 g. 6500 h. 1200	b. 1 500						
d. 6 000 e. 9 000 f. 8 000 g. 6 500 h. 1 200	c. 1800						
6. 9 000 f. 8 000 g. 6 500 h. 1 200	q. 6 000						
f. 8 000 g. 6 500 h. 1 200	e. 9 000						
9. 6 500 h. 1 200	f. 8 000						
h. 1 200	g. 6500						
	h. 1 200						

30

Rules of divisibility:

- If the last digit is an even number.
- If the sum of the digits is divisible by 3, the whole number is also divisible by 3.
 If the number made by the last two digits is divisible by 4, the whole number is also divisible by 4.
 - If the last digit is a 5 or a 0, the number is divisible by 5.
- If the number is divisible by both 3 and 2, it is also divisible by 6.
- Take the last digit, double it, and subtract it from the rest of the number; if the answer is divisible
 - If the sum of the last three digits is divisible by 8, the whole number is also divisible by 8. by 7 (including 0), then the whole number is also divisible by 7.
 - If the sum of all the digits is divisible by 9, the number is also divisible by 9. 10 %
- Subtract the sum of the even digits from the sum of the odd digits; if the difference, including 0, - If the number ends in 0, it is divisible by 10.
 - is divisible by 11, the number is also divisible by 11.
 - If the number is divisible by both 3 and 4, it is also divisible by 12.
- . Tick the correct column 1. Say if the number is divisible by

Term 2

(

- 9 b. 1 320 a. 5 040 c. 3 024
- Calculate the following and use a calculator to check your answers:

Example:

$$\begin{array}{r}
23 \text{ rem 8} \\
24 | 560 \\
-48 | (24 \times 2) \\
80 \\
\hline
72 | (24 \times 3)
\end{array}$$



Example:

2. Calculate the following and use a calculator to check your answers:

a. 3829 ÷ 126 =

b. 7 323 ÷ 128 =

c. $5637 \div 183 =$

d. 9 522 ÷ 151

(1)

f. $4217 \div 174 =$

e. $6373 \div 135 =$

Paying for the dinner

We raised R8 6.74 in our community to give the old age home a special dinner. There are 128 people living in the old age home. How much can we spend per person?

18 **19**

50

22 24

34 23

25

30

10

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Division: multiple operations on whole

f. $4 + 3 \times 5 =$

 $e.5 + 6 \times 3 =$

 $d.4 \times 3 + 5 =$

numbers with or without brackets Grade 6 because it involves roots and We will not focus on the order in exponents. Order (e.g powers and roots) Multiplication (left to right) Subtraction (left to right) Addition (left to right) Division (left to right) **Brackets first**



0 8 4 ۵



c. 99 ÷ 11 x 4 =

b. $49 \div 7 \times 3 =$

a. $32 \div 8 \times 2 =$

 $30 \div 5 \times 3 = 30 \div 15 = 2 \text{ (wrong)}$

 $30 \div 5 \times 3 = 6 \times 3 = 18$

Examples:

3. Work from left to right.

f. $48 \div 12 \times 3 =$

e. $24 \div 4 \times 2 =$

d. $36 \div 4 \times 3 =$

1. Calculate the brackets first.

Examples:

Term 2

- $6 \times (2 + 3) = 6 \times 5 = 30$
- \star 6 × (2 + 3) = 12 + 3 = 15 (wrong)
- What will happen if you calculate the sum using:
 - a scientific calculator? a basic calculator?



b. $10 \times (1 + 4) =$

 $a.6 \times (2+3) =$

•

- $C.9 \times (7 + 4) =$

4. Explain how you will work it out, and then calculate it.

 $4 \times 2 \longrightarrow 4 \times 2 + 2 = 8 + 2 = 10 \text{ (right)}$

Examples:

 $2+4 \rightarrow 2+4 \times 2 = 12 \text{ (wrong)}$

(1)

f. $3 \times (9 + 2) =$

e. $8 \times (3 + 2) =$

d. $7 \times (4 + 5) =$

- 2. Multiply or divide before you add.

Examples:

- \checkmark 2 + 5 x 3 = 2 x 15 = 17
- $2+5\times3=7\times3=21$ (wrong)
- $a.3 + 2 \times 4 =$
- c. $6 + 2 \times 3 =$ $b.7 \times 5 + 2 =$

- **@ ®**

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B

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- 10 11 12 18 14 15 16 17 18 19 20 21

I have 3 sweets and my brother has 4 times more. We share all the sweets amongst 5 children. How many sweets will each child get?

Sharing sweets

f. $(6 + 7) \times 2 =$

 $e.5 + 3 \times 2 =$

d. $2 \times (5 + 4) =$

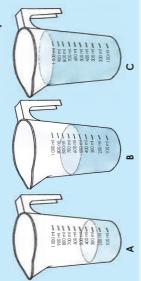
 $c.6 \times 2 + 3 =$

b. $(3 + 4) \times 2 =$

 $a.3 + 2 \times 4 =$

- **22** 23 24 25 **26** 27 **28** 29 30

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Look at the picture and discuss it in a group. Say what fraction of jug A, Jug B and Jug C is coloured.

using the labels provided.

Silled sillogs	25 ml	250 ml	5 ml
de puip edos 6	100 ml	10 ml	50 ml
		Spoon	Spoon
	Cup A		

Term 2

5 m	
50 ml	
Spoon A	
2	

5 n	
50 ml	
Spoon A	

	What fraction of the jug will be filled by one cup or spoonful?	$-\frac{1}{4}$ of the jug will be filled.					
	How many will fill the jug?	4 cups will fill the jug.					
SpoonA	Capacity	250 ml					
<i>></i>	Cup or Spoon	Cup A	Cup B	Cup C	Cup D	Spoon A	Spoon A
	litre	() () () () () () () () () ()		F			111111111

Answer the following questions giving your answers in metres. What is:

a. one half of 1m; 0,500 m

b. one quarter of 1 m?

d. One tenth of 1 m? one fiftieth of 1 m?

c. one fifth of 1 m?

e. one twentieth of 1 m?

g. three quarters of 1 m?

h. two fifths of 1 m?

3. Answer the following questions giving your answers in kilometres

What is:

b. one quarter of 1 km? d. One tenth of 1 km? a. one half of 1km? 0,500 km c. one fifth of 1 km?

f. one fiftieth of 1 km? e. one twentieth of 1 km?

h. two fifths of 1 km? g. three quarters of 1 km?

000 L 006 008 004 009 005 005

4. Complete the table below using the scale on the right.

one kilometre

Line	Length of line	Fraction of 1 km
Blue		
Orange		
Red		
Pink		
Green		

200 200 00e metre

				1 4 1 5 1
noes				
Play Fraction Dominoes	250 ml 250 g of a of a lifre kilogram	<u>†</u>		<u>2</u>
y Fracti	250 ml of a lifre			
Pla	You played this previously. See cut-out 5.	 Play Fraction Dominoes with a friend. 	2. Describe the dominoes in	this section.

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42

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15

More fractions through measurement

-

So, I can say 1 km equals 1000 m. lines are exactly the same in length. The number-Read the descriptions. This number-line shows 1 km. This numberline shows 1 000 m.

1. Look at the measuring stick. Label the stick by writing in the millimetres. Then complete the table below.

I erm 2

	oue ce	one centimetre	T-
Millimetres	Fraction of the measuring stick	Decimal fraction	Centimetres
2 mm	5 10	9'0	0,5 cm
3 mm			
4 mm			
mm 6			
2 mm			

2. Look at the measuring stick and complete the tables below.

<u></u> 8	
—	
	- 1
 8	- 1
=	
 2	- 1
I —	- 1
I —	- 1
I —	- 1
I —	
I —	
I —	- 1
I	
— ≥	- 1
	- 1
I —	
I —	- 1
I —	- 1
I —	
I —	
I —	- 1
 8	
9	
	- 1
	- 1
I —	- 1
I —	- 1
I —	- 1
I —	- 1
	- 1
—	
2	ு ப
I — '	==
I —	(D)
_	Ĕ
	Ĕ
=	ĕ
=	ne m
	one m
	one metre
	one m
 8	one m
6	one m
6	one m
6	one m
	one m
	one m
	one m
30 40	one m
	one m
20 30	one m
20 30	one m
20 30	one m
	one m
20 30	one m

15 cm 15 32 cm 55 cm 75 cm	Fraction of the Decimal fraction	Metres
32 cm 55 cm 75 cm	0,15	0,15 m
55 cm 75 cm		
75 cm		
89 cm		

Look at the measuring stick and complete the tables below.

	one metre	netre	
Millimetres	Fraction of the measuring stick	Decimal fraction	Metres
255 mm	<u>255</u> 1000	0,255	0,255 m
275 mm			
369 mm			
892 mm			
313 mm			

Answer true or false: of the jug. -|2 4. Fill

 $\frac{1}{10}$ of the jug is equal to 1 litre.

 $\frac{1}{10}$ of the jug is equal to 1 ml. o.

 $\frac{1}{10}$ of the jug is equal to 100 ml.

d. $\frac{10}{100}$ of the jug is equal to 100 ml. = e. $\frac{100}{1000}$ of the jug is equal to 100 ml.

5. I need to walk 1 km to school. I walked $\frac{\dot{s}}{\dot{s}}$ of the km and then met my friend. What part of the kilometre did we walk together?

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10 ml of a litre 10 mm of a metre -18 1 25 Fraction Dominoes How to play: See the Worksheet 48, page 129.

11 10 @ \odot 9

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28 29

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18 19

16 17

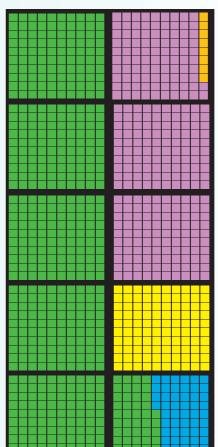
50a Fractions

If all of the small squares together represent one kilogram, why can we say that each of the small squares represents one gram?

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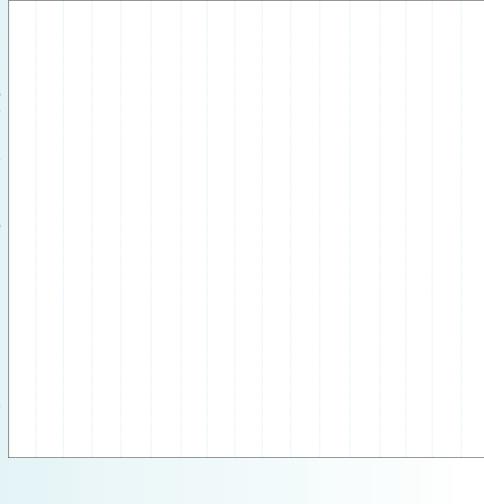
1. Look at the diagram and complete the table on the next page.

(



Colour	Fraction	Decimal fraction	Kilogram
Green			0,546 kg
Blue			
Yellow		1′0	
Pink			
Orange	8 1000		

2. Make your own word sum about the diagram on the previous page.



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Fractions continued

3. Look at the bead diagram and complete the table below.

	000000000 000000000 00000000 000000000
00000000 00000000 00000000 00000000 0000	000000000 000000000 000000000 00000000
00000000 00000000 00000000 00000000 0000	
00000000 00000000 00000000 00000000 0000	
000000000000000000000000000000000000000	

Beads	Fraction	Decimal fraction	Total beads
Orange	200 <u>1</u>	0,2	200
Green			
Blue			
Red			
White			
Purple			
Yellow			

4. Use the table to decide what colour traction of beads is:	a. less than $\frac{1}{5}$? red, white and purple	b. more than $\frac{1}{5}$?	c. less than $\frac{1}{10}$?	d. less than 0,059	e. than 0,005?

5. Complete the following:

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N 0 07.0 08.0 09.	D. 0,07, '0,00, 0,07,

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_		-
	.800 0.700 0.700 0	C. 0,000, 0,001, 0,000,

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0	
0;126; 0,125; 0,1	
Ö	
Ō.	

		•	S00 m 750 mm of of a litre a metre
Fraction Dominoes		15	1 2
	How to play: Play fraction dominoes with a partner. See worksheet 48, page 129.		

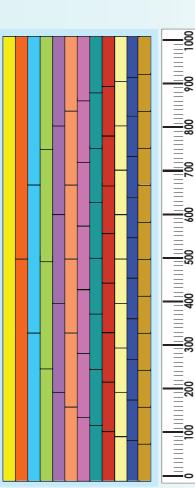
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More fractions

3. Write the fraction that each part represents underneath the

fraction circle.

If the top row (gold) is equal to 1, what are the other rows equal to?



1. Use the fraction board and ruler above to calculate the following:

Term 2

	mm	٤	m = mm
One half $(\frac{1}{2})$ of a metre			
Two quarters $(\frac{2}{4})$ of a metre			
One fifth $(\frac{1}{5})$ of a metre			
One tenth $(\frac{1}{10})$ of a metre			
Three quarters $(\frac{3}{4})$ of a metre			

•

2. Complete the following using the diagram and ruler above.

$$m = \frac{1}{4}m = \frac{1}{8}m = \frac{1}{8}m$$

ö

<u>.</u>

- c. Write down five fractions that are smaller than $|ec{3}|$
- d. Write down five fractions that are bigger than $\frac{1}{4}$
- e. What fraction of the ruler is 10 mm?
- f. What fraction of the ruler is 10 cm?
- g. What fraction of the ruler is 4 mm?
- h. What fraction of the ruler is 5 mm? \perp

. 200 g	iii. 500 g	v. 125 g

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4. Look at the picture and answer the questions below.



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b. What fraction of 1 kg does the object weigh? dash

5. Answer <, > or =

of a kg.
_I4
200 g
:

 $\frac{1}{4}$ of a kg.

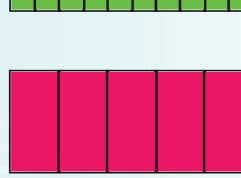
 $\frac{1}{8}$ of a kg.

 $\frac{1}{2}$ of a kg. $\frac{1}{5} \text{ of a kg.}$ ii. 250

vi. $750 \,\mathrm{g}$ 4 of a kg.

7. Look at the picture of the jug and answer the questions below.

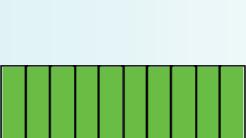
Write the fraction that each part represents underneath the fraction rectangle, and answer the questions.



Term 2



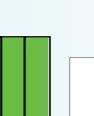




200 ml 20

200 ml / 100 ml





a. How much liquid is in the container?

b. What fraction of 1 litre is this?

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-12

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 $\frac{1}{10}$ of a litre. $\frac{1}{5}$ of a litre. ii. 200 ml iv. 100 ml

 $\frac{1}{5}$ of a litre.

iii. 100 ml

 $\frac{1}{4}$ of a litre.

i. 200 ml

c. Answer <, >, or =

	of a litre
[-IS
L	50 ml
	. <u>></u>

 $\frac{1}{20}$ of a litre.

v. 50 ml

Fraction Dominoes

How to play: Play fraction dominoes. See worksheet 48, page 129.

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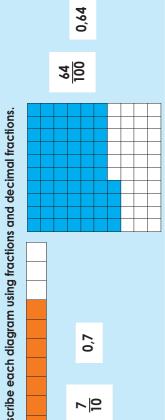
<u>@</u> 47 9

23

25 **24**



Describe each diagram using fractions and decimal fractions.

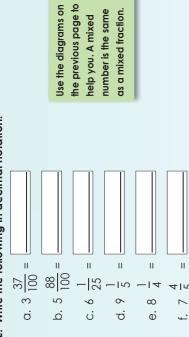


1. What parts are shaded?

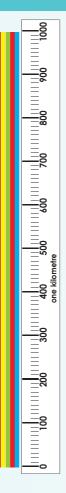
Term 2

		Decimal fraction	2,55			
	Mixed number	Proper fraction	55 100	$\frac{1}{5}$ or	$\frac{1}{25}$ or	or
	Mixed	Whole	2			
-		Shapes				

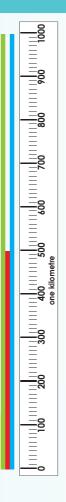
2. Write the following in decimal notation.

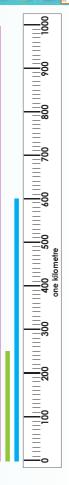


3. Look at all the rulers and coloured lines and complete the table on the next page.



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More decimal notation

What is the		Whole nur common	Whole numbers and common fractions		Decimal
total length of the	E E	Whole metre(s)	Fraction of one metre	Mixed fraction	fraction or m
blue line	1 000 mm + 1 000 mm + 600 mm = 2 600 mm	2	000 1	<u>2600</u> 1 000	2,6 m
red line					
green line					
yellow line					
purple line					

4. Write the following as a decimal fraction.

(

a.
$$3\frac{457}{1000} = \frac{3}{1000}$$
b. $5\frac{88}{100} = \frac{3}{100}$
c. $2\frac{1}{250} = \frac{3}{100}$
d. $7\frac{1}{500} = \frac{3}{100}$
e. $15\frac{1}{125} = \frac{3}{100}$
f. $62\frac{1}{200} = \frac{3}{100}$



Mixed Fraction

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A Mixed Fraction is a whole number and a proper fraction combined into one 'mixed' number.

Improper Fraction

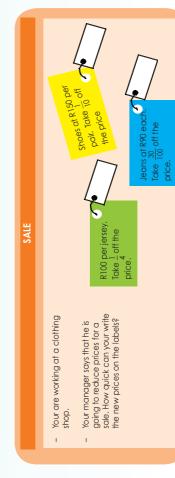
An improper fraction has a numerator (the top number) that is greater than or equal to the denominator (bottom number).

Example: $\frac{4}{3}$, $\frac{5}{2}$, $\frac{7}{5}$, $\frac{2}{2}$.

5. What parts are shaded? Complete the table.

	Mixed	Mixed number	;
Shapes	Whole	Proper fraction	Improper fraction
	3	$\frac{1}{2}$	$\frac{1}{2} + \frac{1}{2} = \frac{7}{2}$
+			

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27 28 29

24 25 **26**

23

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Time in decimal form

Use the words below to explain the pink on the clocks.

15 minutes

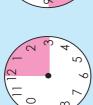
30 minutes

45 minutes quarters

half











Very important to remember!

• 0,5 hours = 30 minutes, not 50 minutes. This is because decimals show fractions of tenths, hundredths, thousandths and so on. Minutes are measured in sixtieths of an hour.

Term 2

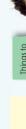
• Similarly, $\frac{1}{4}$ hour = 15 minutes, and $\frac{1}{10}$ hour = 6 minutes.

1. Write your answer in common fractions.

a. 30 minutes =
$$\frac{1}{2}$$
 hour. b. 15 minutes = $\frac{1}{2}$

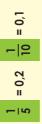
•

hour.











2. Write the answers in decimal fractions.

hours. b. 15 minutes =
$$\begin{bmatrix} 1 & 15 & 15 \end{bmatrix}$$

hours.





d. 6 minutes =

hours



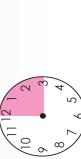


3. Complete the table:

Division sum	1 ÷ 10 = 0,1									
Hours in decimal fraction	0,1									
Hours in common fraction	$\frac{01}{1} = \frac{9 \div 09}{9 \div 9}$	$\frac{12}{5} = \frac{6}{5} + \frac{12}{5}$								
Minutes	9	12	18	24	30	36	42	48	54	09

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You saved money for a long time and now you are going to buy all the things you need. First count your money.

b. R29,99/CD. How much will you pay for 5 CDs

a. R89,25/pair of shoes. How much will 4 pairs

2. Calculate the following:

on special?



1. Complete your shopping game below and then answer these questions.

to start the game with. a. I counted my money and I have R

Term 2

b. Ispend R

c. I will save R

c. R69,99/book. How much will you pay for 7 books?

d. R39,20/feddy bear. How much will 10 feddy bears cost?

TAN EL BUTCHERY

Start

R40,00

Pocket Remember

your budget. Stay within money: R100

R29,99

R69,99 sensibly

HADR SALON

Remember

to save.

RA7,65

R109,45

28

B

69

Move from one shop to the other and buy your goods.

How to shop:

Write down your sums on a piece of paper.

too much. R89,99

Pocket

R100

Don't spend

• Show all your calculations as you go.

Adding and subtracting decimals

What is the difference between the numbers? Fill in the last number.

Count forwards:

1				1
1				\
1	6′0	60'0	600'0	*
1	8′0	0,08	800'0	1
1	0,7	20'0	0,007	<i>k</i>
	9′0	90′0	900'0	1
1	0,5	90'0	0,005	1
1	0,4	0,04	0,004	*
1	0,3	0,03	0,003	1
1	0,2	0,02	0,002	*
	0,1	0,01	0,001	¥

Count backwards:

1. Complete the following:

	<u></u>		<u> </u>
	i i	Ш	۰ ا
	ΠÌ		!
	<u> </u>	Ш	<u> </u>
,			
	6	Ш	•
	a. 0,3; 0,6; 0,9;	b. 3.5: 4: 4.5:	77.69.67

Term 2

- d. 0,02; 0,04; 0,06; e. 0,79; 0,84; 0;89;
 - 0,125; 0,130; 0,135; 4,99, 4,88; 4,77;

(

- h. 0,125; 0,250; 0,375;
 - 1 9,937; 9,837; 9,737;
- 2. Complete the table.

0,001					
Subtract					
Add 0,1 Add 0,01 Add 0,001 Subtract 0,1 Subtract 0,01 Subtract 0,001					
Subtract 0,1					
Add 0,001					
Add 0,01					
Add 0,1					
Number	0,657	0,248	232,232	666′6	l

3. Fill in the missing number:

- = 4,127e. 4,125+ a. 32,4+ c. 1,32+
- d. 8,452+ b. 7,64 +
- = 8,492f. 9,328+

4. Complete the table.

		Complete up to the next hundredth	Complete up to the next Complete up to the next hundredth tenth	Complete up to the next unit
Ö.	2,534	a. 2,534 2,534 + = 2,540 2,534 +	2,534 + = 2,600	2,534 +
b.	9/8/9	b. 6,876 6,876 + = 6,880 6,876 +		7 = (-900 6,876 + (-900 6,876
Ċ.	5,163	c. $5,163$ $5,163 + = 5,170$ $5,163 + $	5,163 + 5,200 5,163 +	5,163 +
ö	4,087	d. $4,087$ $4,087 + $ $= 4,090$ $4,087 + $	4,087 + 4,100 4,087 +	4,087 +
e.	666'6	e. 9,999 + 9,999 + 9	=	= + 666'6

5. Write the following in expanded notation:

f. 82,059 = d. 15,342 =b. 9,341 = a. 4,578 = 4 + 0,5 + 0,07 + 0,008g. 456, 321 = h. 809,402 = e. 89,294= c. 3,782 =

Examples: Example 1:

= 4 + 1 + 0.2 + 0.4 + 0.03 + 0.05 + 0.004 + 0.002= 5 + 0.6 + 0.08 + 0.0064,234 + 1,452

(0,004 + 0,002)(0.03 + 0.05)900'0 0,080 0 0 9 , 0 Example 2:

(4+1) (0,2+0,4)

> 5,000 5,686

(

6. Calculate the following using any method. Do your calculations on an extra piece of paper.

What can you do?

a. 5,326 + 4,542 = [-

b. 3,234 + 2,549 = 0c. 3,785 + 4,156 =

874 =
1,349 + 1
d. 4,3



e. Test your answers.

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Adding and subtracting more decimals

Look at the table and discuss.

thousandths	80
hundredths.	4
s4tn 9 t	5
stinu	7
sn o t	ю
hundreds	2
sbasuodt	9
ten thousands	6
hundred thousands	-

Decimal fraction revision

1. Complete the table below:

Words	Zero comma three four five				
Decimal fraction Common fraction	345				
Decimal fraction	0,345	5,879	3,402	18,005	23,900

(

2. Write in expanded notation.

Decimal fraction	0,3 + 0,04 + 0,005				
Common fraction	$\frac{3}{10} + \frac{4}{100} + \frac{5}{1000}$				
Decimal fraction	0,345	6/8/9	3,402	18,005	23,900

3. Match column B with column A.

Column b	.: 5	ii. 0,5	iii. 0,025	iv. 0,25	v. 0,205
Column A	a. 0,500	b. 0,250	c. 0,205	d. 0,025	e. 5,000

4. Fill in <, > or =

0,27	60'0	2,76	5,4	66'66
b. 0,027	d. 0,900	f. 2,760	h. 4,5	j. 9,999
0,430	0,90	0,14	5,4	18,100
a. 0,43	c. 0,900	e. 1,004	g. 5,400	i. 18,1

Example 1:	5,678 + 4,9

			1		
5,678 + 4,9	= 5 + 4 + 0,6 + 0,9 + 0,07 + 0,008	= 5 + 4 + 1,5 + 0,07 + 0,008	= 5 + 4 + 1 + 0.5 + 0.07 + 0.008	= 10,578	

5,67 5 , 4 7 , 0 0 , 0 1 , 1 10 , 0

(

				0 , 0 0 7 (0,010 – 0,003)	(0.09 - 0.08)	(0.8 - 0.7)	(4-1)		
Example 3:	4,9 -1,783	4 ,9 0 0	- 1,783	0,007	0,010	0,100	+ 3,000	3,117	
			006,	(0 + 800'0)	(0+20'0) 0 2 0 '	(0.6 + 0.9)	(5+4)		
e 2:	78 + 4,9	678	006,	, 0 0 8	070,	, 500	000,	, 5 7 8	

5. Calculate the following using any method.

						[[
•	a. 45,783 + 8,92 =	b. $32,24 + 19,387 =$	c. 52,793 + 28,32 =	d. 69,8 + 21,876 =	e. 87,683 + 49,9 =	f. 7,63 – 4,476 =	g. 38,7 – 25,534 =

What can you do?	What can this number mean? 2,500
Whatca	

B 4 8

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i. 873.5 - 299.999 =h. 384,4 - 123,789 = 1

More adding and subtracting of decimals

Count **one tenth** and then **one hundredth** forward from the given number.

L						
	Add 0,01					
	Add 0,1					
		0,45	0,68	1,34	2,41	3,06

Count **one tenth** and then **one hundredth** backward from the given number.

	Subtract 0,1	Subtract 0,01
0,45		
0,68		
1,34		
2,41		
3,06		

1. Add the following using the examples to guide you.

b. 0,5 + 0,4 =	d.0,73 + 0,2 =	f. 0,79 + 0,4 =	h. 0,65 + 0,24 =	j. 0,57 + 0,25 =	1. 0,32 + 0,99 =
a. 0,1 + 0,5 =	c.0,64 + 0,2 =	e. 0,38 + 0,7 =	g. 0,63 + 0,23 =	i. 0,62 + 0,19 =	k. 0,32 + 0,99 =
Example 1: 0,2 + 0,4 = 0,6	Example 2: 0.25 + 0.4 = (0.2 + 0.4) + 0.05 = 0.6 + 0.05 = 0.65	Example 3: 0.38 + 0.9 = (0.3 + 0.9) + 0.08 = 1.2 + 0.08 = 1 + 0.2 + 0.08 = 1,28	Example 4: 0,42 + 0,35 = (0,4 + 0,3) + (0,02 + 0,05) = 0,7 + 0,07 = 0,77	Example 5: 0,46 + 0,28 = (04 + 0,2) + (0,06 + 0,08) = 0,6 + 0,14 = 0,6 + 0,1 + 0,04 = 0,7 + 0,04 = 0,7 +	Example 6: 0,99 + 0,35 = (0,9 + 0,3) + (0,09 + 0,05) = 1,2 + 0,14 = 1 + 0,2 + 0,1 + 0,04 = 1 + 0,3 + 0,04 = 1,34

(

2. Subtract the following using the examples to guide you.

b. 0,5 - 0,1 =	d. 0,38 – 0,1 =	f. 0,67 – 0,23 =	h. 0,58 – 0,23 =	j. 0,53 – 0,37 =	1, 1,63 – 0,87 =
a. 0,7 - 0,3 =	c. 0,83 - 0,2 =	e. 1,83 – 0,9 =	g. 0,69 - 0,46 =	i. 0, 85 – 0,47 =	k. 1,57 – 0,78 =
Example 1: 0.4 – 0.2 = 0.2	Example 2: 0.42 - 0.3 = (0.4 + 0.02) - 0.3 = 0.1 + 0.02 = 0.12	Example 3: 1,42-0.5 = $(1+0.4+0.02)-0.5$ = $(1.4+0.02)-0.5$ = $0.9+0.02$ = $0.9+0.02$	Example 4: 0.76 - 0.34 = (0.7 + 0.06) - (0.3 + 0.04) = 0.7 - 0.3) + (0.06 - 0.04) = 0.4 + 0.02 = 0.42	Example 5: 0.76 - 0.49 = (0.7 + 0.06) - (0.4 + 0.09) = (0.6 + 0.16) - (0.4 + 0.09) = (0.6 - 0.4) + (0.16 - 0.09) = 0.2 + 0.07	Example 6: 1,46 - 0,99 = (1 + 0,4 + 0,06) - (0,9 + 0,09) = (1,4 + 0,06) - (0,9 + 0,09) = (1,3 + 0,16) - (0,9 + 0,09) = (1,3 - 0,9) + (0,16 - 0,09) = 0,4 + 0,07

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48 **49**

Place value of digits to at least two decimal places

We use decimal fractions on a daily basis. Here is one example. Give more examples.



Note that in South Africa we use a decimal comma, although, as in this example the decimal point is also used.



1. Write the numbers in the correct column.

Term 2

Number	Number Thousands Hundreds Tens	Hundreds	Tens	siinU		Tenths	Tenths Hundredths
a. 2456,45					`		
b. 5789,32					,		
c. 8987,42					,		
d. 8 901,34					,		
e. 5 789,21					,		
f. 7 632,45					,		
g. 9 078,21					,		
h. 8 007,08					`		

•

Exampl
I notation.
expandec
Write in
7.

e: 5,34 = 5 units + 3 tenths + 4 hundredths

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7	
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_`	
_	
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_	

3. Write the following in words. Example: 5,37 = five comma three seven

4. Write in expanded notation. Example: 9,12 = 9 + 0,1 + 0,02

Example: 8 + 0.5 + 0.04 = 8.54

$$a.3 + 0.7 + 0.02 =$$

$$c.9 + 0.8 + 0.03 =$$

$$d.5 + 0.1 + 0.01 =$$

6. Count in halves. Colour the pattern on the board.

(

l	2	3	4	5	9	7	8	6	10
0,9	1,9	2,9	3,9	4,9	5,9	6,9	7,9	8,9	6'6
8′0	1,8	2,8	3,8	4,8	5,8	8'9	7,8	8,8	8′6
0,7	1,7	2,7	3,7	4,7	5,7	6,7	7,7	8,7	2'6
9′0	9′1	2,6	3,6	4,6	9'9	9′9	9′2	9′8	9′6
0,5	1,5	2,5	3,5	4,5	5,5	9'9	2'2	8,5	5′6
0,4	1,4	2,4	3,4	4,4	5,4	6,4	7,4	8,4	9,4
6′0	1,3	2,3	3,3	4,3	5,3	6,3	2,3	8,3	6'3
0,2	1,2	2,2	3,2	4,2	5,2	6,2	7,2	8,2	9,2
0,1	1,1	2,1	3,1	4,1	5,1	6,1	7,1	8,1	1′6

I had 0,4 of the glass of water. My friend says she had 0,04. Which one is more realistic and why?

155

22 23

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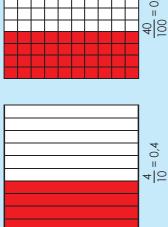
B

Compare and order decimal fractions

to at least two decimal places

Do you know that 0,4 and 0,40 are the same.

You can show it by using a drawing like the one on the right.



 $\frac{40}{100} = 0,40$

1. On the diagrams show that:

Term 2

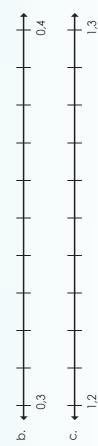
b. 0.7 = 0.70

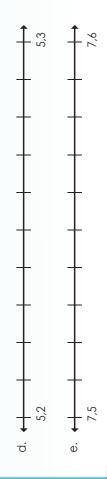


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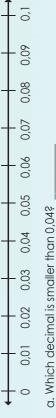
2. Complete the number lines.







3. Look at the number line and answer the questions.



b. Which decimal is bigger than 0,04?

c. Which decimals are between 0,03 and 0,05?

d. Which number comes after 0,1 on this number line?

4. Fill in <, >, =.

8,06

e. 8,6

d. 1,11

g. 4,72

(1)

5. Write in ascending order.

6. Write in descending order.

0,01; 0,11; 0,12; 0,22; 0,21

My brother paid 350c for his juice. I bought mine for R3,05. Who paid the least?

Who paid more?

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Term 2

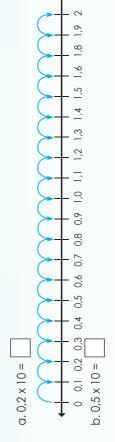
$0.6 \times 100 = 60$ $0.8 \times 100 = 80$ $0.1 \times 100 = 10$ $0.3 \times 100 = 30$ $0.4 \times 100 = 40$ $0.7 \times 100 = 70$ $0.5 \times 100 = 50$ $0.9 \times 100 = 90$ $0.2 \times 100 = 20$ $0.9 \times 10 = 9$ $0,1 \times 10 = 1$ $0.2 \times 10 = 2$ $0.3 \times 10 = 3$ $0,4 \times 10 = 4$ $0.5 \times 10 = 5$ $0.6 \times 10 = 6$ $0.7 \times 10 = 7$ $0.8 \times 10 = 8$ $0.9 \times 1 = 0.9$ $0.2 \times 1 = 0.2$ $0.5 \times 1 = 0.5$ $0.6 \times 1 = 0.6$ $0.8 \times 1 = 0.8$ $0.3 \times 1 = 0.3$ $0.4 \times 1 = 0.4$ $0.7 \times 1 = 0.7$ $0.1 \times 1 = 0.1$ $8 \times 100 = 800$ $1 \times 100 = 100$ $3 \times 100 = 300$ $4 \times 100 = 400$ $5 \times 100 = 500$ $6 \times 100 = 600$ $7 \times 100 = 700$ $9 \times 100 = 900$ $2 \times 100 = 200$ What pattern do you see? $9 \times 10 = 90$ $1 \times 10 = 10$ $3 \times 10 = 30$ $5 \times 10 = 50$ $6 \times 10 = 60$ $7 \times 10 = 70$ $8 \times 10 = 80$ $2 \times 10 = 20$ $4 \times 10 = 40$ $8 \times 1 = 8$ $9 \times 1 = 9$] ×] =] $2 \times 1 = 2$ $3 \times 1 = 3$ $4 \times 1 = 4$ $5 \times 1 = 5$ $6 \times 1 = 6$ $7 \times 1 = 7$

1. Multiply with 1, 10 and 100.

Example: 0,2 0	0,2	2	20
a. 0,5			
b. 0,3			
c. 0,8			
d.0,4			
e. 0,9			

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2. Show the following on a number line.



 $c.0,8 \times 10 =$

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3. Multiply with 1, 10 and 100.

	x1	x10	×100
Example: 1,2	1,2	12	120
a. 1,5			
b. 4,3			
c. 6,8			
d. 7,4			
e. 5,9			

4. Show the following on a number line.

a. $1,5 \times 10 =$

5. Multiply with 1, 10 and 100.

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	x1	×10	×100
Example: 1,2	1,25	12,5	125
a. 1,54			
b. 4,36			
c. 6,88			
d. 0,43			
e. 0,09			

6. True or false? $0.34 \times 100 = 3.4 \times 10$

Find out how much you pay per kilolitre water or ask any family member or friend. How much water do they use in a month? What does it cost?

Can you remember what a cubic unit is?

Make 12 cubic units from cardboard or thick paper. Each square should be 2 cm x 2 cm.









1. Add the following. Remember to write your answer in the simplest form

	Units³	21 units³		
	Cubic units	21 cubic units		
	Object			
7	ш.	19T		

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2. Look at the object, and answer the questions.

- units. a. What is the height of the rectangular prism?
 - units. b. What is the width of the rectangular prism?
- units. c. What is the length of the rectangular prism?
 - d. What is the volume of the rectangular prism?
- unit cubic units or
 - e. What is the volume if we add 1 unit to the height?
- unit³ g. What is the volume if we add 1 unit to the length? [

f. What is the volume if we add 1 unit to the width?

3. Look at the object, and answer the questions.



units units c. What is the length of the rectangular prism? b. What is the width of the rectangular prism?

units

- d. What is the volume of the rectangular prism?
- cubic units or

unita

Unit³ e. What is the volume if we add 2 units to the height?

- f. What is the volume if we add 3 units to the width?
- _ unit3 g. What is the volume if we add 4 units to the length?
- 4. If a rectangular prism has 36 cubic units. What might the:







B

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Describe the capacity and volume of all these containers.







500 millilitres

1. Use your own containers. Complete the table below:

How much more liquid do we need to fill all the containers?

What is the total volume of all the containers?

Container Estimation	Estimation			Measurement	Measurement Difference between
	Millilitres	Common Fraction	Decimal Fraction		measurement (ml)
А					
B					

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	Millilitres	Common Fraction	Decimal Fraction	estimation (ml) and measurement (ml)
∢				
В				
U				
Q				
ш				

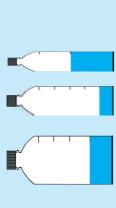
2. Calculate the following:

c. Twice container A.	f. Double container C.	i. Double container D.
b. Container B and C.	e. Container A, B and C.	h. Container C, D and E.
a. Container A and B.	d. Container C and D.	g. Container D and E.

Problem solving

The tank contained 4 kilolitres. The household used 2 450 litres. How much water is left?

What is the capacity of each container? What is the volume in each container?



Capacity is the amount of space (inside an object such as a container) that can hold something (such as a liquid).

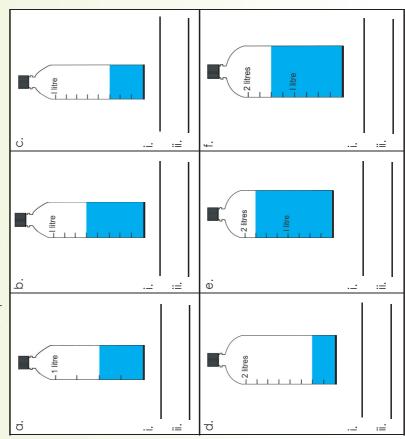
Volume is the amount of space actually occupied by something such as a liquid.

So a bottle may have a 1 litre capacity, but the volume of liquid in it could, for example , be only 250 ml.

- 1. Use the containers below to answer the questions.
- What is the capacity of the container (up to its highest measuring mark)?
- What is the volume of liquid in the container?

Term 2

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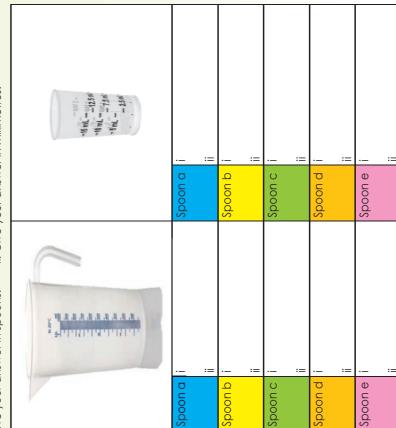


2. How many millilitres can each spoon take?



- 3. How many spoons will fill the container?
- ii. Give your answer in millimetres. i. Give your answer in spoons.

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continued •

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30 **28** 29

27

26

25

24

23

22

21

20

- 4. Write everything down to support your answer.
- a. How much is 1 litre?

b. How much is 1 millilitre?

Term 2

c. How much is 1 kilolitre?

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5. Complete the following:

litre

b. 1 millilitre =

c. 1 kilolitre =

- 6. What units would you use if you wanted to measure the following?
- a. The amount of water you use in a month.
- b. The amount of water to use when mixing baby milk formula for one feed.
- c. The amount of water in a full bathtub.

My mother paid R5,50 per 500 ml of fruit juice.

• We drank seven eighths of the 2 litre fruit juice.

• What is left? Give your answer in millimetres. What is the cost of the juice that has been drunk?

Find out how much you pay per kilolitre water or ask any family member or friend. How much water do they use in a month? What does it cost?

- 7. What instrument would you use if you wanted to measure the following?
- a. liquid medicine for a baby.
- b. milk for a pudding recipe.
- c. water to dilute a packet of powdered cooldrink.
- 8. What is a kilolitre? Name six things that we would measure in kilolitres.

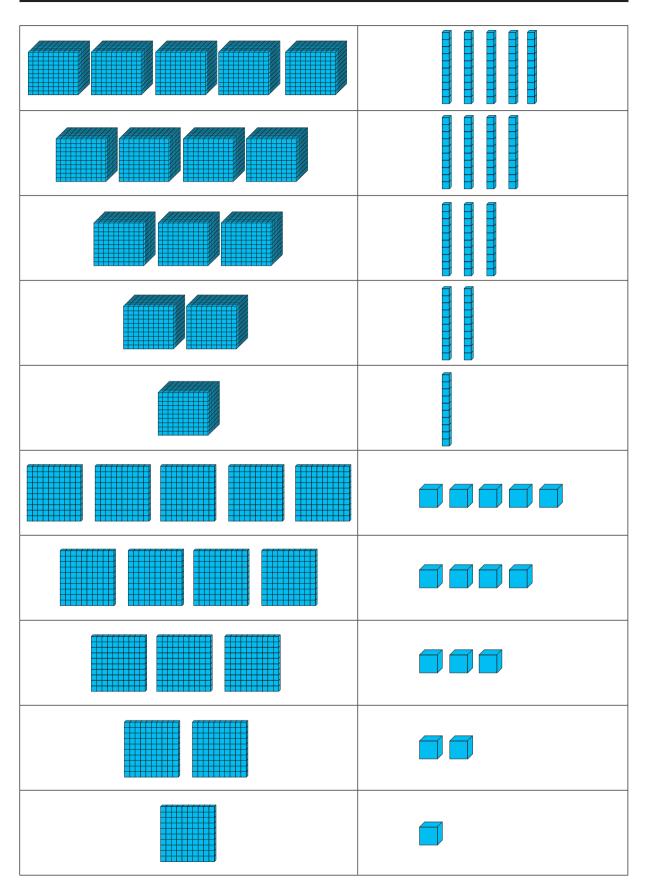
C.	f.
Ь.	œ.
a.	d.

9. Arrange the capacities of the containers from the least to the most.

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500 ml cooldrink	
5 kilolitre water tank	
75 ml medicine	
2 litre milk jug 2 litre tank of a 75 ml medicine 5 kilolitre water 500 ml fire engine cooldri	
2 litre milk jug	

Mathematics Grade 6 Cut-out 1













Matl	hema	tics G	rade	6			Cut-	out 2
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
_	2	3	4	Ŋ	9	7	∞	6
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
	2	3	4	Ŋ	9	/	∞	6
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
_	2	8	7	2	9	7	∞	6
0	0	0	0	0	0	0	0	0
_	2	3	4	2	9	7	∞	6
_	2	3	4	2	9	_	∞	6



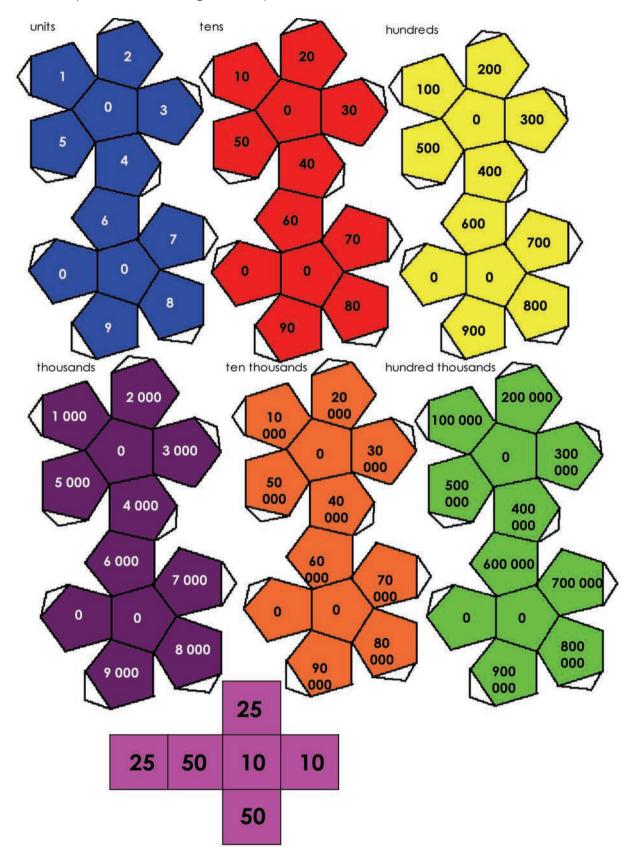




Mathematics Grade 6

Cut-out 3

Note: Make dice from these Cut-outs. After assembling the dice, keep them in a safe place because you will use it throughout the year.



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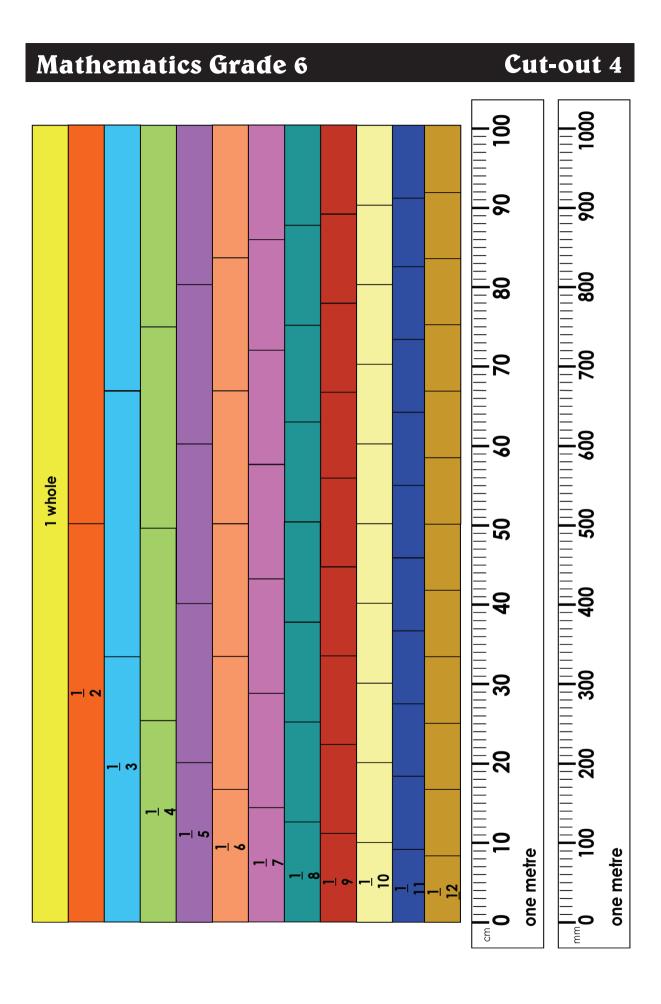




















Mathe	ematics (Grade 6		Cu	t-out 5
1 2	1/4	14	<u>1</u> 5	<u>1</u> 25	<u>1</u> 100
<u>1</u> 5	1 2	10 10	<u>1</u> 25	100	<u>1</u> 10
500 ml of a litre	750 mm of a metre	250 ml of a litre	250 g of a kilogram	125 ml of a litre	125 mm of a metre
200 ml of a litre	200 mm of a metre	100 ml of a litre	100 g of a kilogram	10 ml of a litre	10 mm of a metre









